

embedded Quantum ESPRESSO

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#QE2018

A glance at Pavanello Research Group @ Rutgers

A glance at Pavanello Research Group @ Rutgers



PRG @ Rutgers-Newark since 2012

A glance at Pavanello Research Group @ Rutgers



PRG @ Ru

PRG accepting PhD students!

A glance at Pavanello Research Group @ Rutgers



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- Work alongside
 - 3 postdocs
 - 2 PhD students



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- Work on
 - New ways to use TDDFT for molecule–surface interactions
 - Nonadiabatic dynamics based on Constrained DFT
 - Orbital-free DFT . . .



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 - New ways to use TDDFT for molecule–surface interactions
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 - Orbital-free DFT . . . that actually works

Some theoretical aspects of embedding

Outline

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- Nature is made of interacting subsystems

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- Multiscale models of ground electronic states
 - Materials modeling: Periodic Subsystem DFT
 - embedded Quantum-ESPRESSO (eQE)
 - Dynamics of liquid, solvated and layered systems
 - Details of the eQE algorithm
 - Details of the eQE parallelization
- One example of excited states calculation

Krishtal, A.; Sinha, D.; Genova, A. & Pavanello, M.

Subsystem Density-Functional Theory as an Effective Tool for Modeling Ground and Excited States, their Dynamics, and Many-Body Interactions

J. Phys.: Condens. Matter, **27**, 183202 (2015)

Introduction to subsystem DFT (FDE)

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- **Frozen Density Embedding (FDE):** Coupled Kohn–Sham equations for each subsystem

$$\frac{\delta E_{\text{FDE}}[\rho_I + \rho_{II}]}{\delta \rho_I} = 0 \rightarrow \left[-\frac{1}{2} \nabla^2 + v_{KS}^I(\mathbf{r}) + v_{emb}^I(\mathbf{r}) \right] \phi_{(i)_I}(\mathbf{r}) = \varepsilon_i^I \phi_{(i)_I}(\mathbf{r})$$

Senatore 1986, Cortona 1991, Wesolowski 1993; Jacob, Neugebauer, Carter, ...

Orbital-free DFT interaction between subsystems

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considering that $\rho(r) = \rho_I(\mathbf{r}) + \rho_{II}(\mathbf{r})$.

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- Compute $T_s^{\text{nadd}}[\rho_I, \rho_{II}]$ in the Thomas-Fermi approximation, $T_s[\rho] = C_{TF} \int \rho^{5/3}(\mathbf{r}) d\mathbf{r}$
- Compute $E_x^{\text{nadd}}[\rho_I, \rho_{II}]$ in the Dirac approximation, $E_x[\rho] = C_x \int \rho^{4/3}(\mathbf{r}) d\mathbf{r}$
- Compute $E_H^{\text{nadd}}[\rho_I, \rho_{II}]$, $E_H[\rho] = \frac{1}{2} \int \int \rho(\mathbf{r}) \frac{\rho(\mathbf{r}')}{|\mathbf{r}-\mathbf{r}'|} d\mathbf{r} d\mathbf{r}'$

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... more homework!

- T_s contribution to $v_{\text{emb}}(\mathbf{r})$
- E_x contribution to $v_{\text{emb}}(\mathbf{r})$
- E_H contribution to $v_{\text{emb}}(\mathbf{r})$

Other types of embedding

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- WFT densities in DFT densities [Carter, Wesolowski, Neugebauer]
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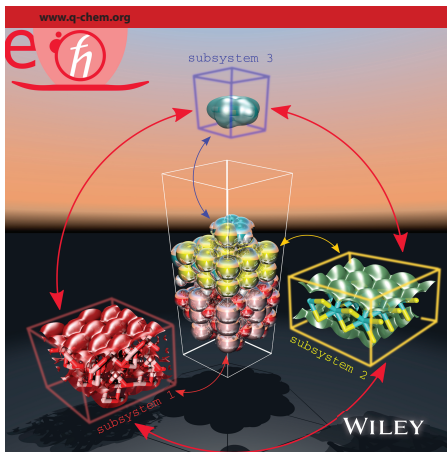
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 $\rho_I(\mathbf{r}) = \langle \Psi_I | \hat{\rho}(\mathbf{r}) | \Psi_I \rangle$
- WFT density matrices in DFT density matrices [Manby, Miller, Goodpaster]
 $\gamma_I(\mathbf{r}, \mathbf{r}') = \langle \Psi_I^{HF} | \hat{\gamma}(\mathbf{r}, \mathbf{r}') | \Psi_I^{HF} \rangle$

