



Towards more accessible excited-state simulations with AI

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Virtual International Seminar on Theory Advancement" (VISTA)
20 March 2024

Hiring post-docs, PhD & MSc students!



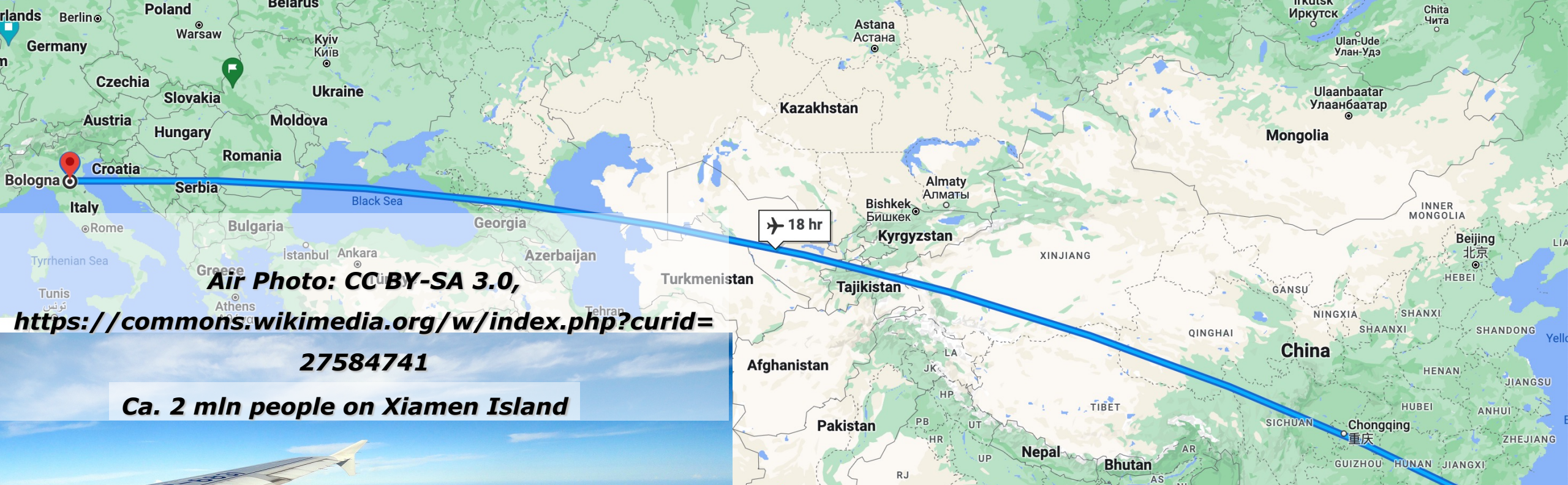
Funding



国家自然科学基金委员会
National Natural Science Foundation of China



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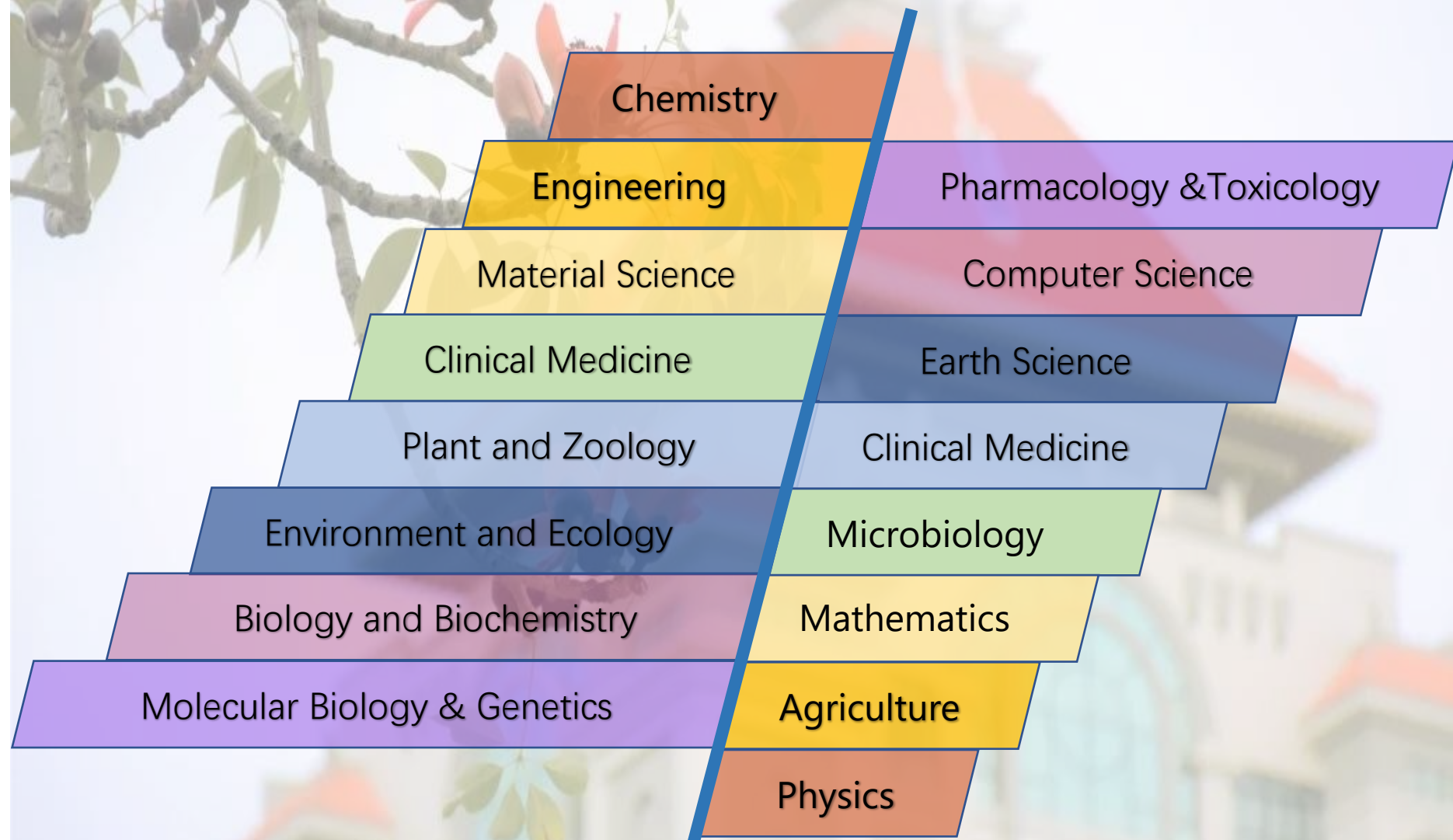
Air Photo: CC BY-SA 3.0,
<https://commons.wikimedia.org/w/index.php?curid=27584741>

Ca. 2 mln people on Xiamen Island



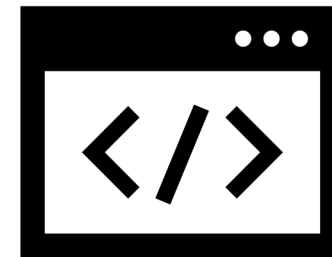
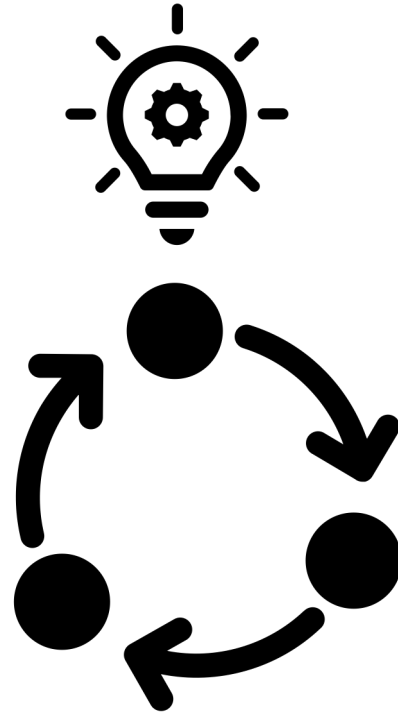
16 subjects rank top **1%** globally. **11th** in Mainland China.

Chemistry ranks top **1‰** globally (*ESI as of March 2019*).



Develop AI methods and concepts to break the limitations of traditional quantum chemistry

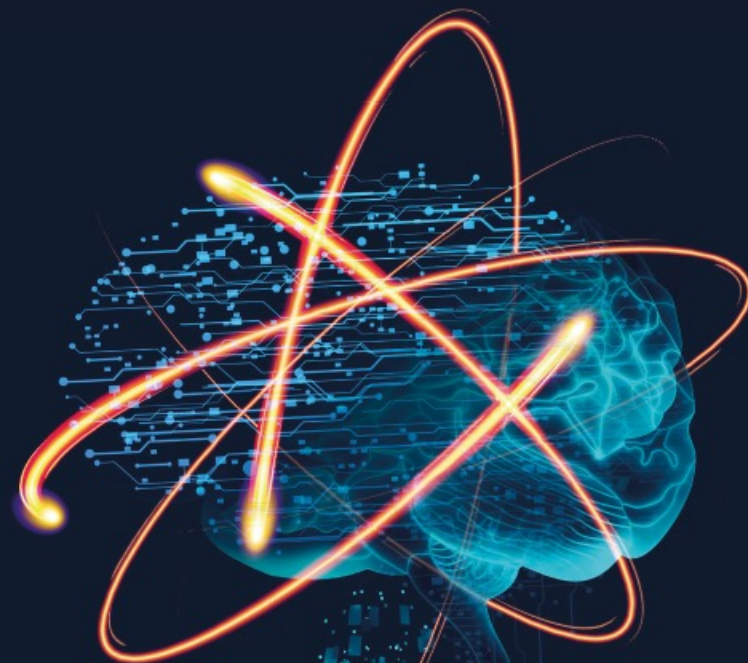
Educate and promote



Provide tools

EDITED BY PAVLO O. DRAL

QUANTUM CHEMISTRY IN THE AGE OF MACHINE LEARNING

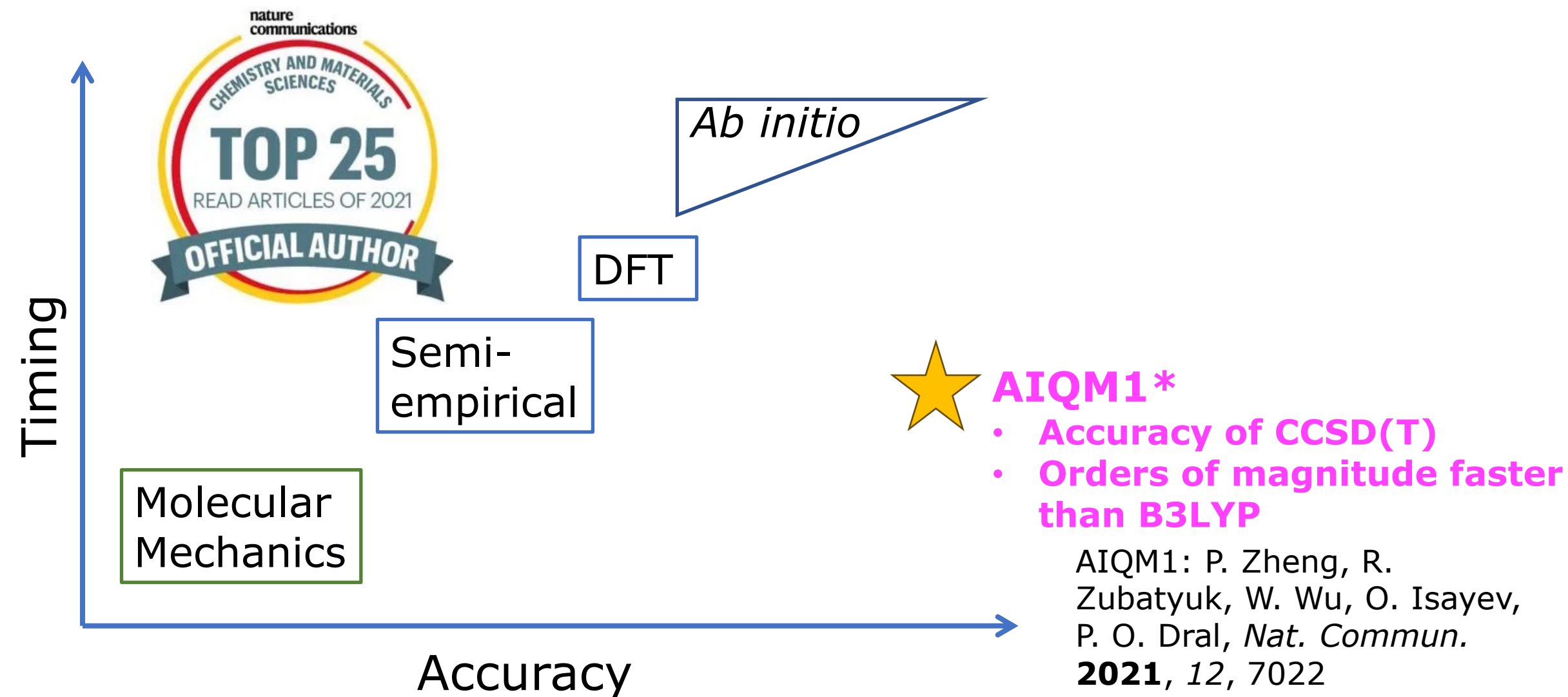


Published in
September
2022

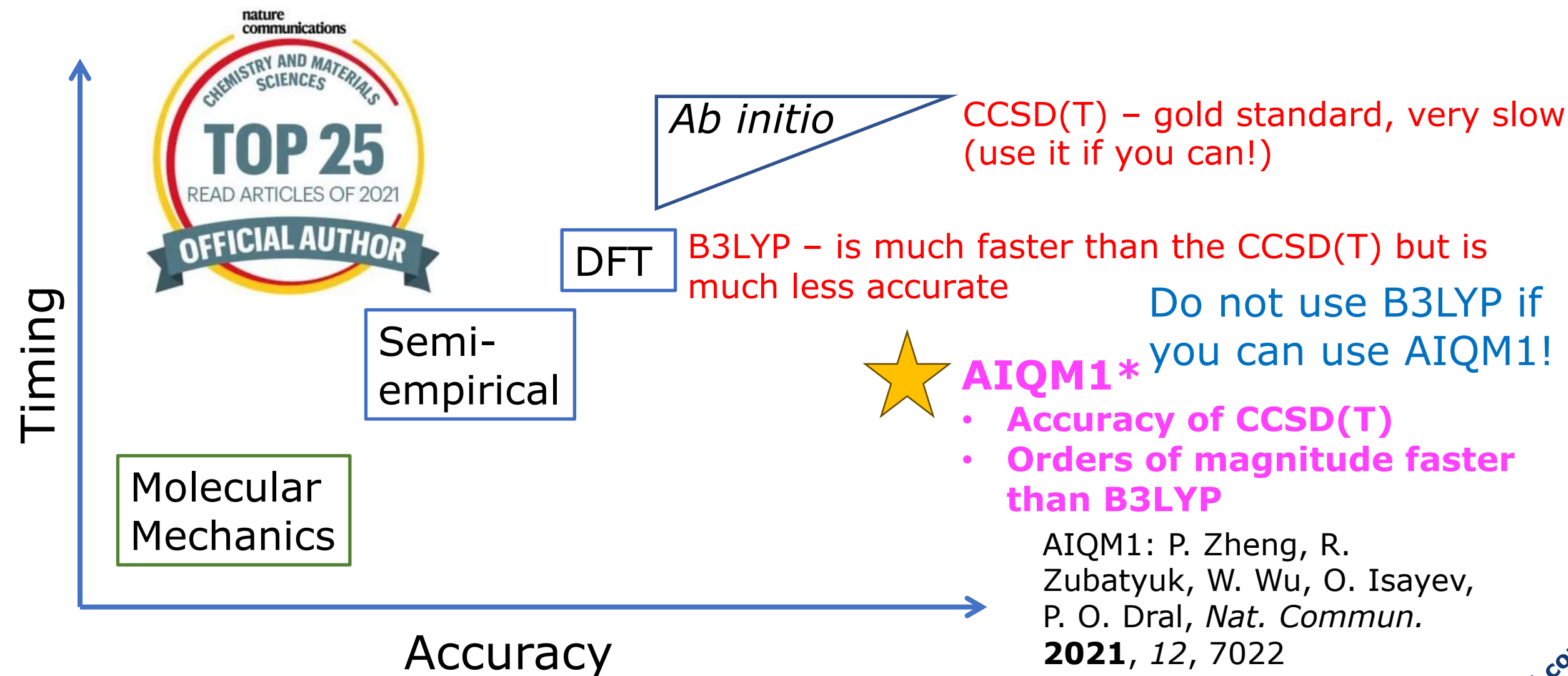
Chapter	Title
	Preface
Part 1	Introduction
1	Very brief introduction to quantum chemistry
2	Density functional theory
3	Semiempirical quantum mechanical methods
4	From small molecules to solid-state materials: A brief discourse on an example of carbon compounds
5	Basics of dynamics
6	Machine learning: An overview
7	Unsupervised learning
8	Neural networks
9	Kernel methods
10	Bayesian inference
Part 2	Machine learning potentials
11	Potentials based on linear models
12	Neural network potentials
13	Kernel method potentials
14	Constructing machine learning potentials with active learning
15	Excited-state dynamics with machine learning
16	Machine learning for vibrational spectroscopy
17	Molecular structure optimizations with Gaussian process regression
Part 3	Machine learning of quantum chemical properties
18	Learning electron densities
19	Learning dipole moments and polarizabilities
20	Learning excited-state properties
Part 4	Machine learning-improved quantum chemical methods
21	Learning from multiple quantum chemical methods: Δ -learning, transfer learning, co-kriging, and beyond
22	Data-driven acceleration of coupled-cluster and perturbation theory methods
23	Redesigning density functional theory with machine learning
24	Improving semiempirical quantum mechanical methods with machine learning
25	Machine learning wavefunction
Part 5	Analysis of Big Data
26	Analysis of nonadiabatic molecular dynamics trajectories
27	Design of organic materials with tailored optical properties: Predicting quantum-chemical polarizabilities and derived quantities

65
authors!

Exercises
on GitHub

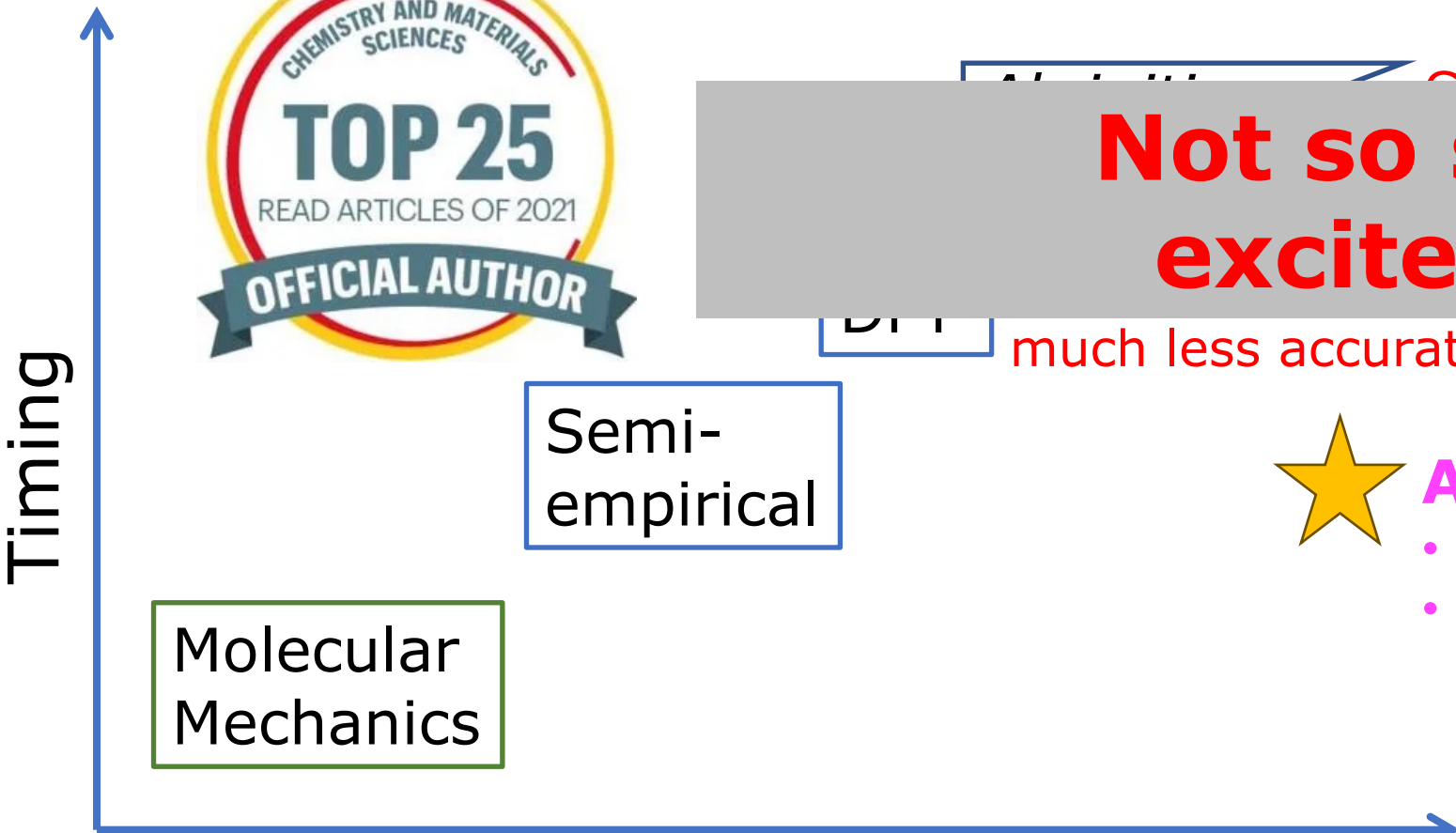


*CHNO elements only – extensions on the way





Not so simple for excited states!



DFT much less accurate

Do not use B3LYP if you can use AIQM1!

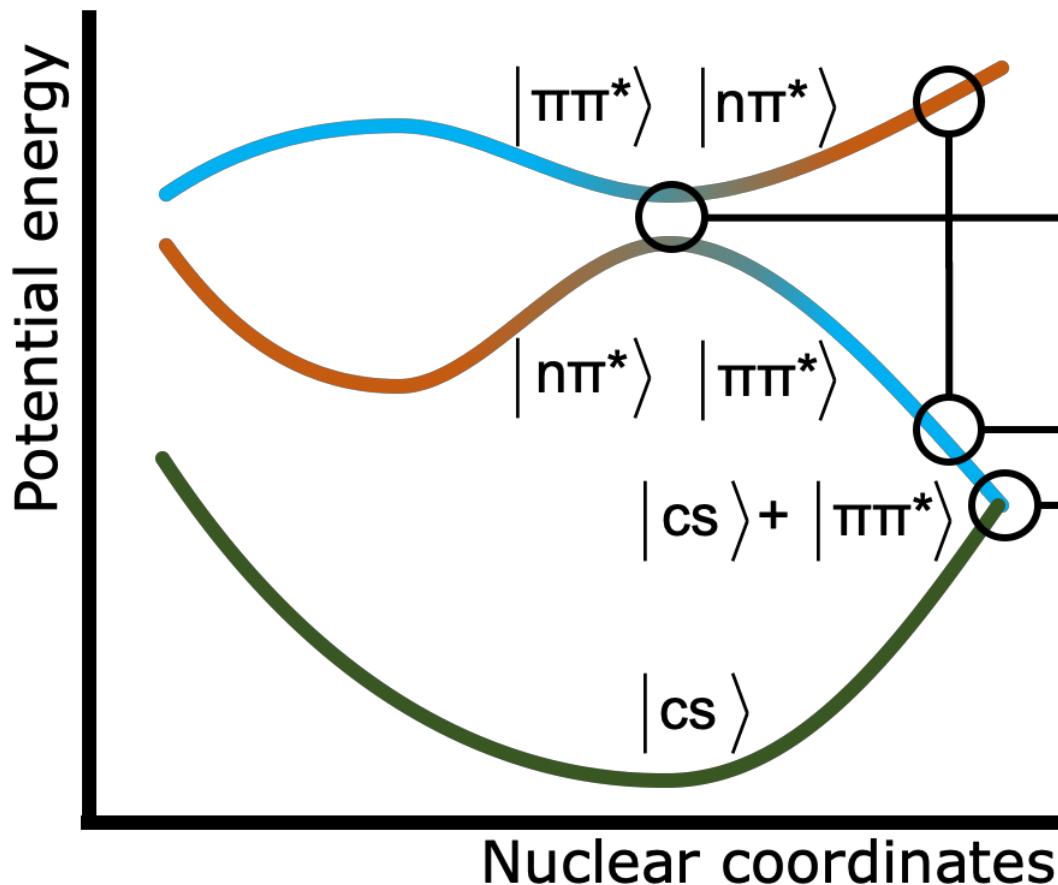


- AIQM1***
- Accuracy of CCSD(T)
 - Orders of magnitude faster than B3LYP

AIQM1: P. Zheng, R. Zubatyuk, W. Wu, O. Isayev, P. O. Dral, *Nat. Commun.* **2021**, 12, 7022

*CHNO elements only – extensions on the way

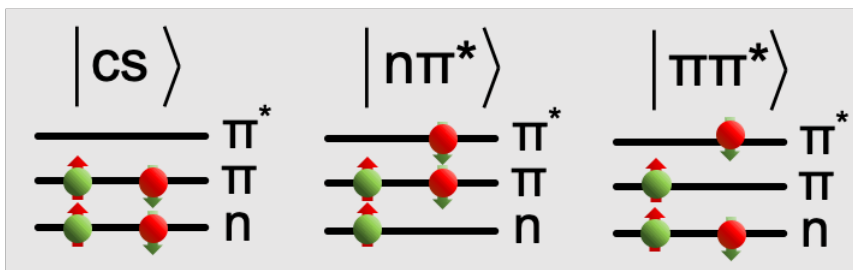
Why excited states are challenging



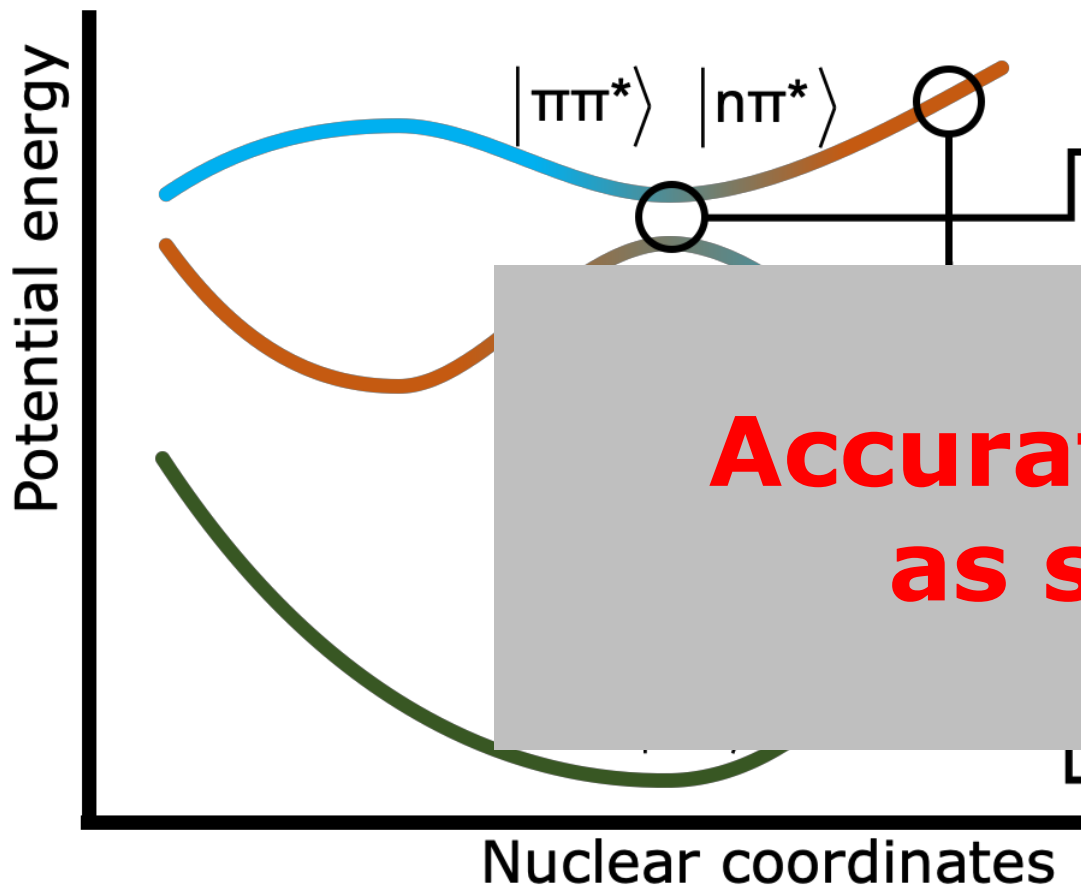
Small nuclear displacements change the wavefunction

QM methods have different accuracy for different characters

Geometries with strong multireference character are challenging

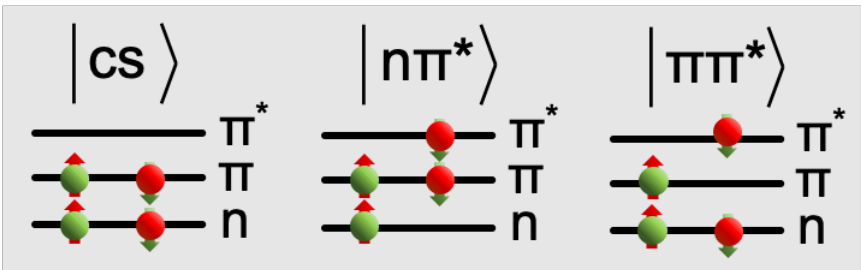


Why excited states are challenging

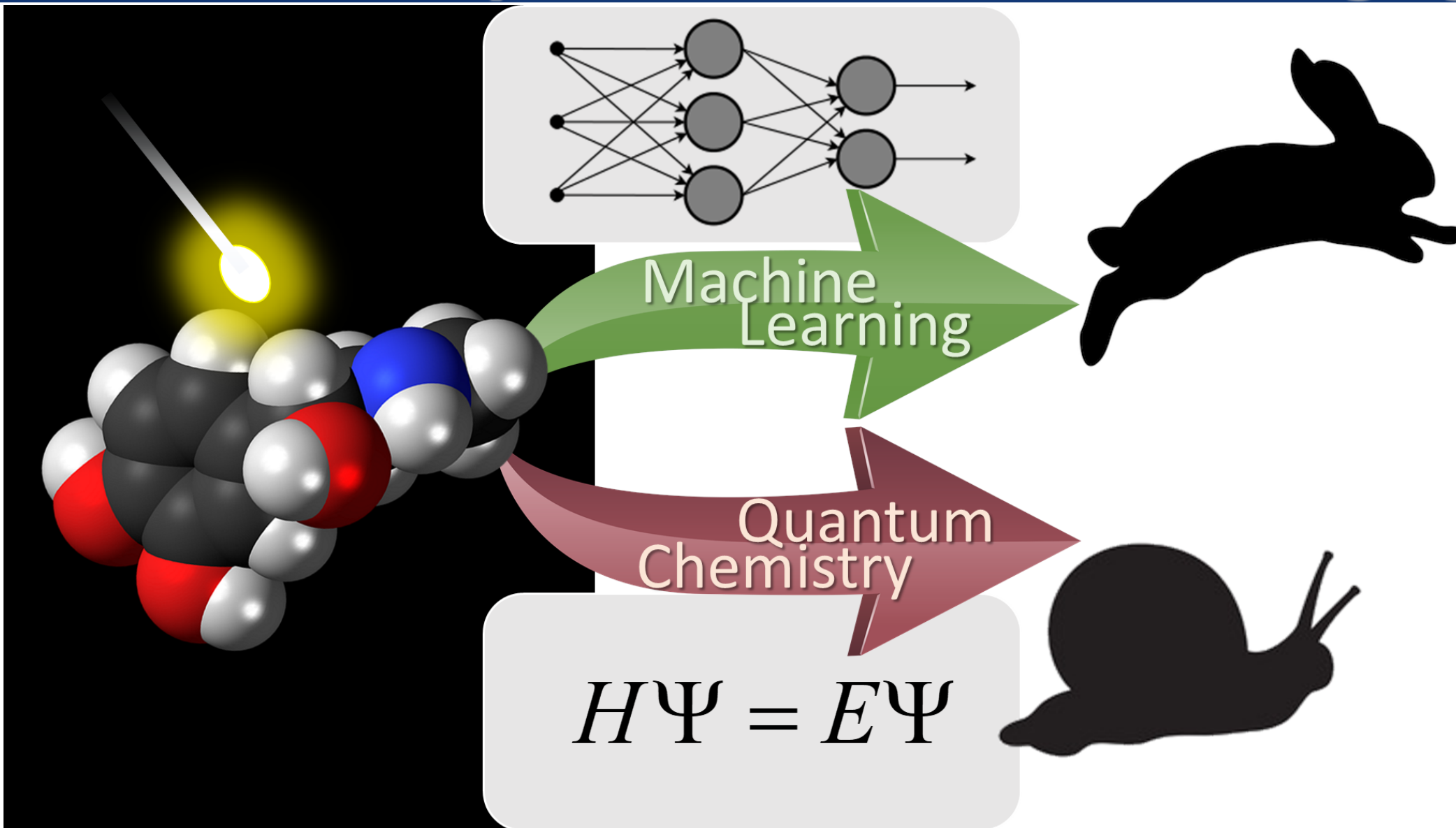


Small nuclear displacements change the wavefunction

Accurate simulations are as slow as a snail!



Why excited states are challenging



Conventional programming in quantum chemistry:

- Code for molecular orbitals
- Code for excitation energies
- Code for oscillator strengths
- ...

Machine learning (in principle – adaptations required!):

- The same code for all above

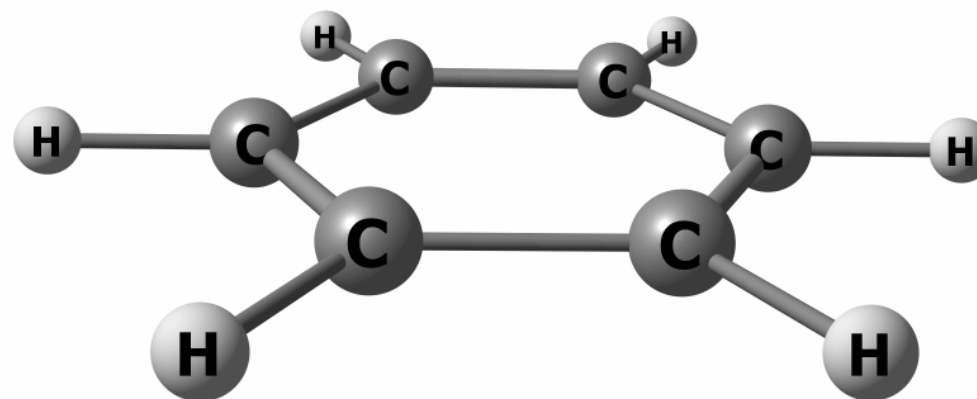
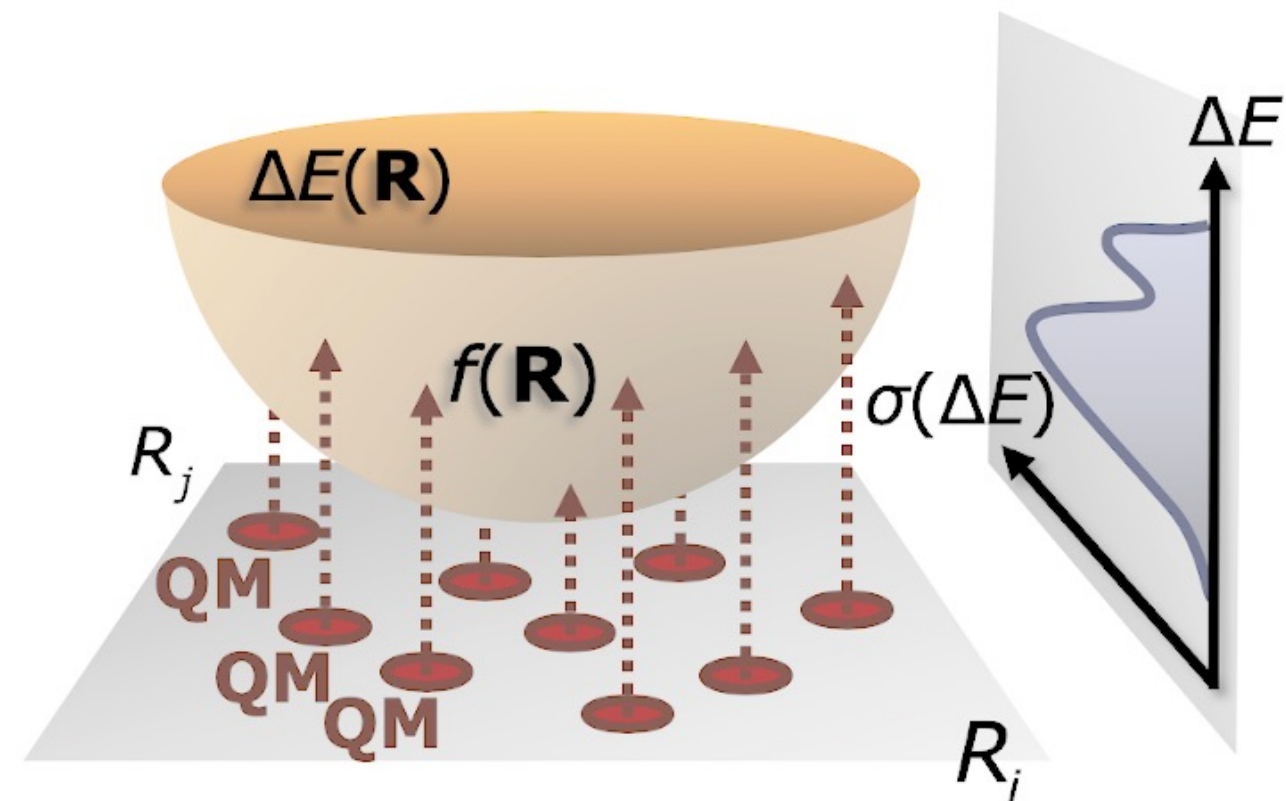
↑
MOs