International Journal of QUANTUM CHEMISTRY



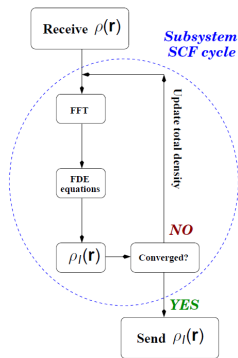
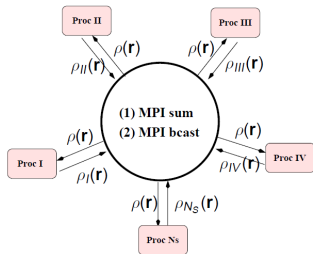
eQE: An open-source density functional embedding theory code for the condensed phase
International Journal of Quantum Chemistry, **117**, e25401 (2017)



eqe.rutgers.edu



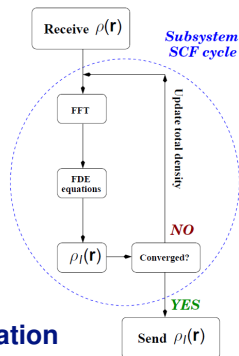
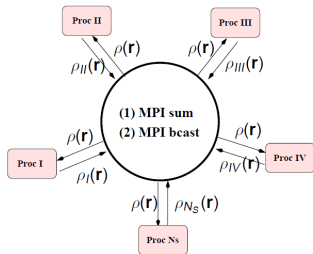
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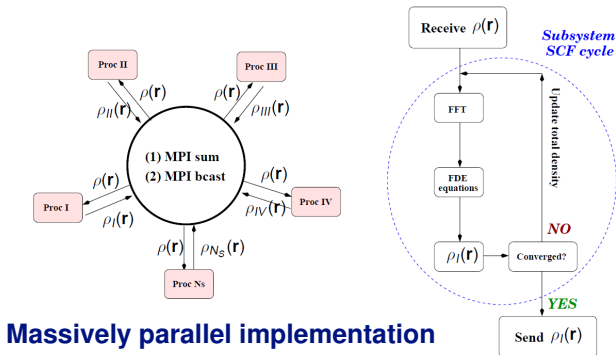
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Massively parallel implementation





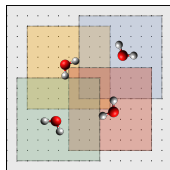
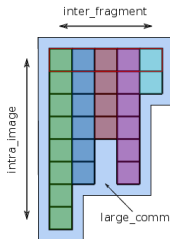
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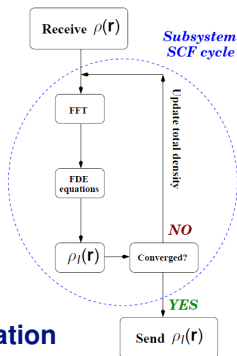
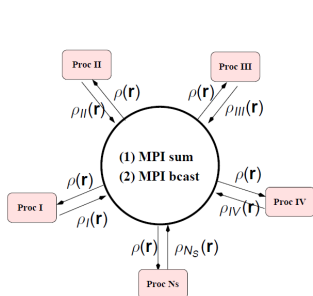
Rewrite the MPI module of QE

- Subsystem-specific # of CPUs
- Improved latencies (processes wait for others to complete)
- Nested DIIS for $\{\rho_I(\mathbf{r})\}$





eqe.rutgers.edu



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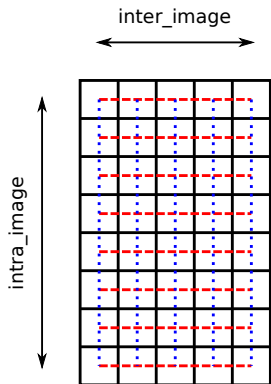
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BZ sampling (k -points)

- K -point sampling for (semi)conductors.
- Γ -point for molecules/insulators.