↑
excitation energies

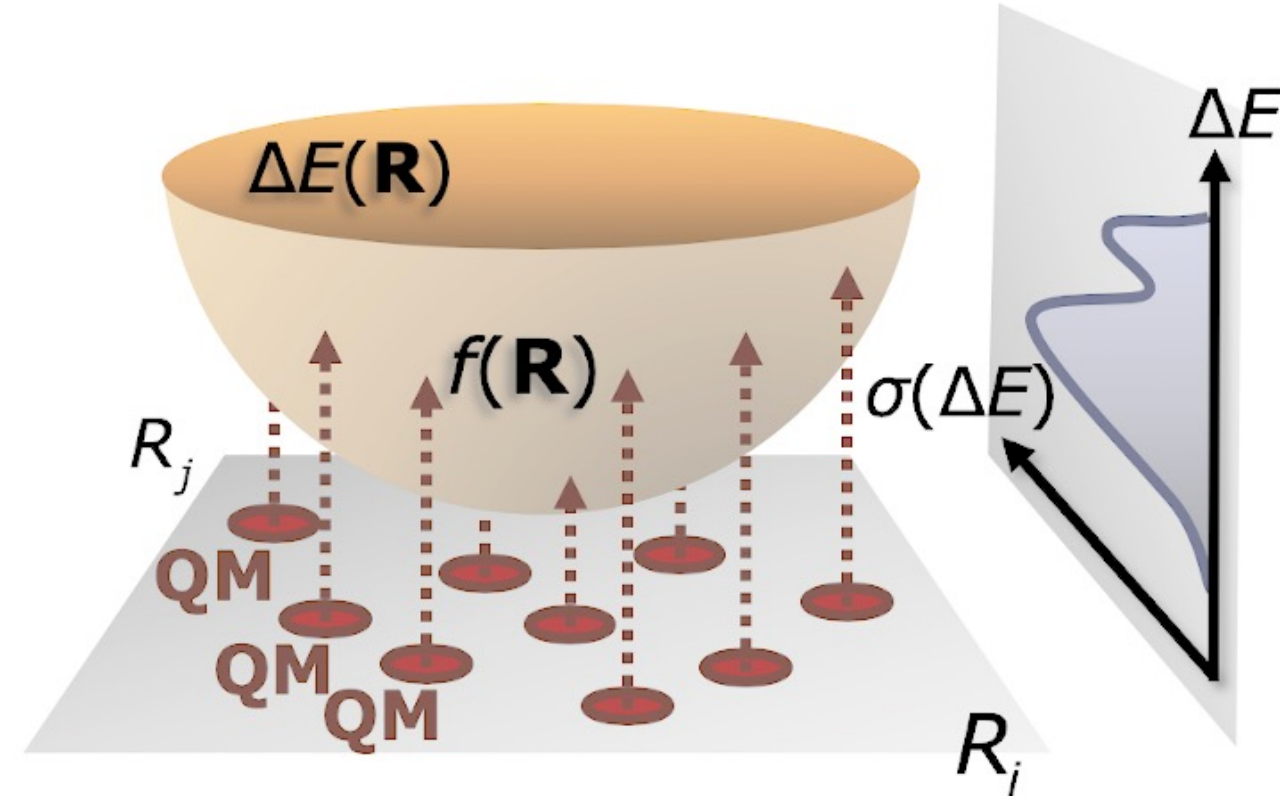
↑
Oscillator strength

Training data

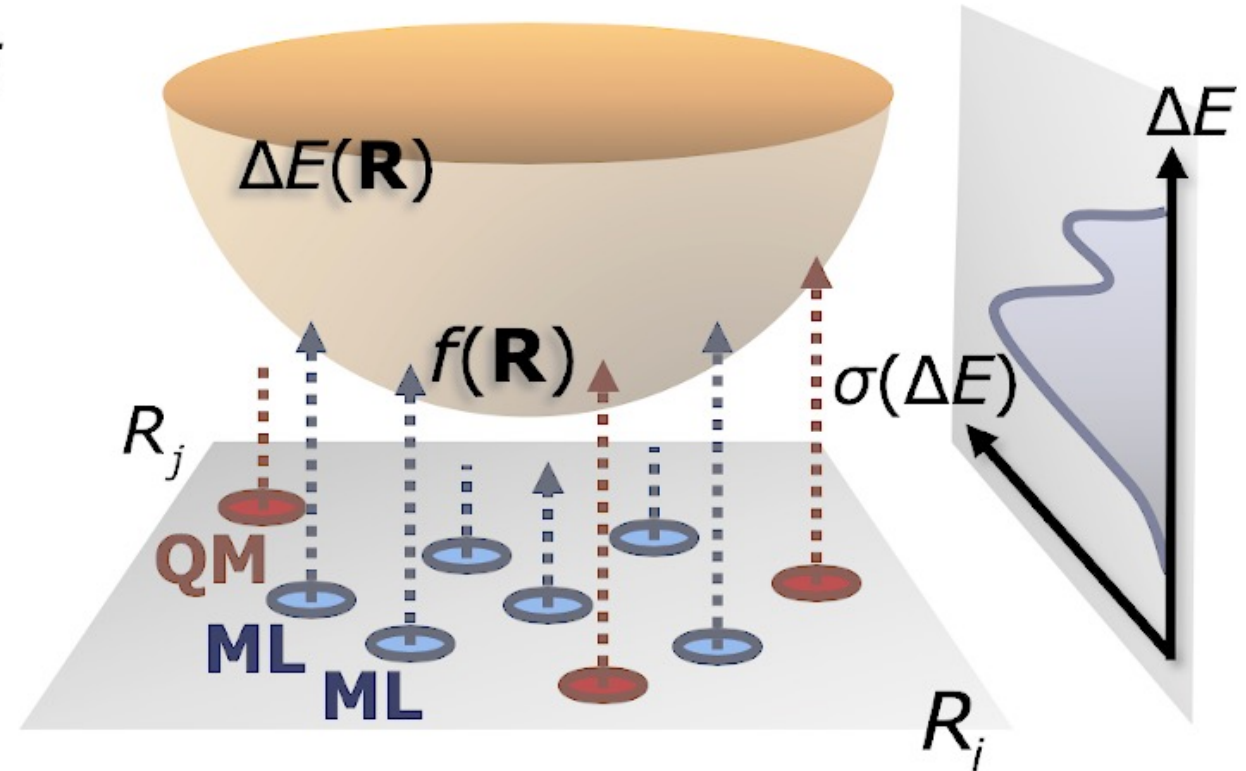
N QM calculations are needed to simulate spectrum



N QM calculations are needed to simulate spectrum



With ML, only $M \ll N$ QM calculations are needed



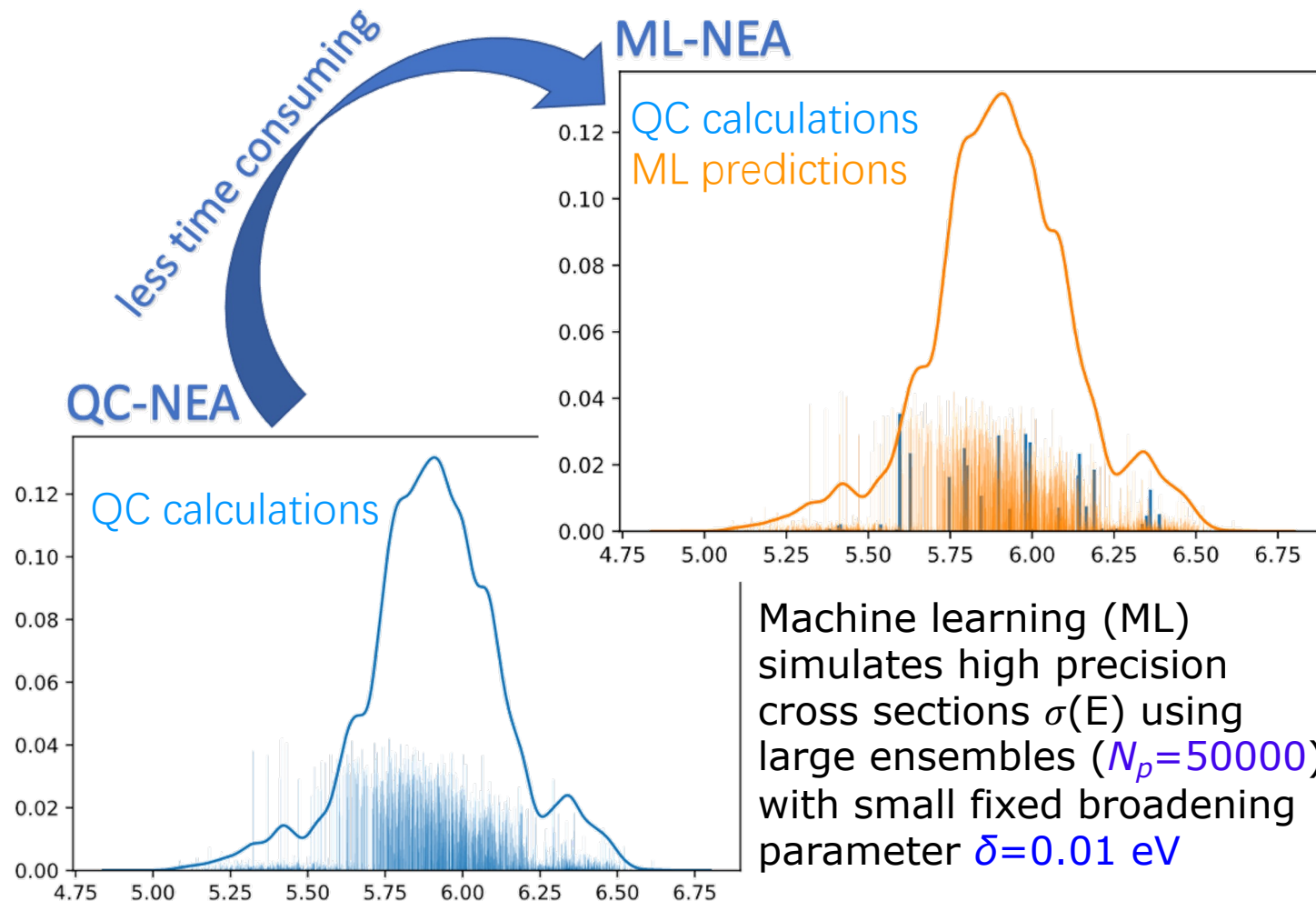
Learned properties:

- excitation energies

$$\Delta E_{0n}(\mathbf{x}_i)$$

- Oscillator strengths

$$f_{0n}(\mathbf{x}_i)$$



Machine learning (ML) simulates high precision cross sections $\sigma(E)$ using large ensembles ($N_p=50000$) with small fixed broadening parameter $\delta=0.01$ eV

$$\sigma(E) = \frac{\pi e^2 h}{2mc\epsilon_0 E} \sum_n \frac{1}{N_p} \sum_i \Delta E_{0n}(\mathbf{x}_i) f_{0n}(\mathbf{x}_i) \frac{1}{\sqrt{2\pi(\delta/2)^2}} \exp\left(-\frac{(E - \Delta E_{0n})^2}{2(\delta/2)^2}\right)$$

$$f(\mathbf{x}_i) = \sum_{j=1}^{N_{tr}} \alpha_j k(\mathbf{x}_i, \mathbf{x}_j)$$

$$k(\mathbf{x}_i, \mathbf{x}_j) = \exp\left(-\frac{1}{2\sigma^2} \sum_s^{N_x} (x_{i,s} - x_{j,s})^2\right)$$

$$x = \left(\dots \frac{Req}{R} \dots\right)^T$$

the Gaussian kernel function
(σ is the kernel width)

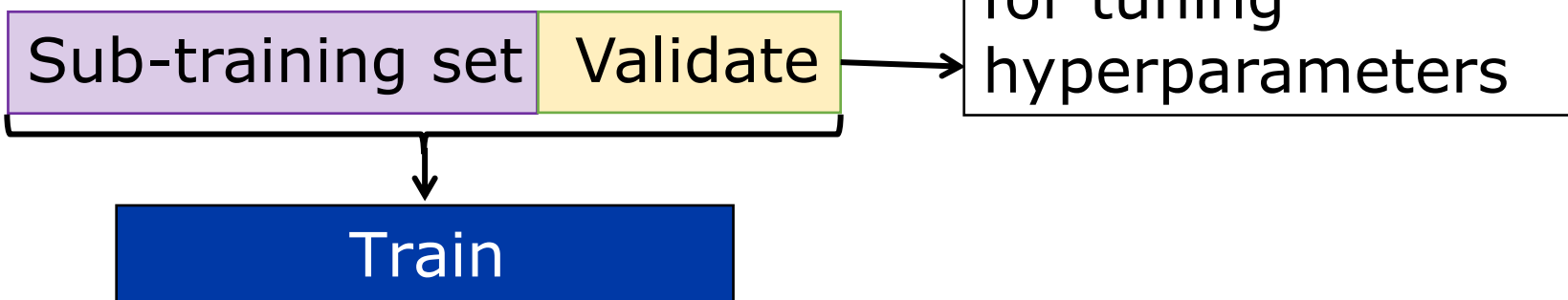
RE descriptor

Analytical solution for the regression coefficients α given N_{tr} training points

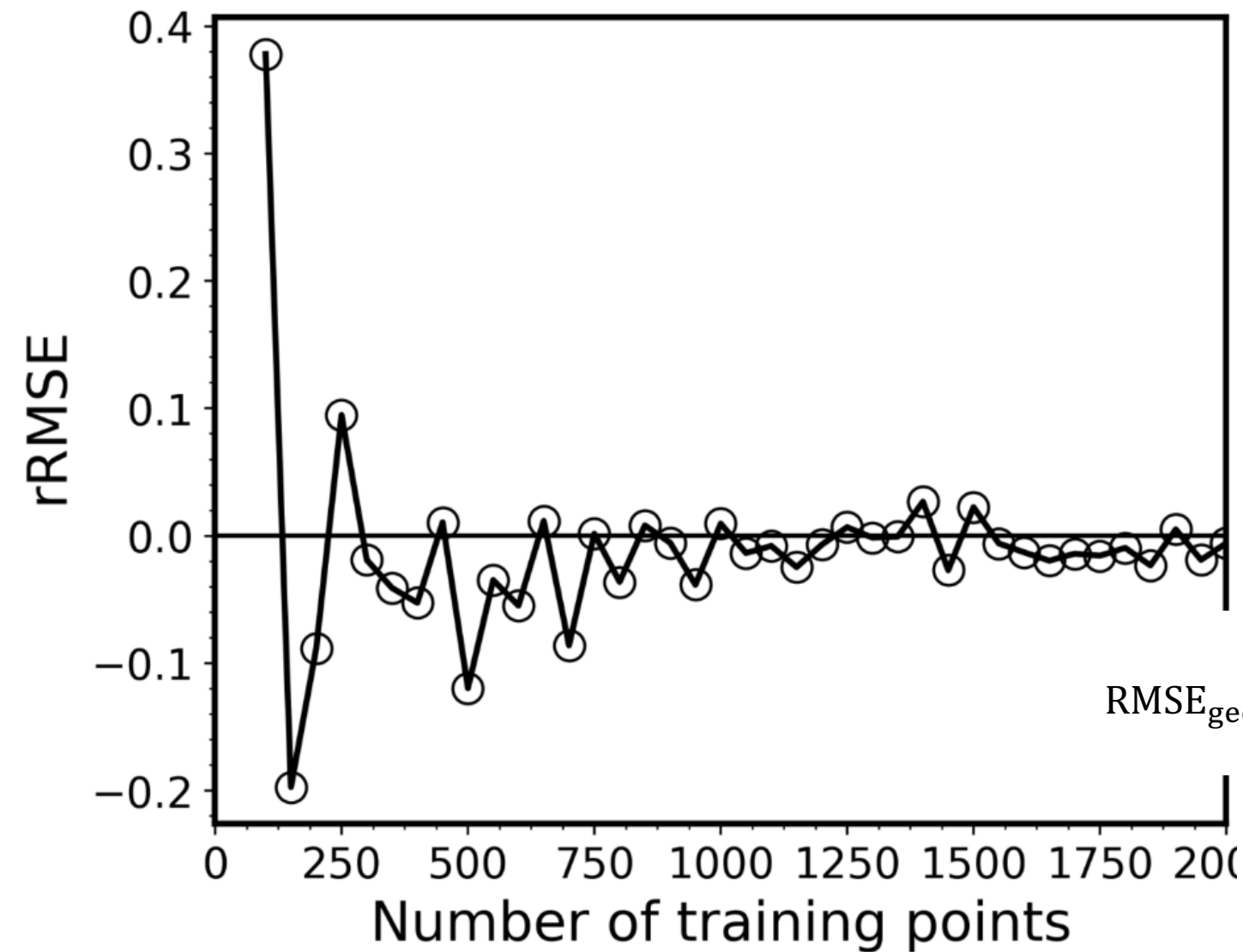
$$\begin{pmatrix} k(\mathbf{x}_1, \mathbf{x}_1) + \lambda & \dots & k(\mathbf{x}_1, \mathbf{x}_{N_{tr}}) \\ \vdots & \ddots & \vdots \\ k(\mathbf{x}_{N_{tr}}, \mathbf{x}_1) & \dots & k(\mathbf{x}_{N_{tr}}, \mathbf{x}_{N_{tr}}) + \lambda \end{pmatrix} \begin{pmatrix} \alpha_1 \\ \vdots \\ \alpha_{N_{tr}} \end{pmatrix} = \begin{pmatrix} y_1 \\ \vdots \\ y_{N_{tr}} \end{pmatrix}$$

λ is the regularization parameter ensuring transferability

$$(\mathbf{K} + \lambda \mathbf{I})\alpha = \mathbf{y}$$



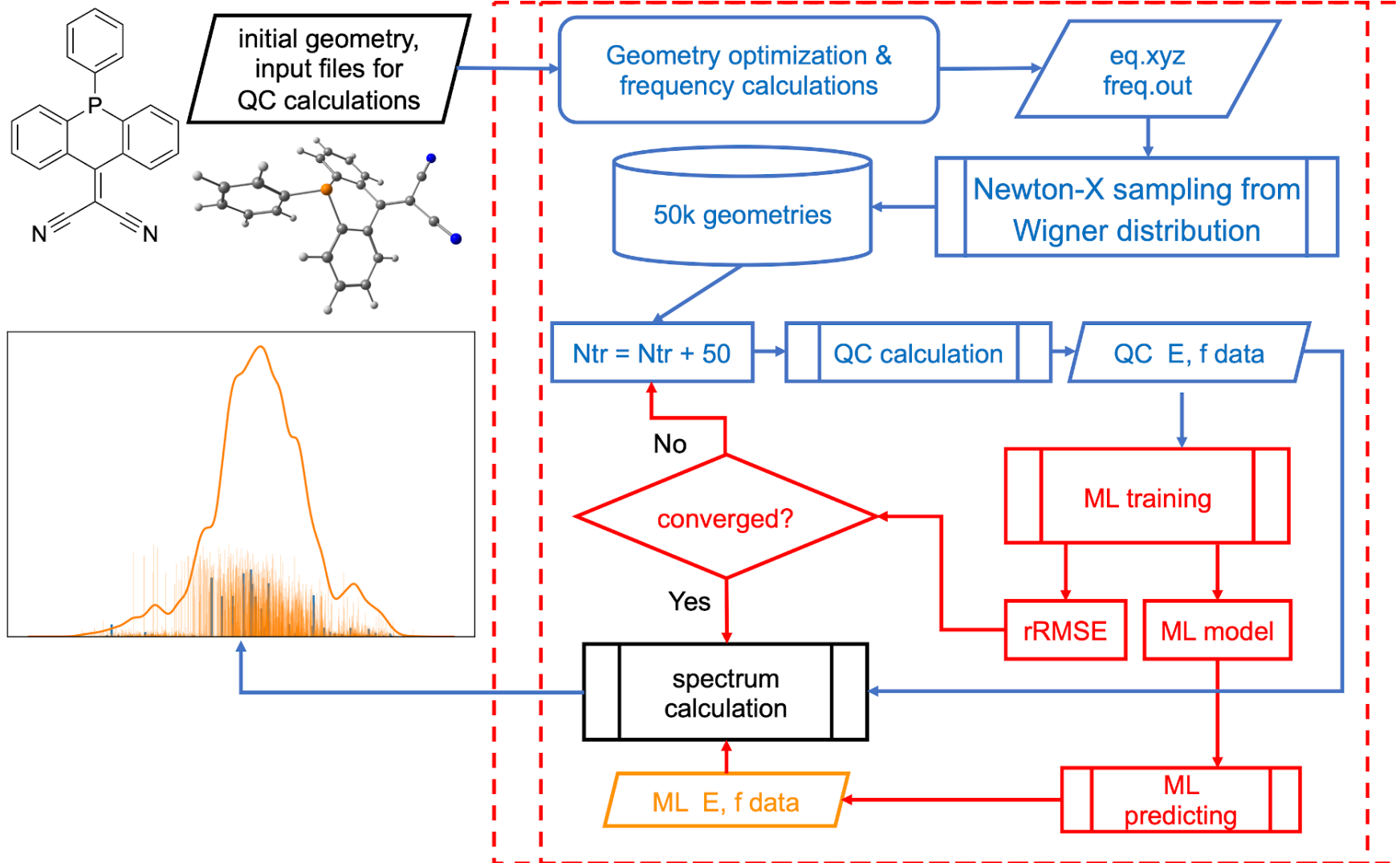
The **KREG** model (**K**ernel ridge regression [KRR] with **RE** descriptor and the **G**aussian kernel function; RE descriptor stands for Internuclear distances **Relative to Equilibrium**) to complete all the ML tasks.