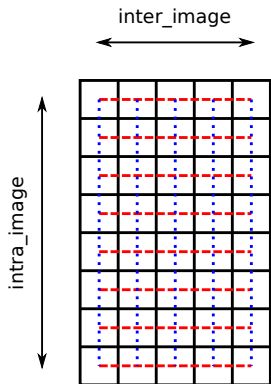
eQE: a note on parallelization

Regular QE

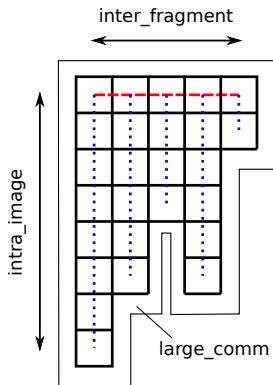


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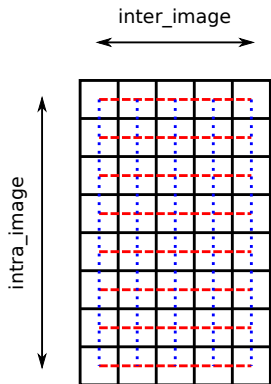


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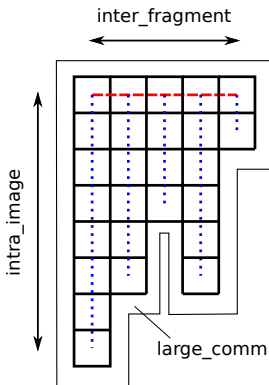


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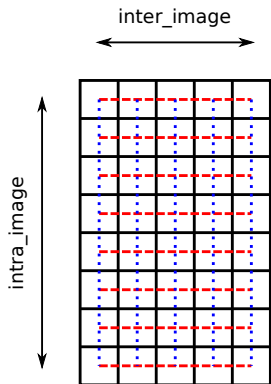


pros & cons

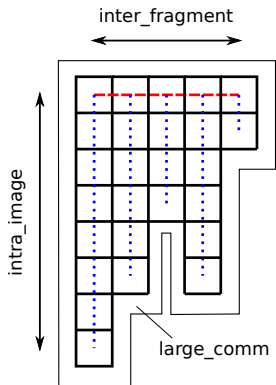
- distributed data communication
- non-polymorphic

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- polymorphic
- gathered data communication

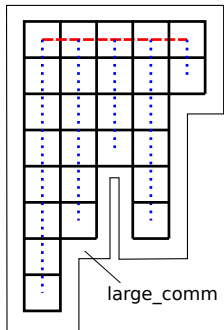
eQE: a note on coding it

eQE

inter_fragment



intra_image



```
! dfftp                                :: the fft descriptor of the subsystem electron cell
! dfftl                                :: the fft descriptor of the supersystem simulation cell
! rho%of_r(dfftp%nnr)                  :: the subsystem density in the subsystem cell
                                         (grid is distributed over the processes in intra_image_comm)
! rho_fde%of_r(dfftp%nnr)              :: the supersystem density in the subsystem cell
                                         (grid is distributed over the processes in intra_image_comm)
! rho_fde_large%of_r(dfftl%nnr)        :: the supersystem density in the supersystem cell
                                         (grid is distributed over the processes in large_comm)
! %of_g(:)                             :: same quantity in reciprocal space
! aux(dfftp%nnr)                       :: auxiliary vector of the subsystem cell real space
                                         (grid is distributed over the processes in intra_image_comm)
! gaux(ngm)                             :: auxiliary vector of the subsystem cell reciprocal space
! raux(nr1*nr2*nr3)                    :: subsystem cell real space auxiliary vector
                                         (whole grid is collected on the ionode proc of intra_image_comm)
! auxl(dfftl%nnr)                     :: auxiliary vector of the supersystem cell real space
                                         (grid is distributed over the processes in large_comm)
! gauxl(ngml)                          :: auxiliary vector of the supersystem cell reciprocal space
! rauxl(nr11*nr21*nr3l)                :: supersystem (large) cell real space gathered auxiliary vector
                                         (whole grid is collected on the ionode proc of large_comm)
! f2l(nr1*nr2*nr3)                    :: subsystem cell to supersystem cell mapping vector.
```

Collect the subsystem density from all the intra_image processes into a single array (raux).

Copy each subsystem density into an array of the supersystem cell (rauxl), using mapping (f2l).

Allreduce rauxl across the processes in inter_fragment to build the supersystem density in the supersystem cell.

Using the f2l mapping, copy the supersystem density into each subsystem cell.

Distribute the supersystem density over all processes in the communicators spanning the supersystem and subsystem cells.

FFT to obtain the reciprocal space representation of the supersystem density in both the subsystem and the supersystem cells.

```
call grid_gather(rho_fde%of_r(:,is), raux)
```

```
if (ionode) then
```

```
    rauxl = 0.d0
    rauxl(f2l(:)) = raux(:)
```

```
call mp_sum(rauxl, inter_fragment_comm)
```

```
    raux = 0.d0
    raux(:) = rauxl(f2l(:))
```

```
endif
```

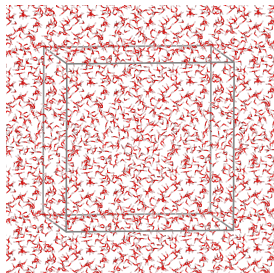
```
call grid_scatter_large(rauxl, rho_fde_large%of_r(:,is))
call grid_scatter(raux, rho_fde%of_r(:,is))
```

```
gauxl(:) = cmplx(rho_fde_large%of_r(:,is), 0.d0, kind=dp)
call fwfft ('Custom', gauxl, dfftl)
rho_fde_large%of_g(1:ngml,is) = gauxl(nll(1:ngml))
```

```
gaux(:) = cmplx(rho_fde%of_r(:,is), 0.d0, kind=dp)
call fwfft ('Dense', gaux, dfftp)
```

eQE: Performance for molecular periodic systems

Water 1024



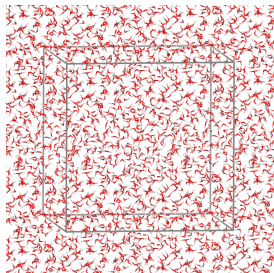
30726 Å³

Speedup compared to regular QE (all PBE)

24.5 ×

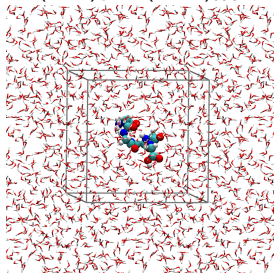
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30726 Å³

(GLY)₆ in (H₂O)₃₉₅



12656 Å³

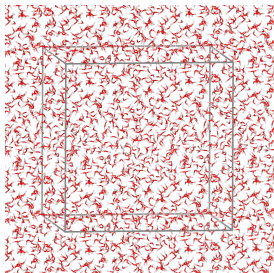
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36.5 ×

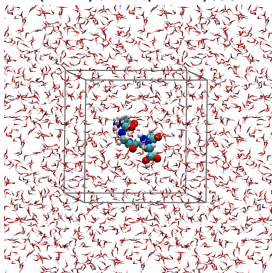
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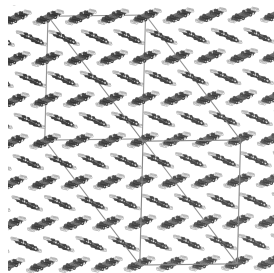
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Pentacene 3 × 3 × 3