Optimal number of training points can be determined automatically using iterative procedure that stops after the relative change in ML validation errors drops below the threshold (typically rRMSE < 0.1).

$$rRMSE = \frac{RMSE_{geom}(N_{tr}) - RMSE_{geom}(N_{tr} - N_{step})}{RMSE_{geom}(N_{tr})}$$

$$RMSE_{geom}(N_{tr}) = \sqrt[2N_s]{\prod_{i=1}^{N_s} RMSE_{\Delta E_{0n}}(N_{tr}) \cdot RMSE_{f_{0n}}(N_{tr})}$$



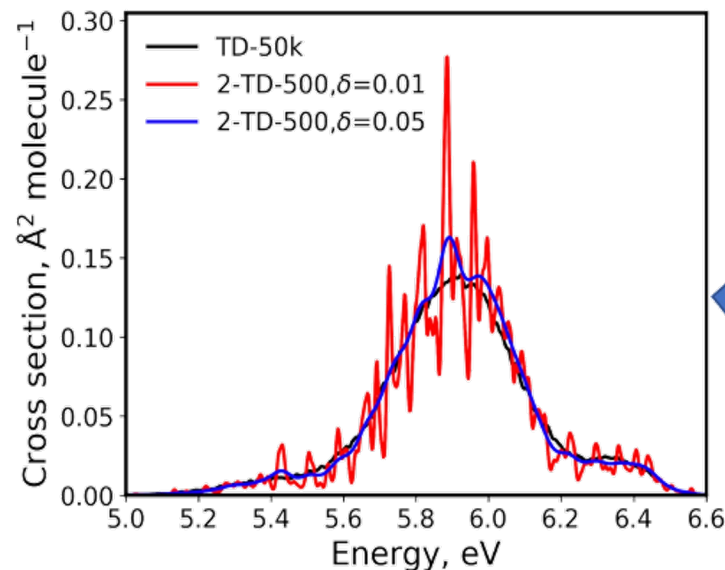
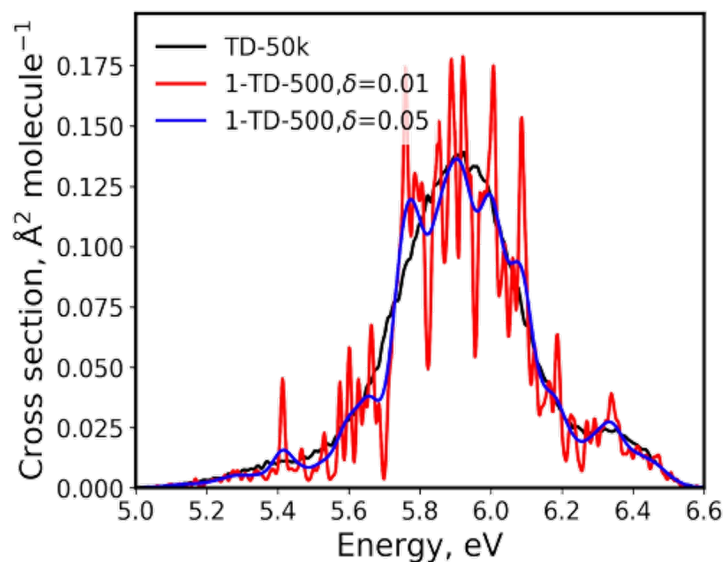
Mario
Barbatti



Bao-Xin
Xue

ML-NEA method: B.-X. Xue, P. O. Dral, M. Barbatti, *J. Phys. Chem. A* **2020**, *124*, 7199–7210
 Implementation in MLatom: P. O. Dral, F. Ge, B.-X. Xue, Y.-F. Hou, M. Pinheiro Jr, J. Huang, M. Barbatti,
Top. Curr. Chem., **2021**, *379*, 27

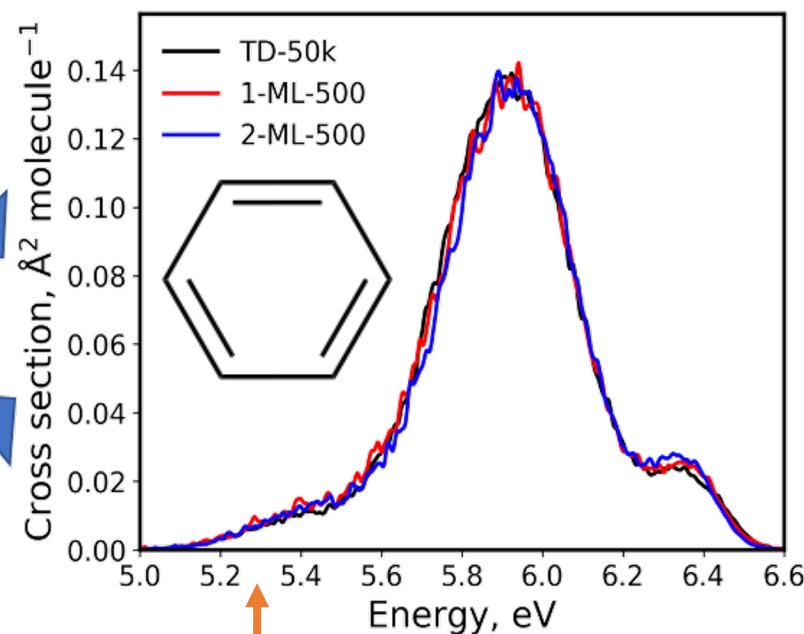
High-precision spectra of benzene



Two different mesium-sized ensembles of the same size (500 points) sampled from a Wigner distribution give very different spectra at QC level

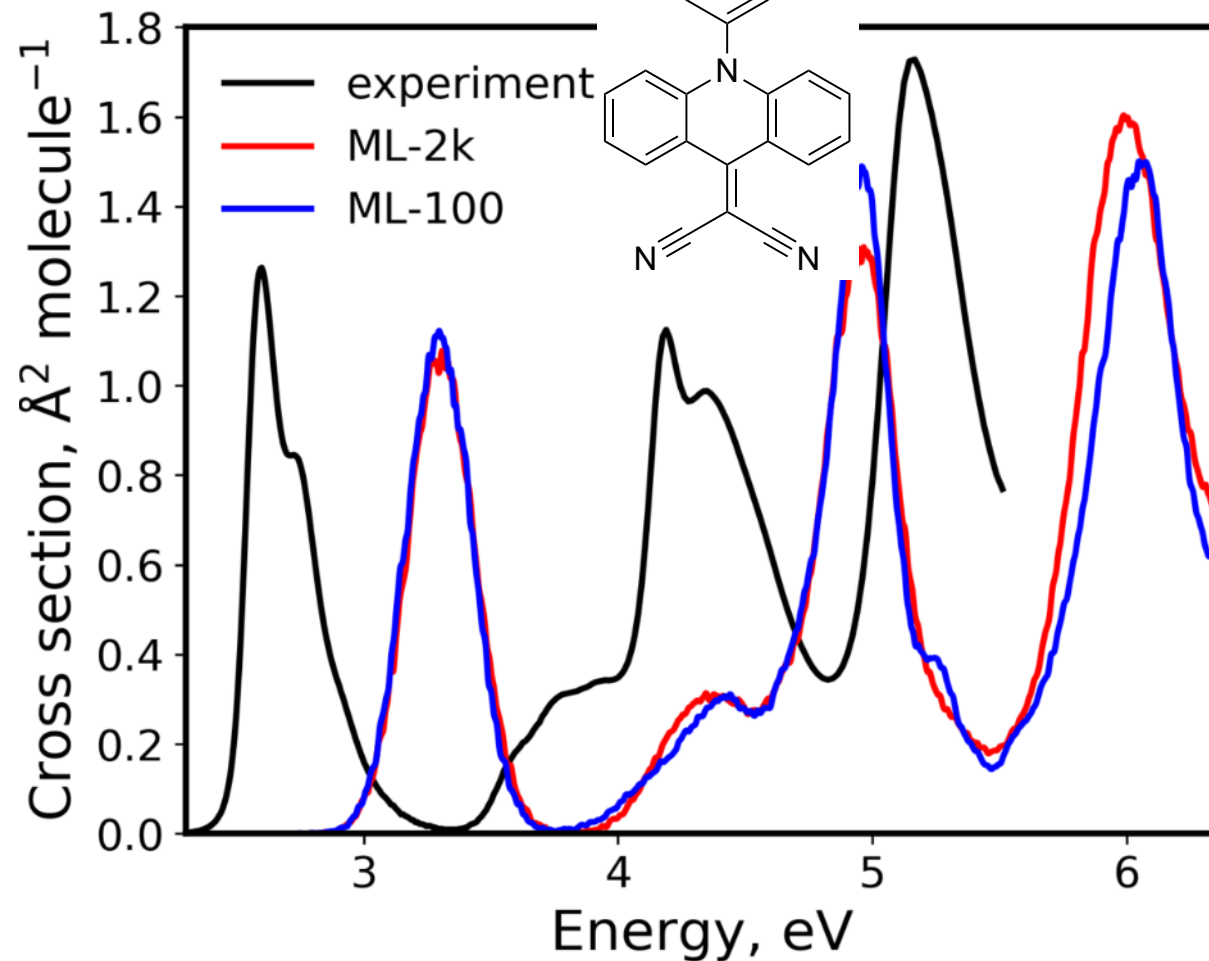
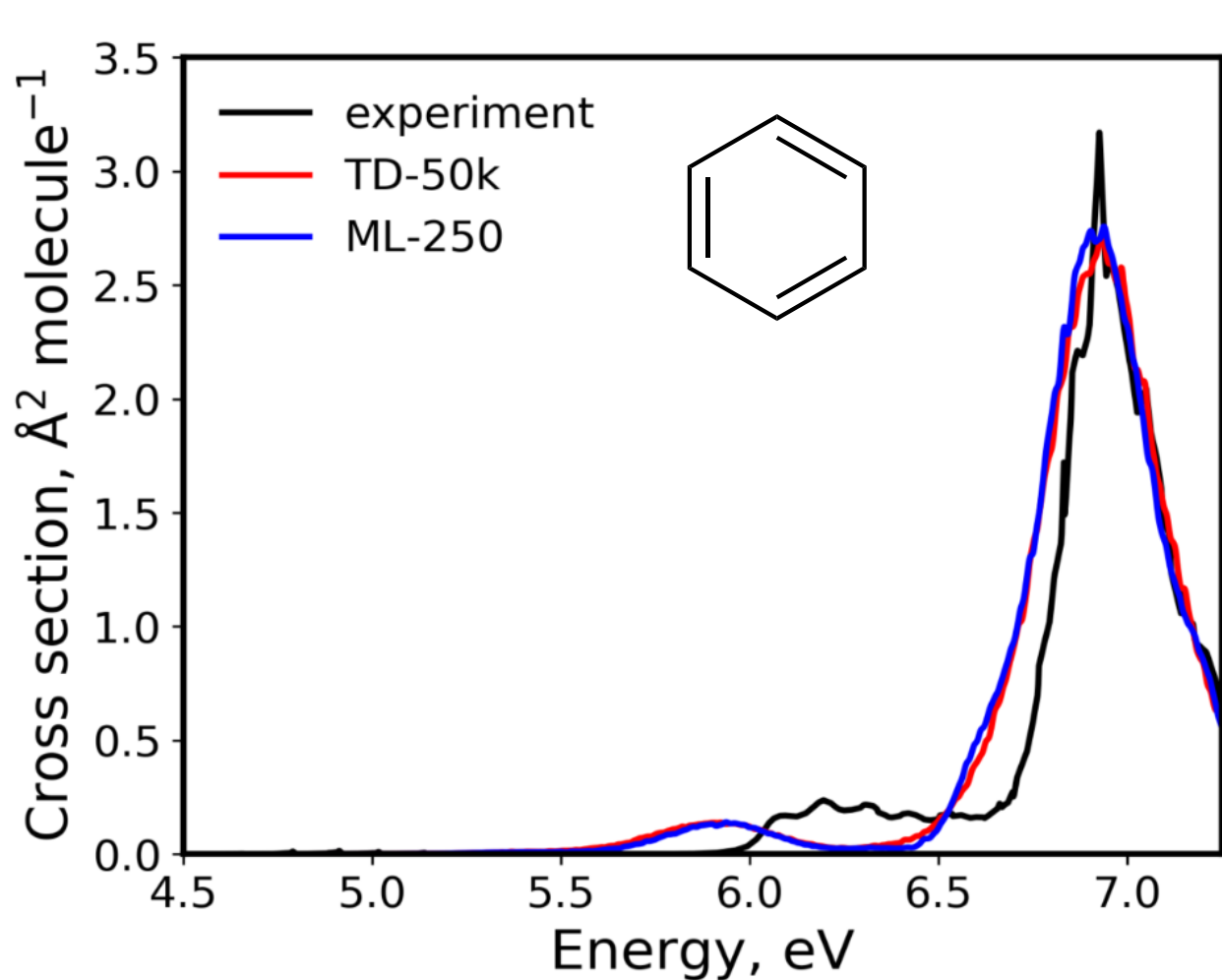
train & predict

train & predict

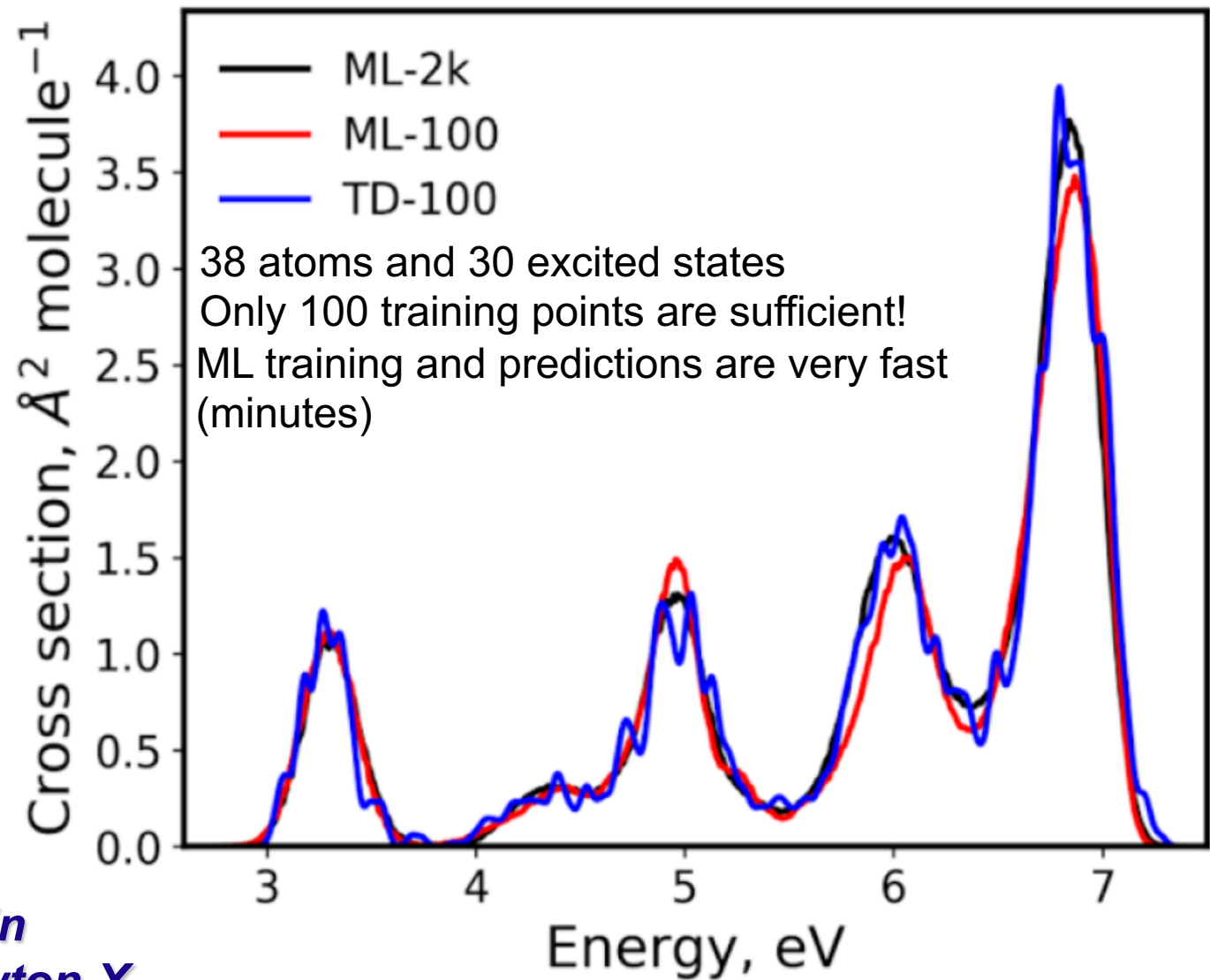
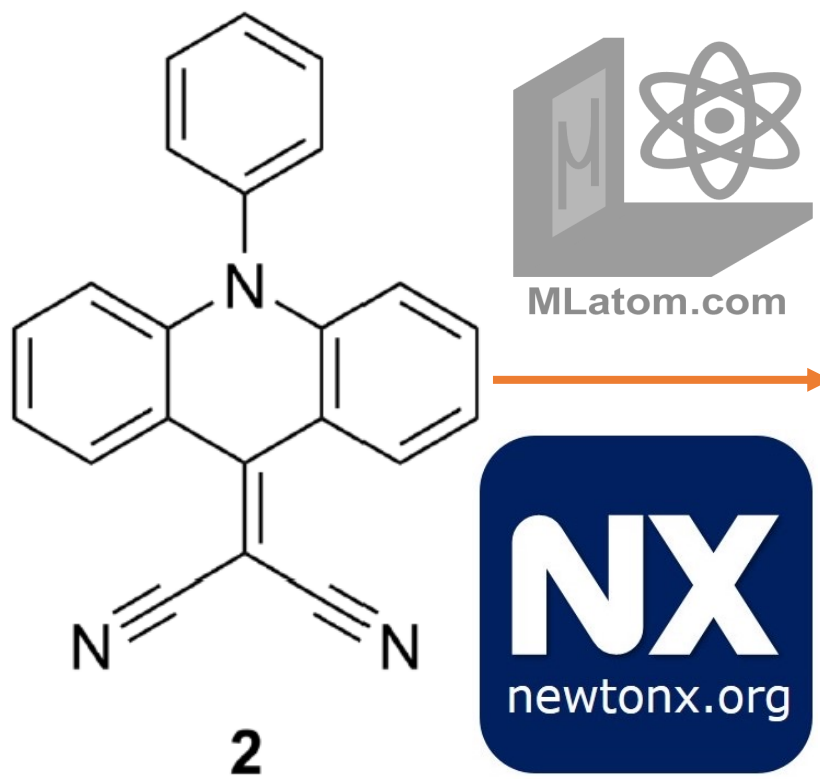