18243 Å³

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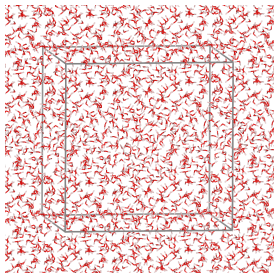
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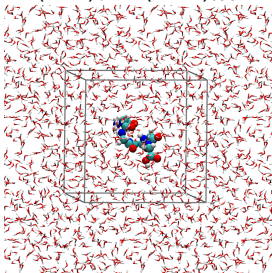
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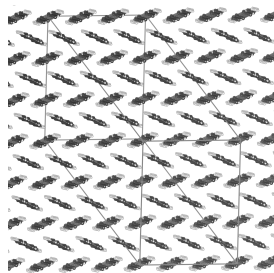
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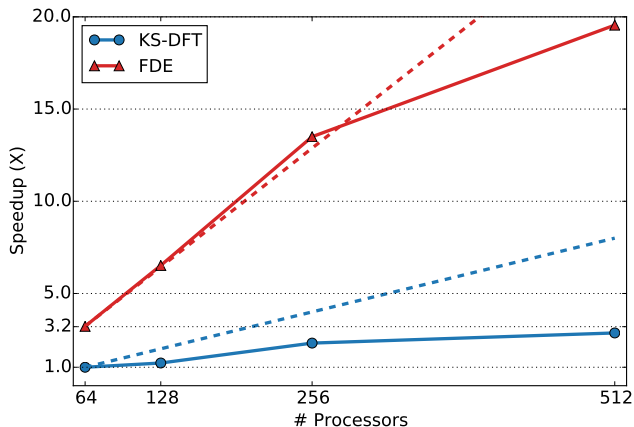
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Well over one order of magnitude speedup!

eQE vs QE: Parallel scaling for water 256

Water 256, 256 subsystems

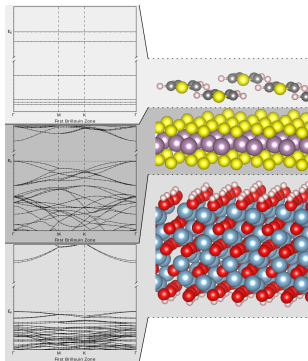


QE-eQE gap widens with increasing # of CPUs

eQE: Computational savings for truly periodic systems

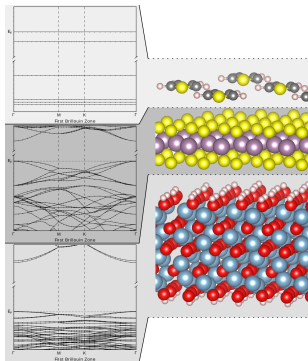
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System relevant for catalysis:



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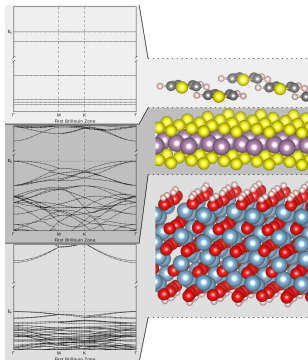
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How low can we go with k -points?

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How low can we go with k -points?

$\langle \Delta p \rangle$ (e)

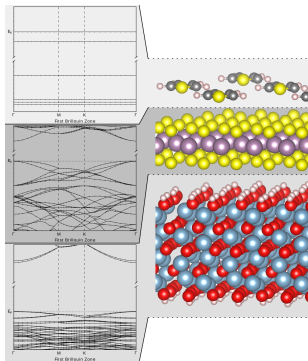
8x8	6.4×10^{-2}	3.9×10^{-3}	3.2×10^{-3}	3.0×10^{-3}
4x4	6.4×10^{-2}	3.9×10^{-3}	3.2×10^{-3}	3.1×10^{-3}
2x2	7.5×10^{-2}	1.5×10^{-2}	1.4×10^{-2}	1.4×10^{-2}
1x1	4.9×10^{-1}	4.3×10^{-1}	4.3×10^{-1}	4.3×10^{-1}
	1x1	2x2	4x4	8x8

MoS₂ k mesh

Al₂O₃ k mesh

eQE: Computational savings for truly periodic systems

System relevant for catalysis:



How low can we go with k -points?