ML trained on both QC ensembles considerably improves precision of spectra that are very similar to each other

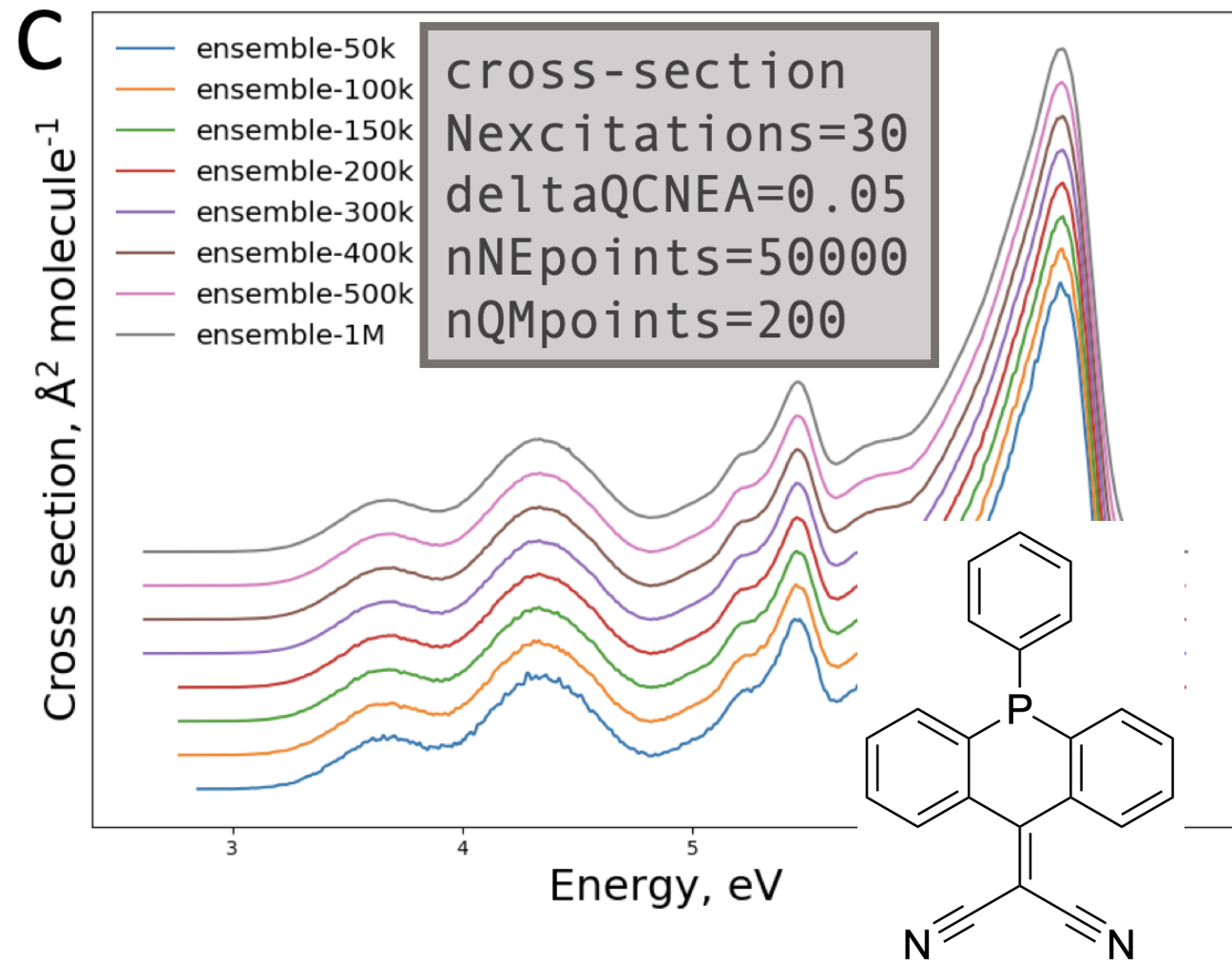
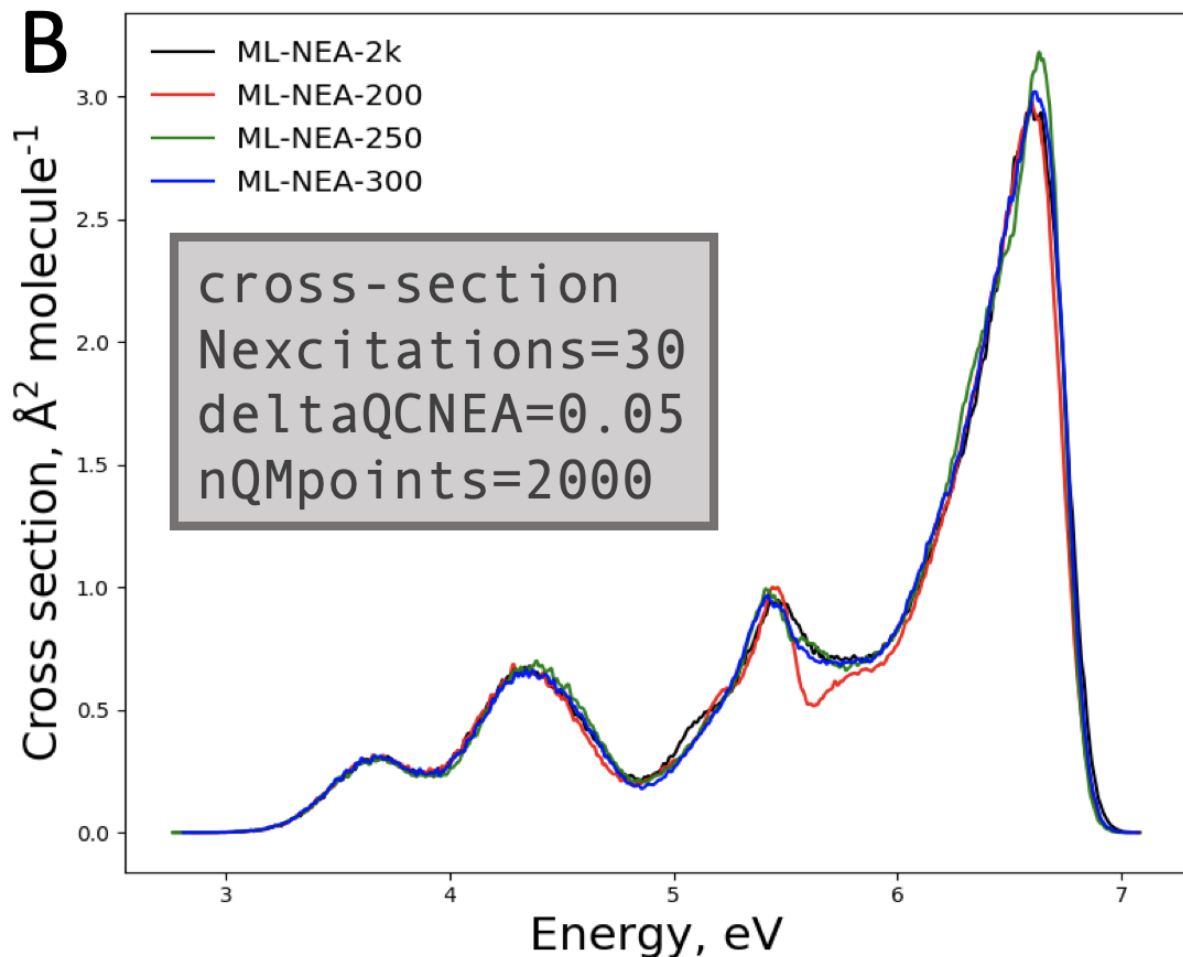
The error of ML vs reference QM is smaller than the error of QM vs experiment



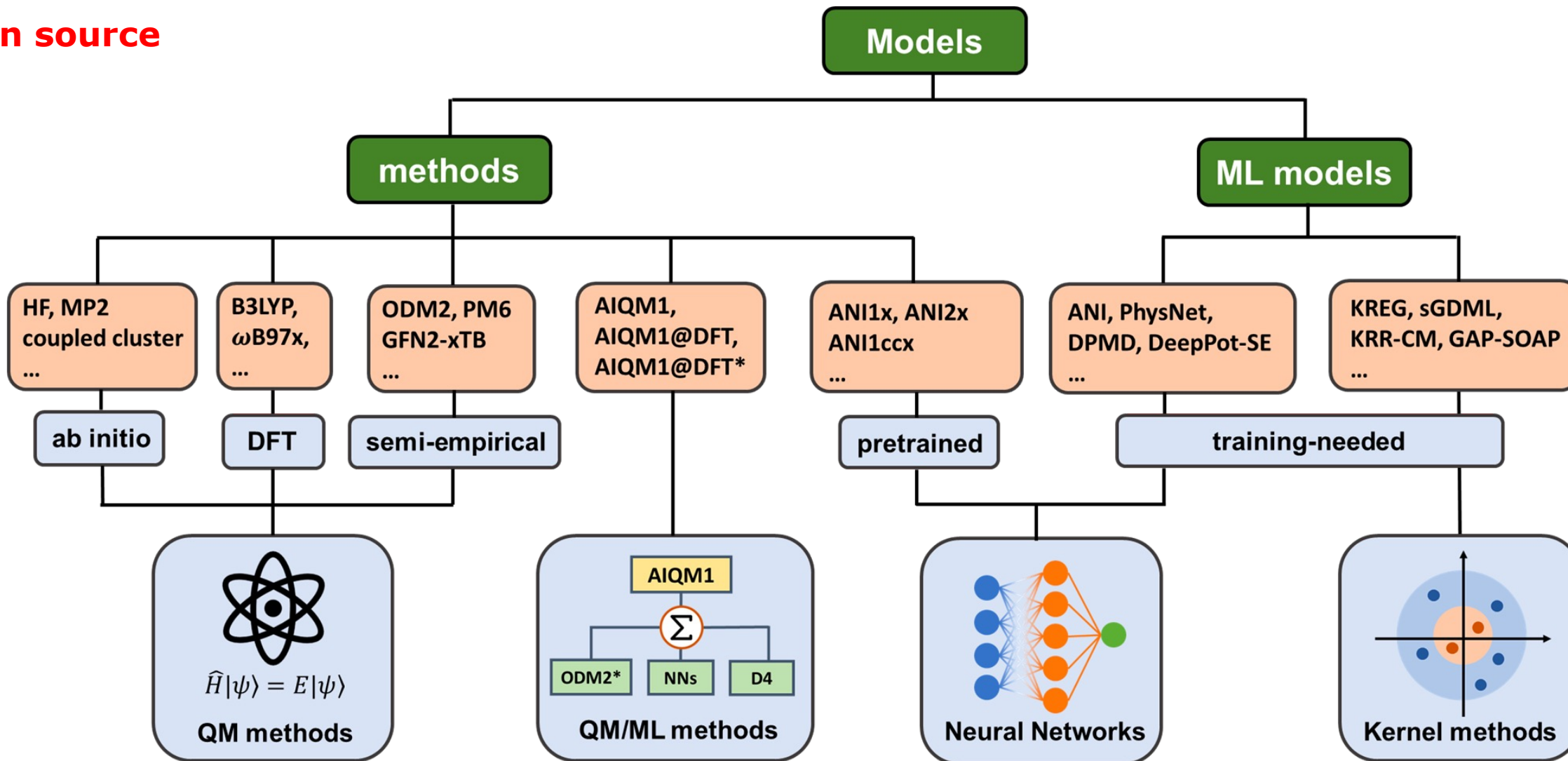
Black-box implementation into MLatom



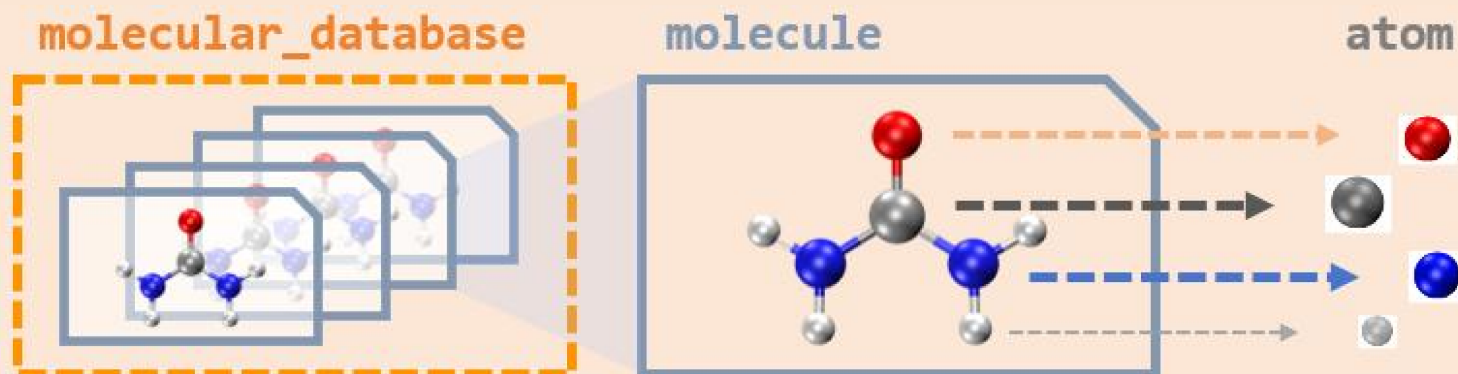
ML-NEA is available in MLatom interfaced to Newton-X



Open source

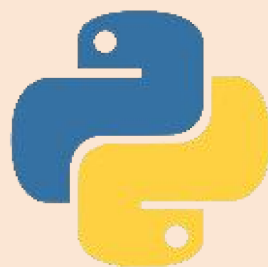


- Data in different formats and types **V3**



- Python API **V3**

```
import mlatom as ml
```



- Input file

```
ANI-1ccx
geomopt
xyzfile=init.xyz
optxyz=opt.xyz
```

- Command line

```
> $mlatom ANI-1ccx geomopt xyzfile=init.xyz optxyz=opt.xyz
```

* 'V3' marks implementations released in MLatom 3

Extras!

MLQD

A Package for Quantum
Dissipative Dynamics with
Machine Learning
by Arif Ullah, Anhui University

[MLQD: A. Ullah, P. O. Dral.
Comput. Phys. Commun. **2024**,
294, 108940]



Quantum chemical programs:



Gaussian

PySCF

GAMESS



ORCA

Interfaces

Semi-empirical quantum chemical programs:



MNDO

Machine learning programs:

PhysNet

GAP

TORCHANI



SGOML

hyperopt

Dynamics and other atomistic simulation:

ASE





XACS

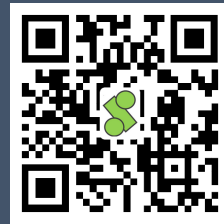
Xiamen Atomistic
Computing Suite

XMVB

XEDA

MLatom

Cloud computing (free!)



XACScloud.com

- *Ab initio* valence bond calculations
(**VBSCF**, **VBCI**, **BOVB**, ...)
- Generalized Kohn–Sham energy decomposition analysis
(**GKS-EDA**)
- Artificial intelligence-enhanced quantum mechanical method 1
(**AIQM1**, faster and more accurate than B3LYP)
- Fast geometry optimization, MD, thermochemistry
- ... and much more

Principal investigators (Xiamen University)

- Wei Wu
- Peifeng Su
- Pavlo O. Dral

Partners

- Mario Barbatti, Aix Marseille University
- Benoît Braïda, Sorbonne Université
- Philippe Hiberty, University of Paris-Saclay
- Olexandr Isayev, Carnegie Mellon University
- Yirong Mo, UNC Greensboro
- Sason Shaik, Hebrew University
- Avital Shurki, Hebrew University
- Cheng Wang, Xiamen University

Interfaces

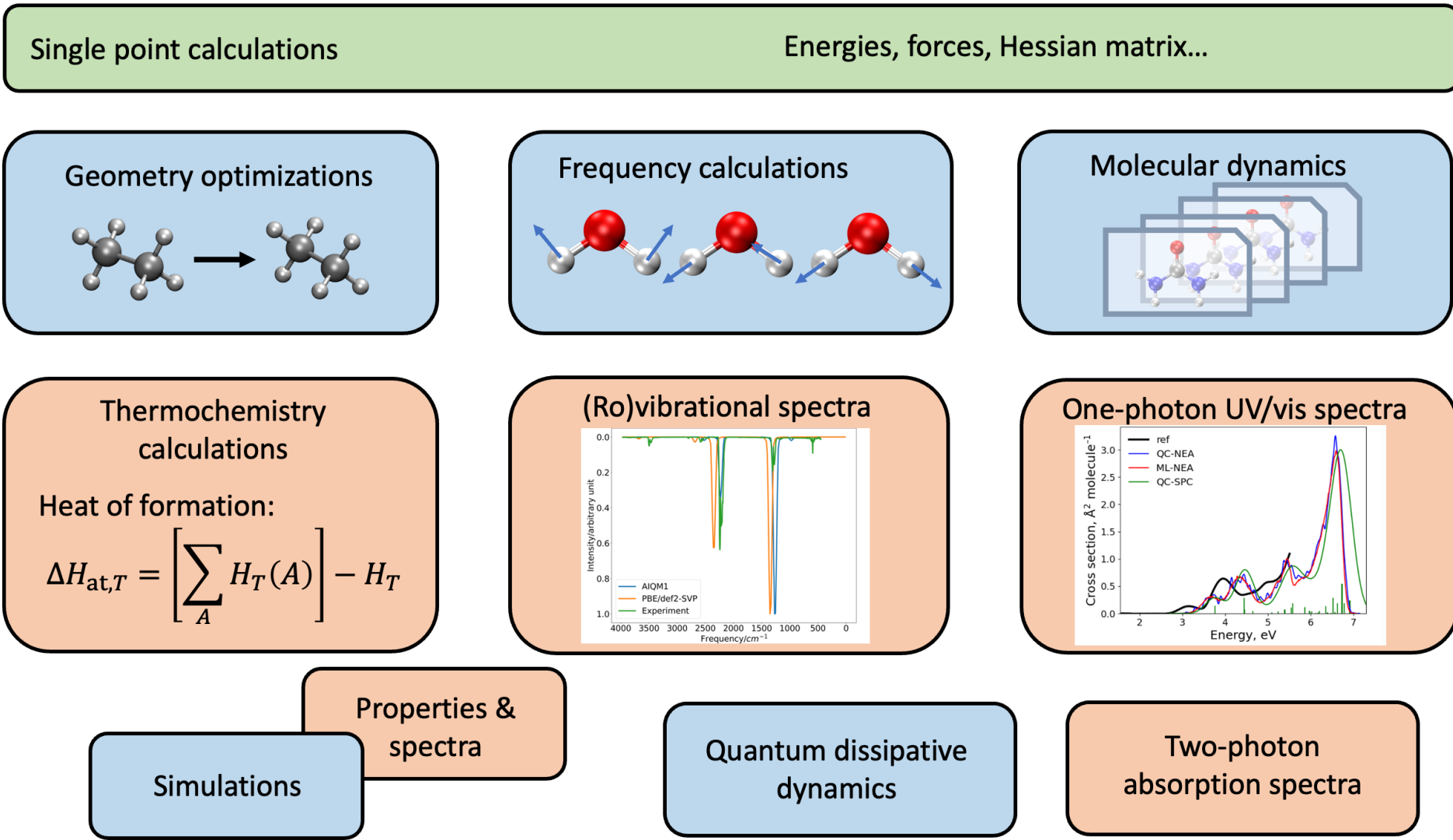
TORCHANI

SPARROW 

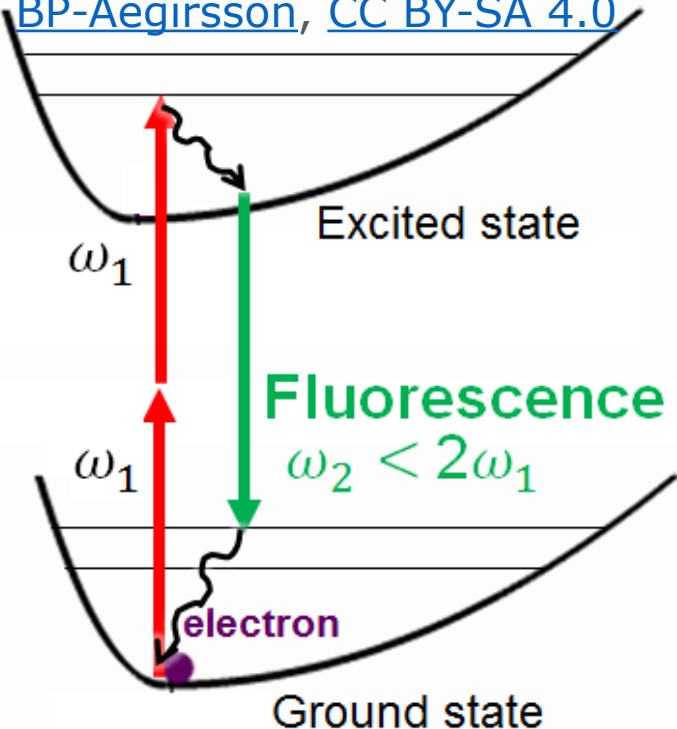
ASE hyperopt



Open source

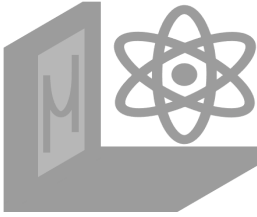


BP-Aegirsson, CC BY-SA 4.0




Here we show how to calculate TPA cross section for RHODAMINE 6G and RHODAMINE 123 molecules with MLatom input file `mltpa.inp`:

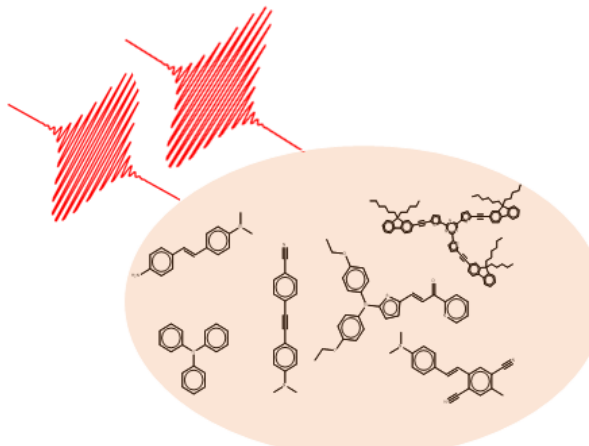
```
MLTPA
SMILESfile=Smiles.csv
auxfile=_aux.txt
```



MLatom.com



XACS



This input requires `Smiles.csv` file with SMILES of molecules:

```
CCNC1=CC2=C(C=C1C)C(=C3C=C(C(=[NH+]CC)C=C3O2)C)C4=CC=CC=C4C(=O)OCC.[Cl-]
COC(=O)C1=CC=CC=C1C2=C3C=CC(=N)C=C3OC4=C2C=CC(=C4)N.Cl
```

Two-photon absorption applications:

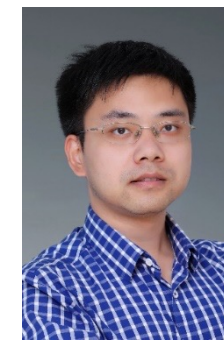
- two-photon lithography
- Photodynamic therapy
- Bioimaging
- 3D printing
- Upconverted laser



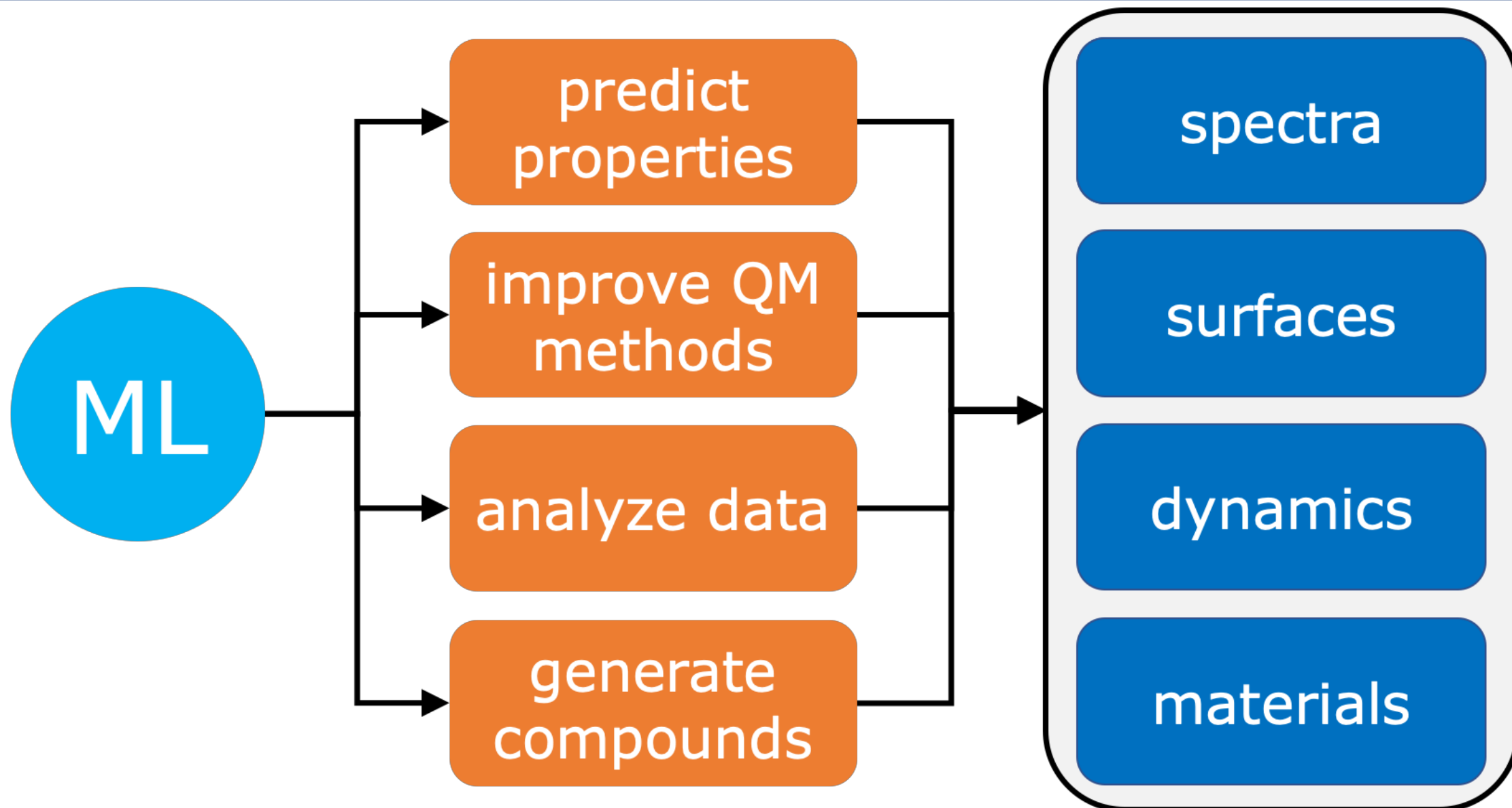
Yuming Su



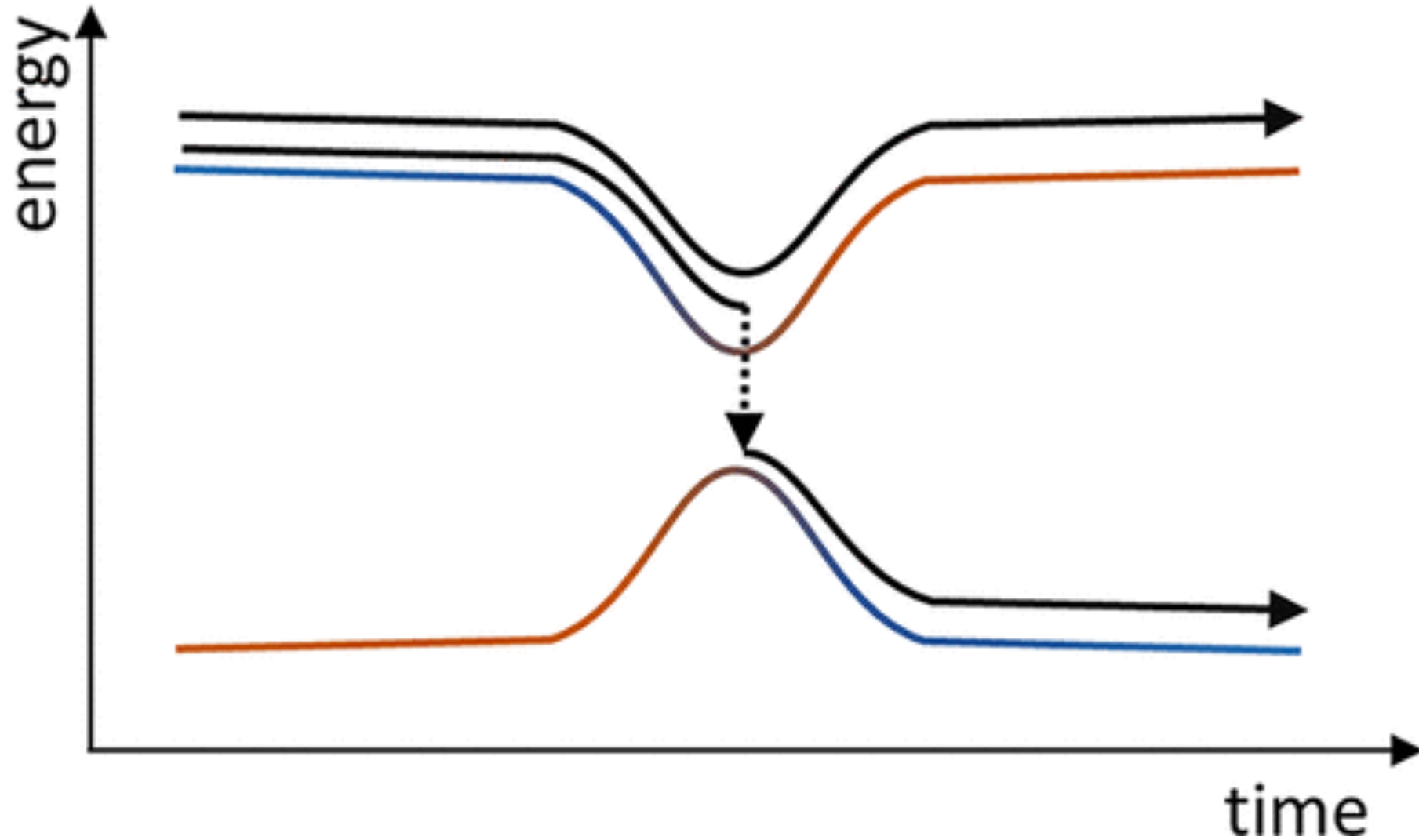
Zhou Da



Cheng Wang



Surface Hopping



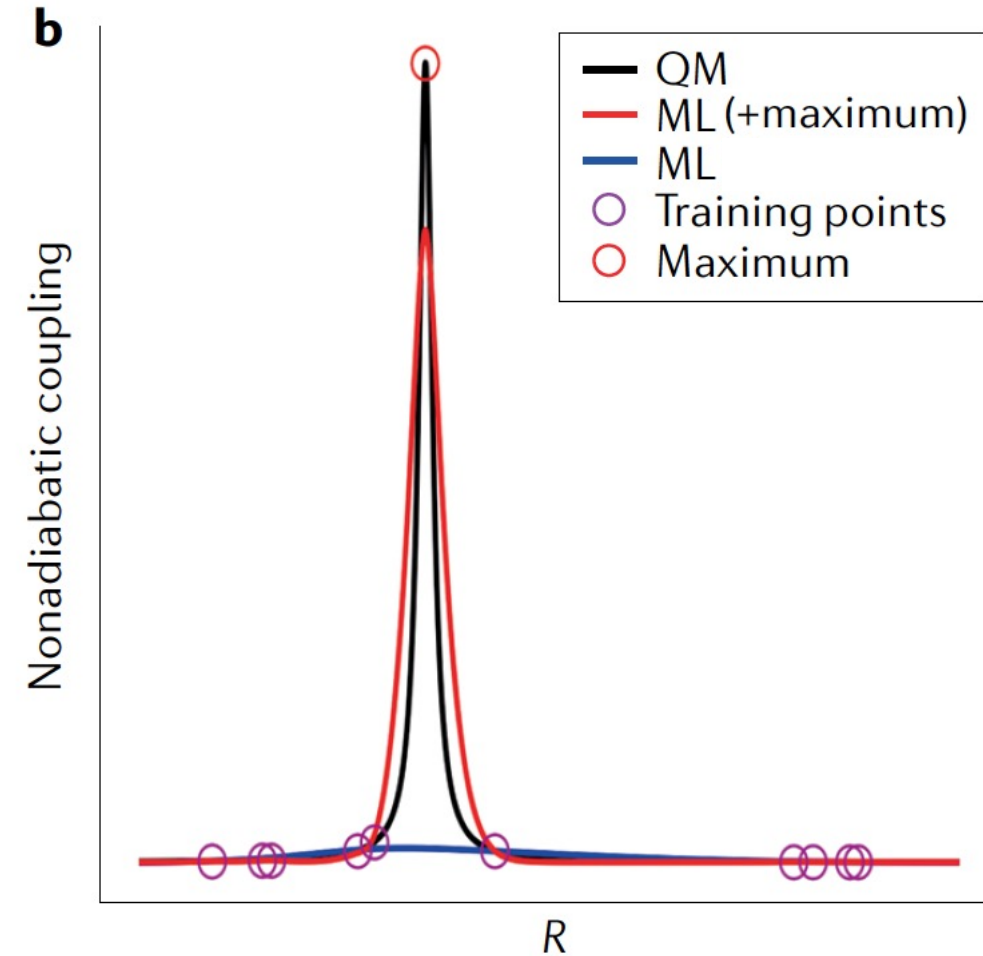
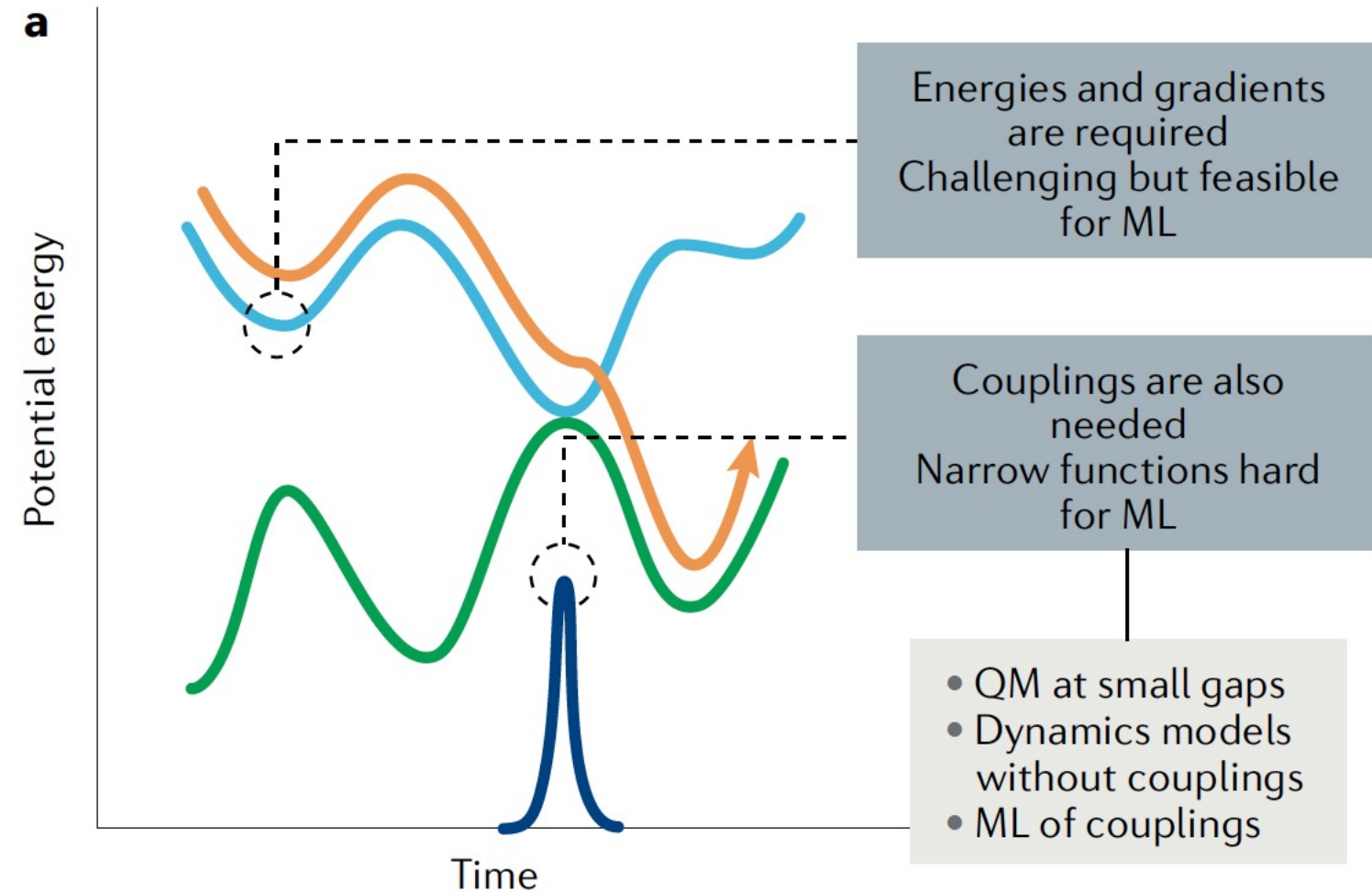
Typical nonadiabatic excited-state simulations:

- 100 trajectories
- for 1 ps = 1000 fs
- 0.5 fs time step

Number of QM calculations:

- 2000 per trajectory
- 200 000 in total

Why ML-TSH is challenging



+ phase problem

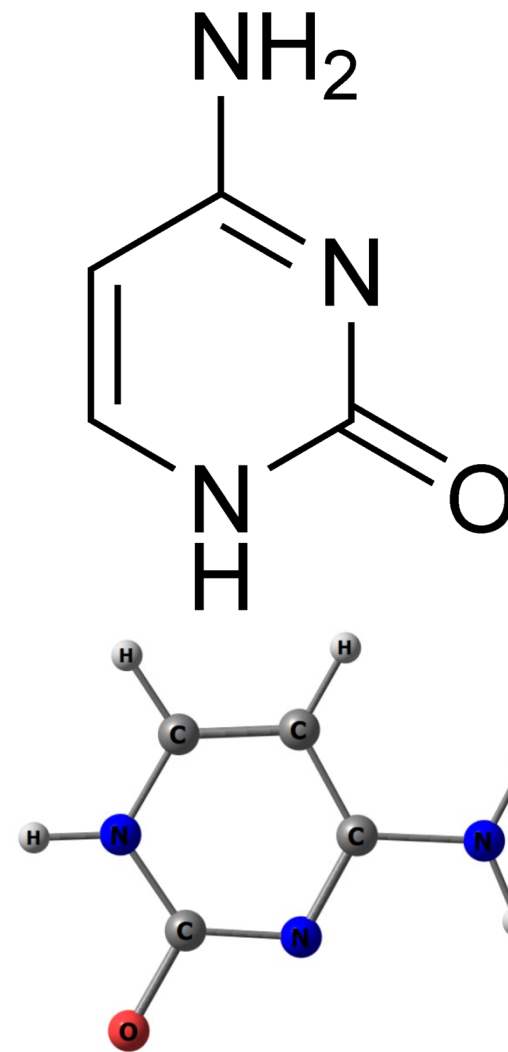
33-D A-SBH inspired by cytosine

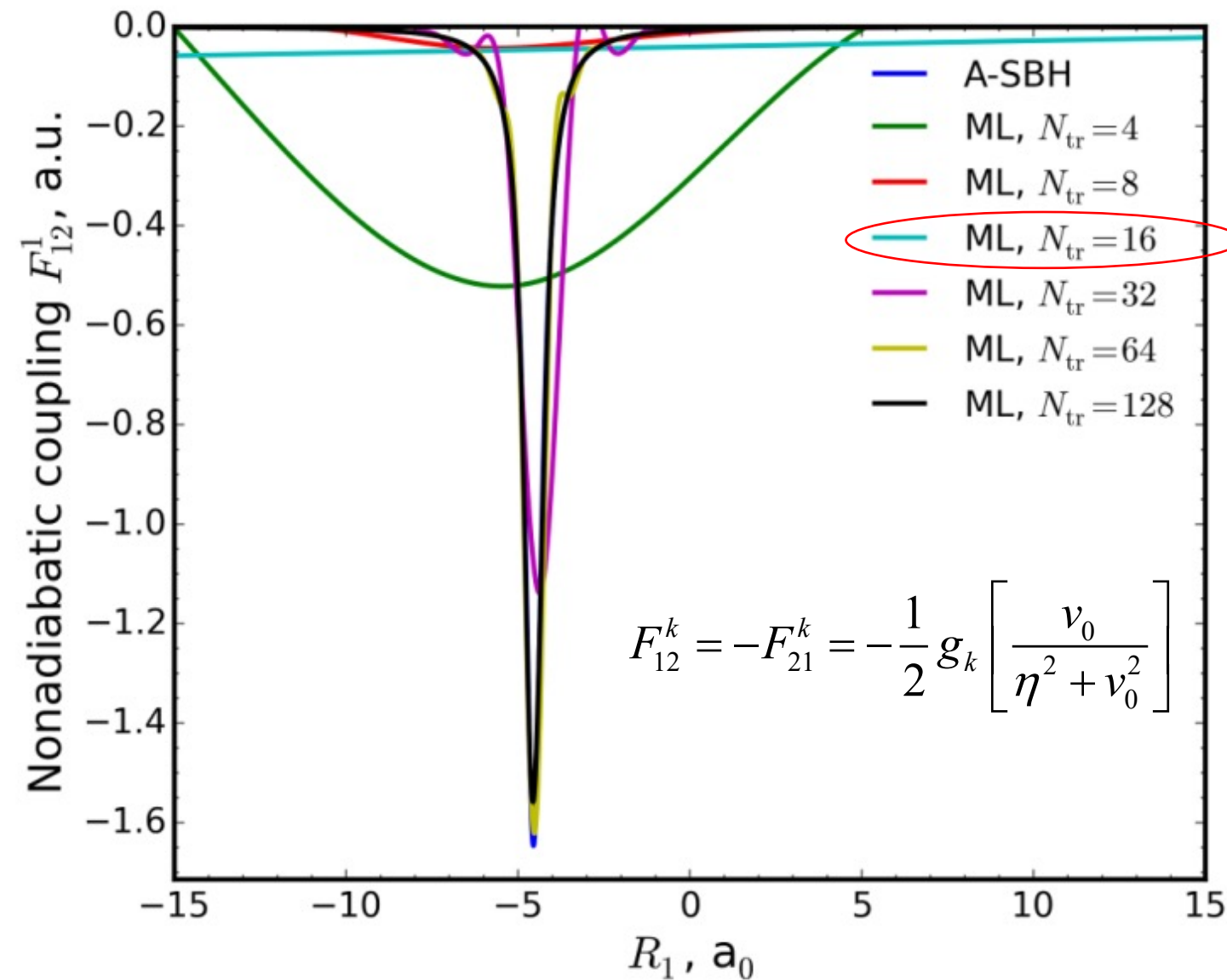
$$H = H_s + H_b + H_{sb}$$

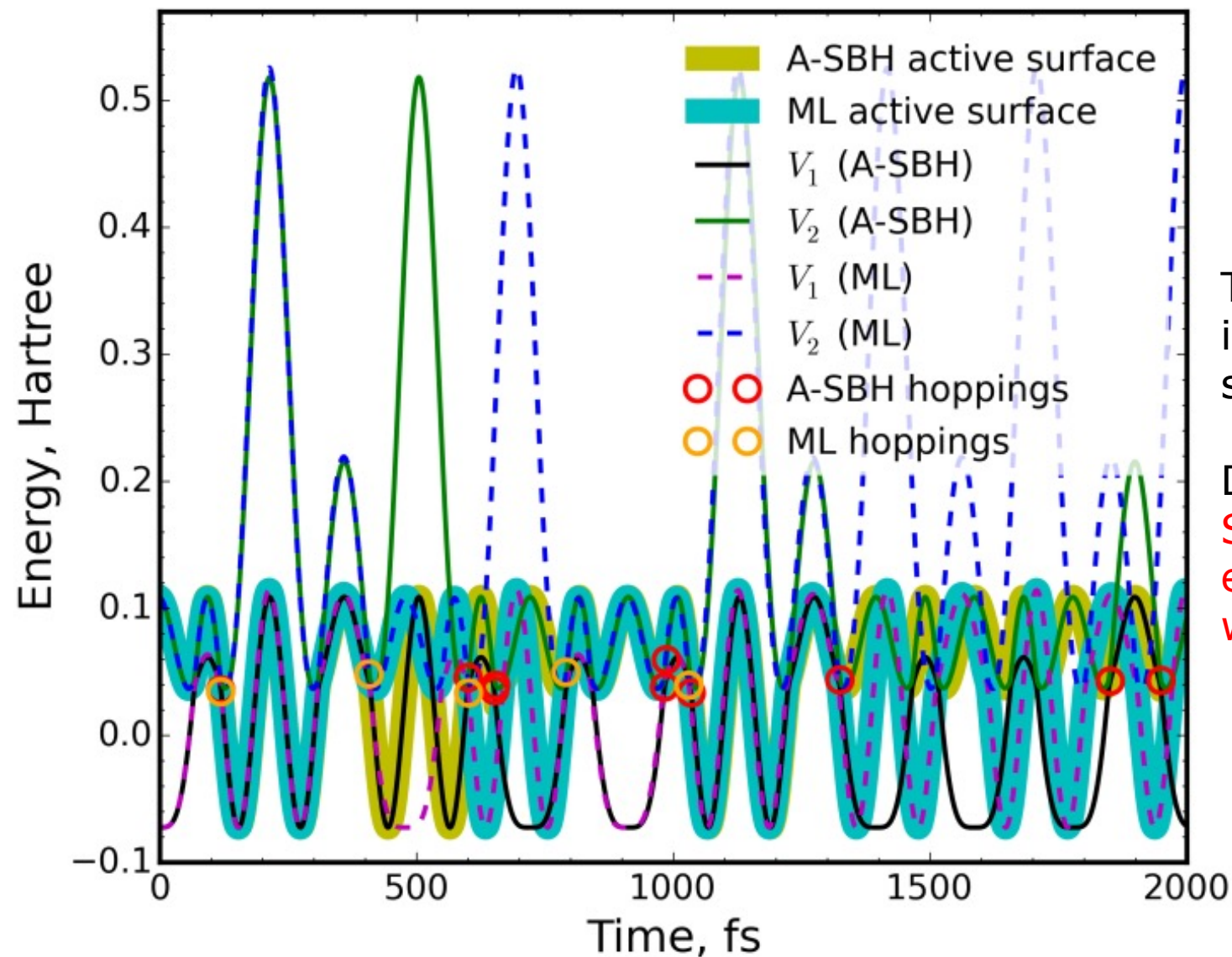
$$V_J = \frac{1}{2} \sum_{k=1}^N M_k \omega_k^2 R_k^2 + (-1)^J [\eta^2 + v_0^2]^{1/2}, \quad (J = 1, 2)$$

$$\frac{\partial V_J}{\partial R_k} = M_k \omega_k^2 R_k + (-1)^J g_k \left[\frac{\eta}{[\eta^2 + v_0^2]^{1/2}} \right]$$

$$\eta = \left(\sum_{k=1}^N g_k R_k + \varepsilon_0 \right)$$

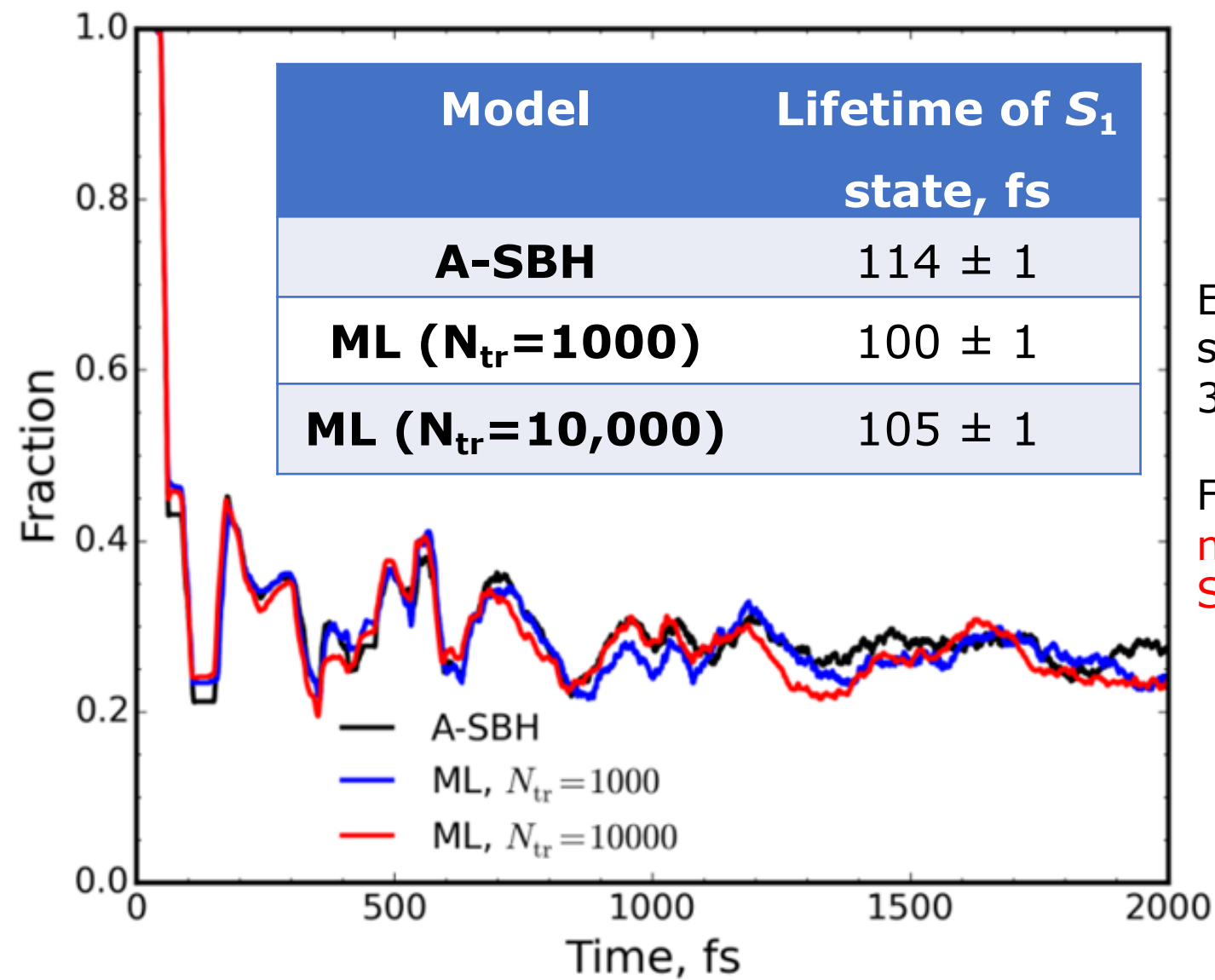






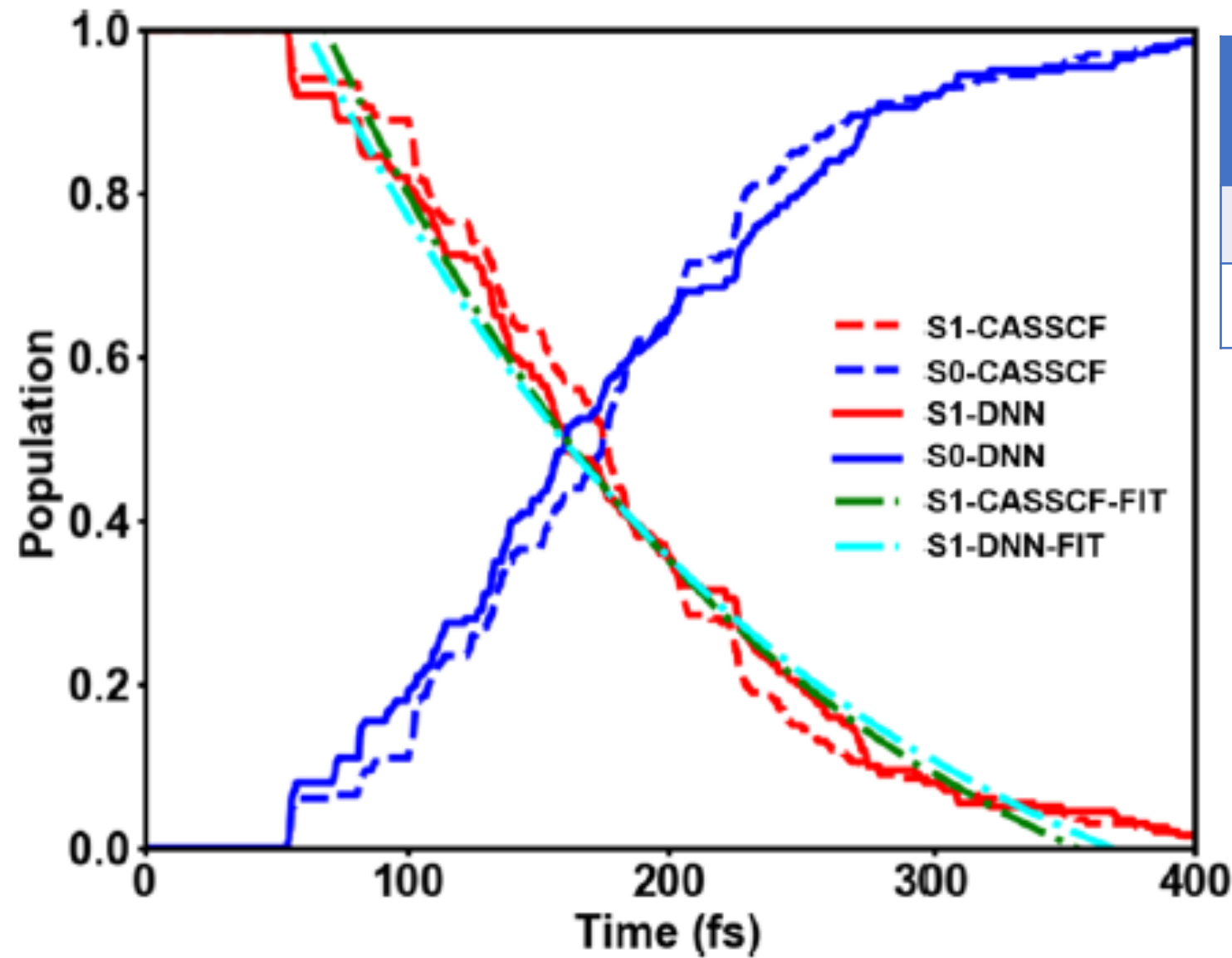
The simulations started from the same initial conditions and were run with the same random seed

During the ML trajectory propagation, **A-SBH calculations were performed when the estimated energy gap between S_1 and S_0 was below 0.03 Hartree**

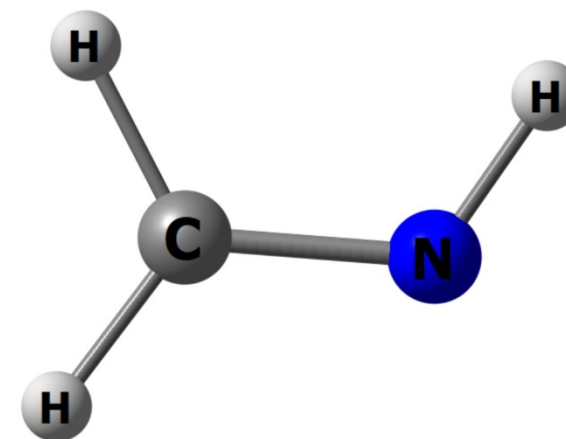


Evolution of the fraction of trajectories on state S_1 for the 33-D model averaged for **1,000 trajectories**

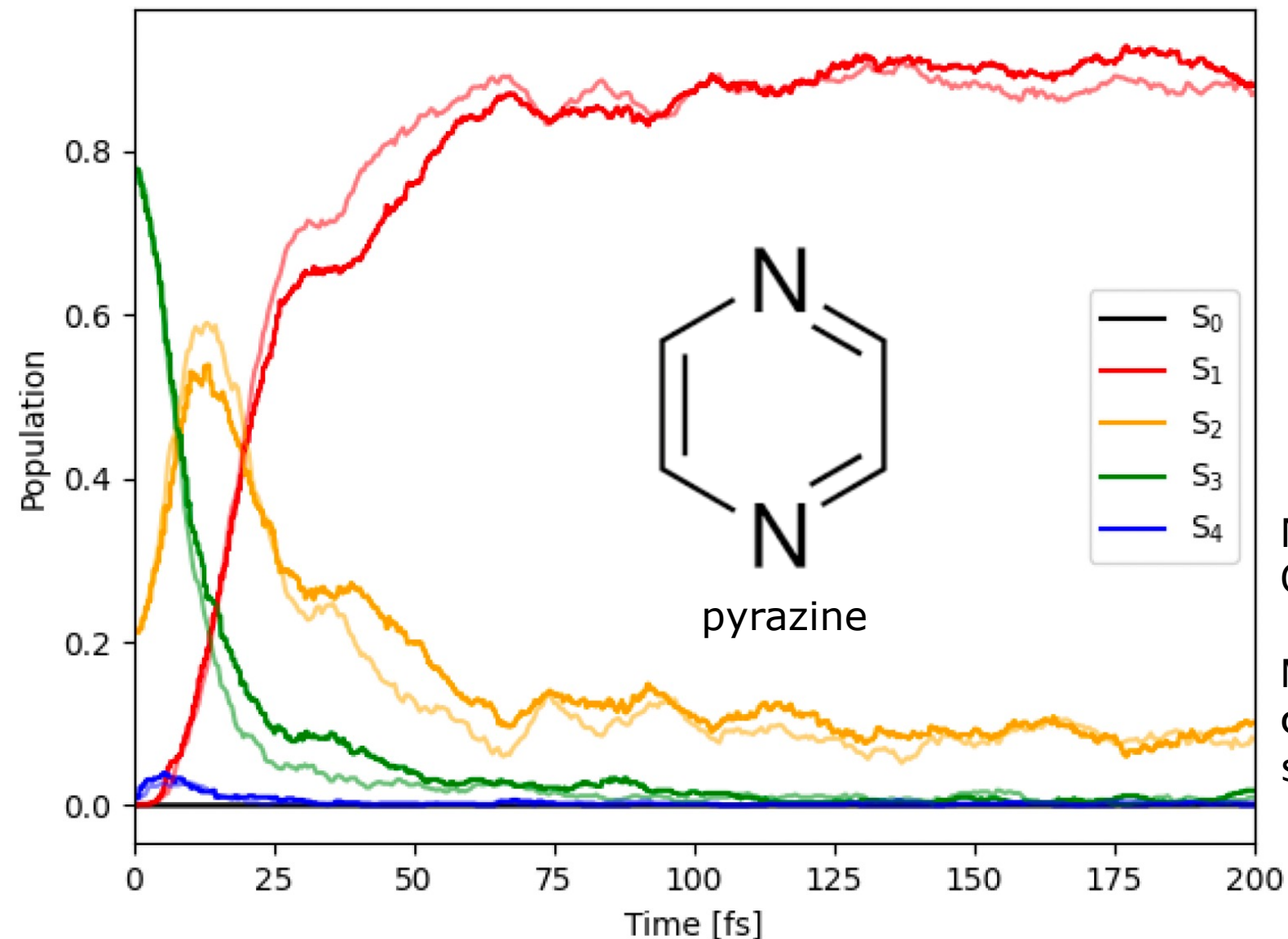
For small band gaps (<0.03 Hartree) **nonadiabatic couplings were calculated with A-SBH**