$\langle \Delta p \rangle$ (e)

8x8	6.4×10^{-2}	3.9×10^{-3}	3.2×10^{-3}	3.0×10^{-3}
4x4	6.4×10^{-2}	3.9×10^{-3}	3.2×10^{-3}	3.1×10^{-3}
2x2	7.5×10^{-2}	1.5×10^{-2}	1.4×10^{-2}	1.4×10^{-2}
1x1	4.9×10^{-1}	4.3×10^{-1}	4.3×10^{-1}	4.3×10^{-1}
	1x1	2x2	4x4	8x8

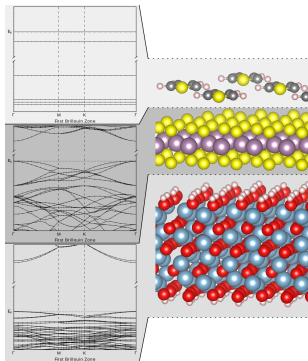
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The MoS₂ layer must be well sampled!

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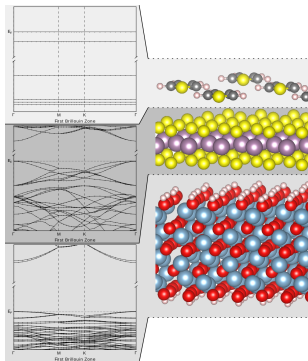
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Computational complexity [Genova & Pavanello JPCM (2015)]

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1x1	4.9×10^{-1}	4.3×10^{-1}	4.3×10^{-1}	4.3×10^{-1}
	1x1	2x2	4x4	8x8

Al_2O_3 k mesh

The MoS_2 layer must be well sampled!

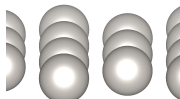
Computational complexity [Genova & Pavanello JPCM (2015)]

	KS	FDE (bare)	FDE (optimized)
Speedup	$1.0 \times$	$0.9 \times$	$6.2 \times$
Time / Cycle (s)	195	220	31
# of Cycles	17	88	24

Water on Pt(100)

^aGenova, Ceresoli, & MP, J. Chem. Phys., **141**, 174101 (2014)

Water on Pt(100)



$$\langle \Delta \rho \rangle = 0.02$$

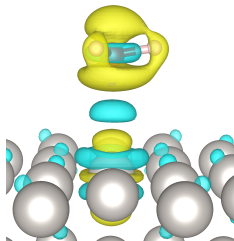
$$\Delta E_{\text{int}} = -0.2 \text{ kcal/mol}$$

(-0.5)

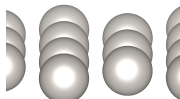
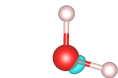
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eQE for periodic systems: does it work?

Water on Pt(100)



$$\langle \Delta \rho \rangle = 0.2$$
$$\Delta E_{\text{int}} = +0.04 \text{ kcal/mol}$$
$$(-3.2)$$

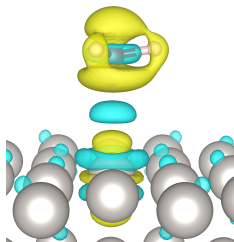


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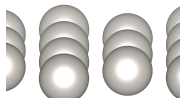
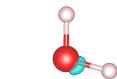
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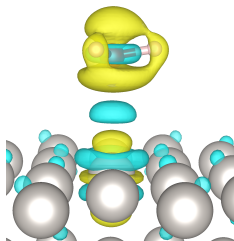
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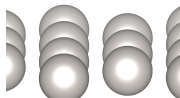
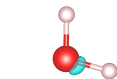
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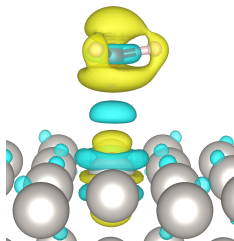
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■ Weak interactions → OK

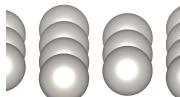
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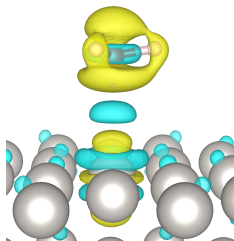
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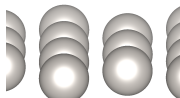
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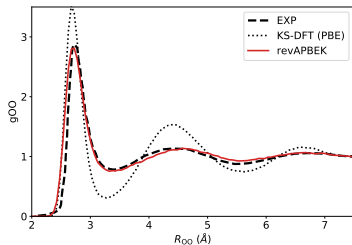
- Weak interactions → OK
- Covalent bonds → Not OK
- ... not until more accurate $T_s[\rho]$ functionals are developed

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Liquid Water – does eQE get the structure right?

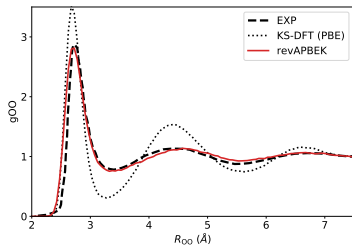
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Oxygen–Oxygen RDF

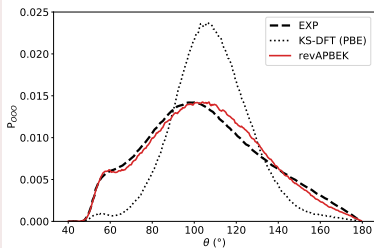


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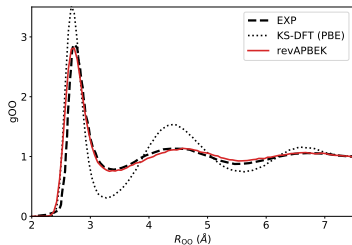


O–O–O ADF

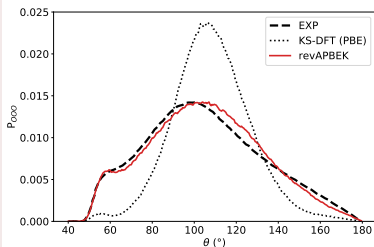


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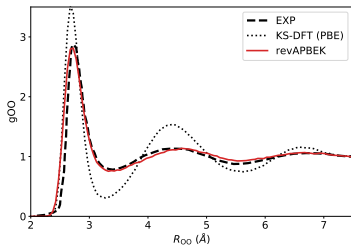
Diffusion coefficient and dipole moment

$$\langle D \rangle = 2.97(0.4) \cdot 10^{-5} \text{ cm}^2 \text{ s}^{-1}$$

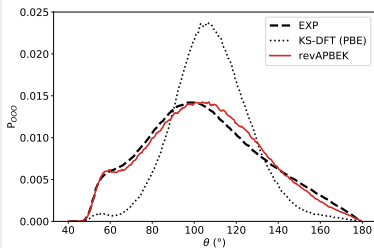
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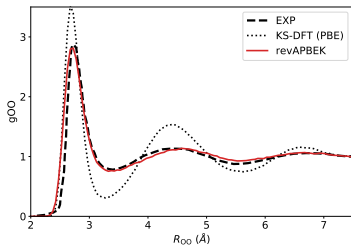
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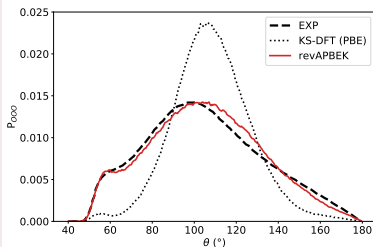
- eQE recovers correct structure
- eQE recovers correct dynamics
- eQE recovers correct e^- structure

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O–O–O ADF



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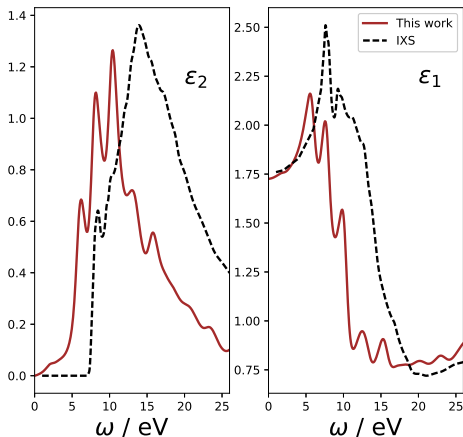
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- **How about e^- excited states?**

Computation of ϵ

Optical Properties of Liquid Water: ϵ_1 & ϵ_2

Computation of ϵ

- 10 snapshots of water 64
- Average of 640 spectra

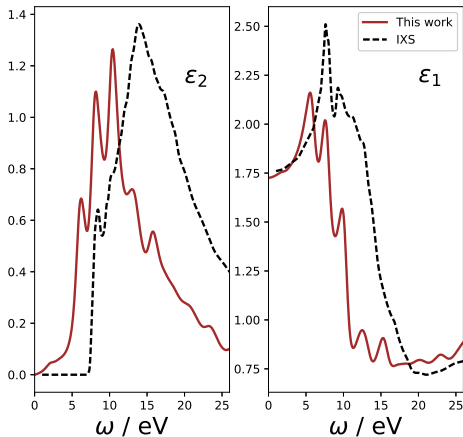


Kumar P., S. & Genova, A. & MP, J. Phys. Chem. Lett., 8 (20), pp 5077-5083 (2017)

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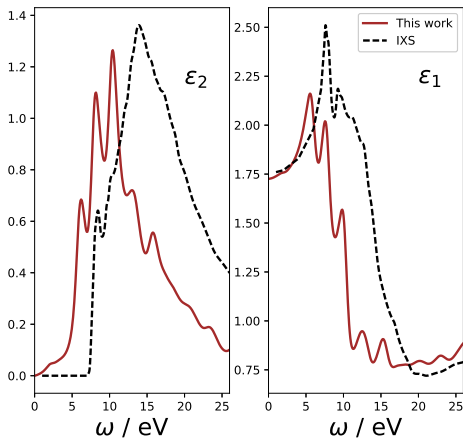
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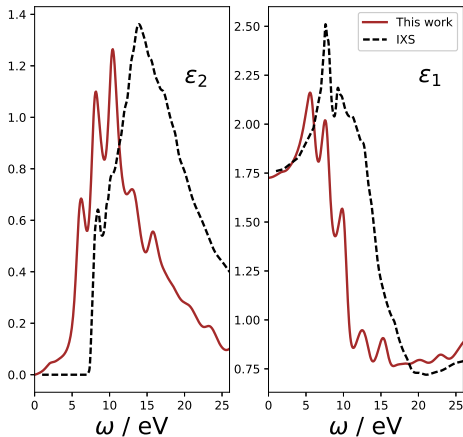
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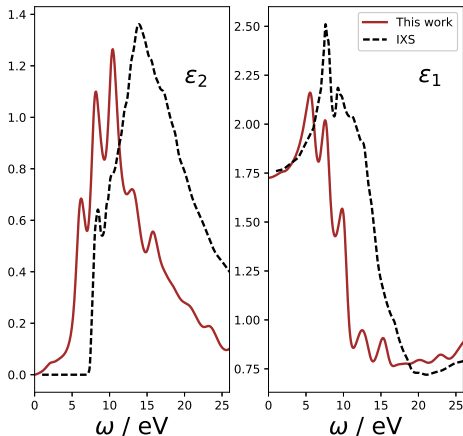
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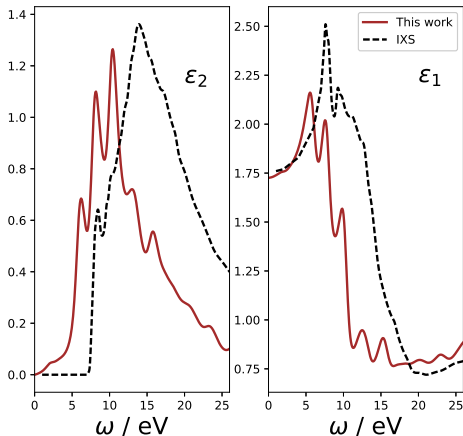
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- Index of refraction $n = 1.68$



Kumar P., S. & Genova, A. & MP, J. Phys. Chem. Lett., 8 (20), pp 5077-5083 (2017)

Acknowledgments

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- **Dr. Debalina Sinha (@ L'Oreal)**
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- **Prof. Oliviero Andreussi (North Texas)**
- **Dr. Andre Gomes (CNRS)**
- **Prof. Rob DiStasio (Cornell)**
- **Prof. Henk Eshuis (Montclair State)**
- **Dr. Damien Riedel (CNRS)**

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