Model	Lifetime of S_1 state, fs
CASSCF	182
Deep NNs	191

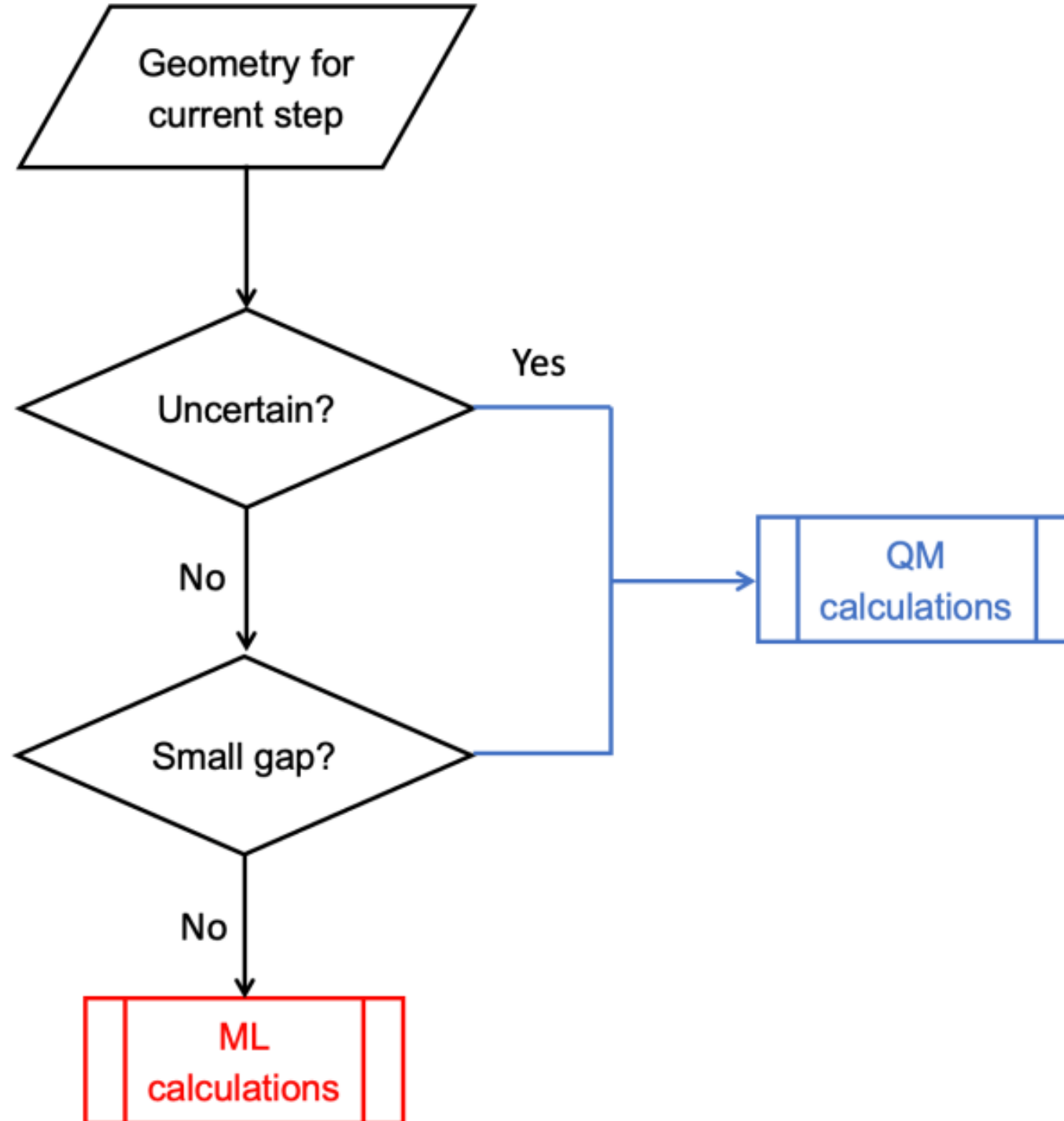


Zhu–Nakamura
method for dynamics

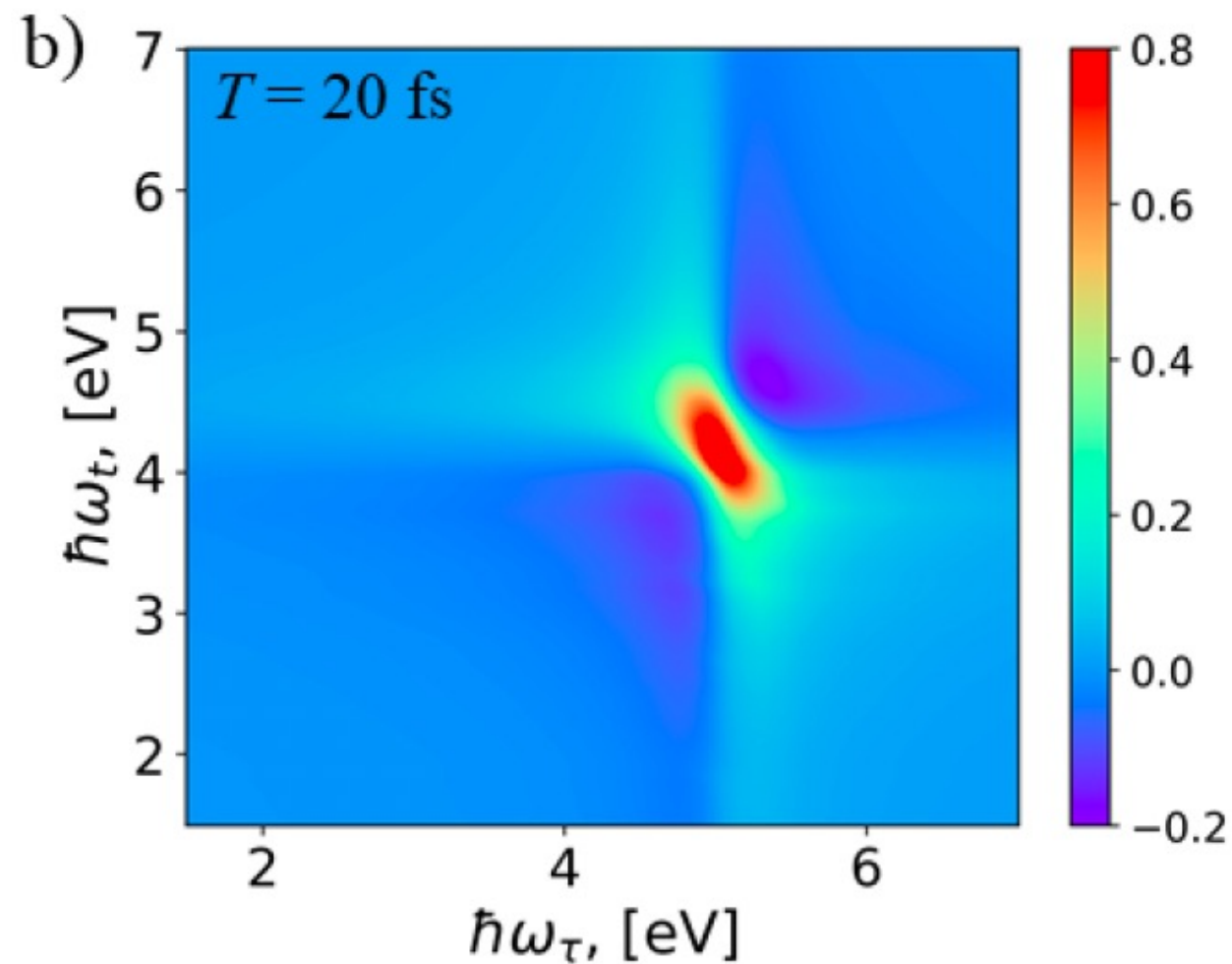
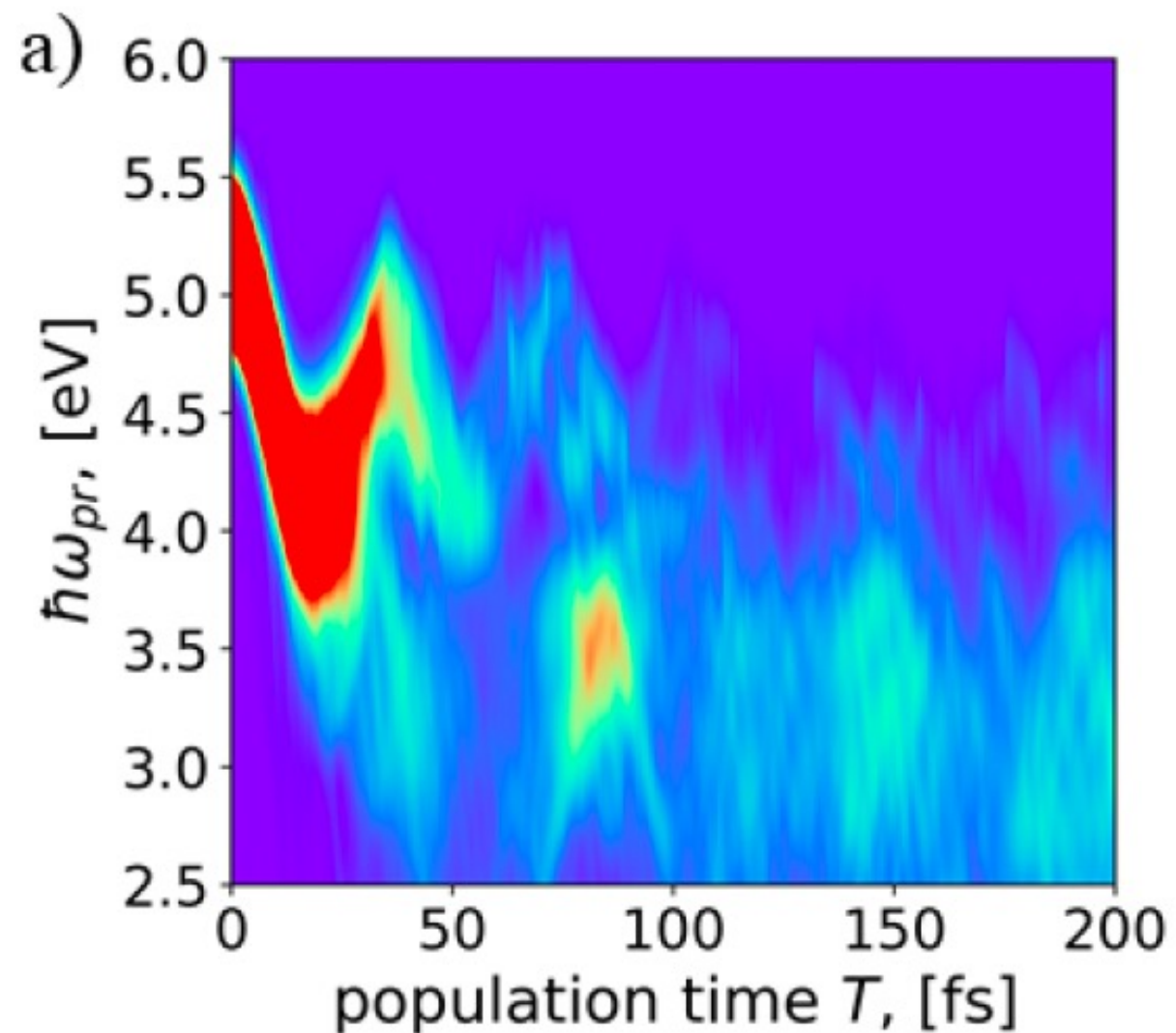


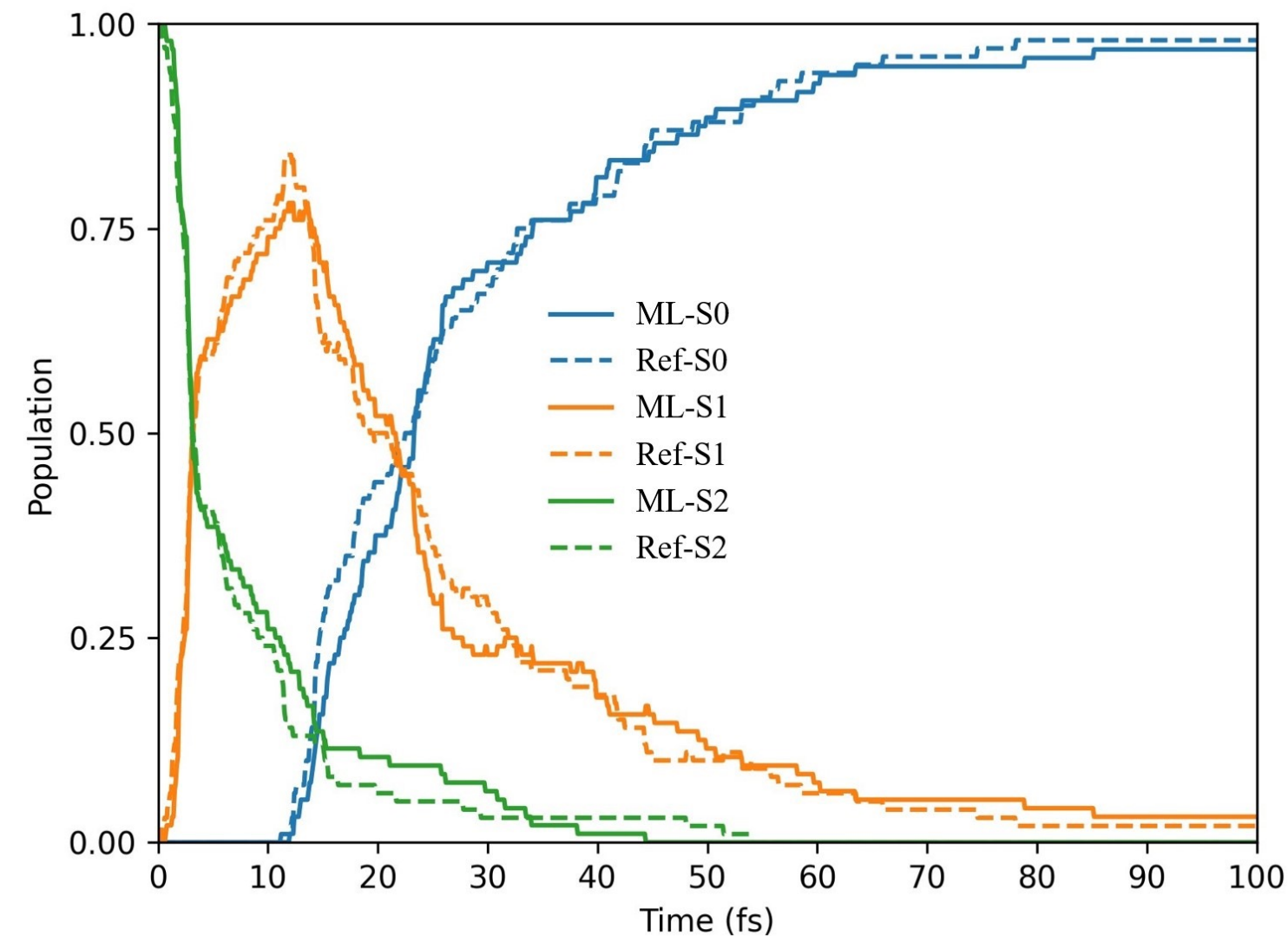
ML (ANI-type MLPs) – full colors
QM reference – pale

ML cut the cost by at least 95%
compared to pure first-principles
simulations



S. V. Pios, M. F. Gelin, A. Ullah,
P. O. Dral*, L. Chen*, *J. Phys.
Chem. Lett.* **2024**, 15, 2325





Molecule: CNH_4^+

Reference:
SA-3-CASSCF(12,8)/
6-31G(d)

ML: ANI-type, trained on
ca. 2500 points.

(back-hoppings
prevented)

Zoo of machine learning potentials

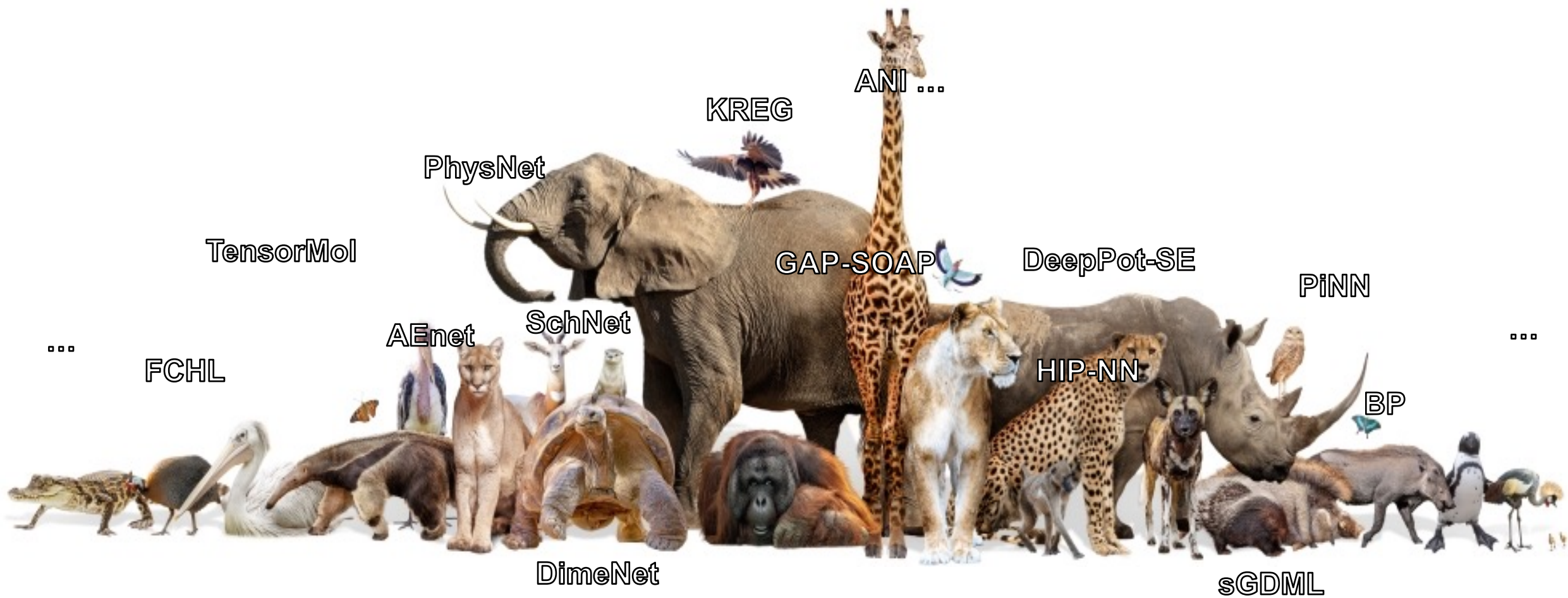
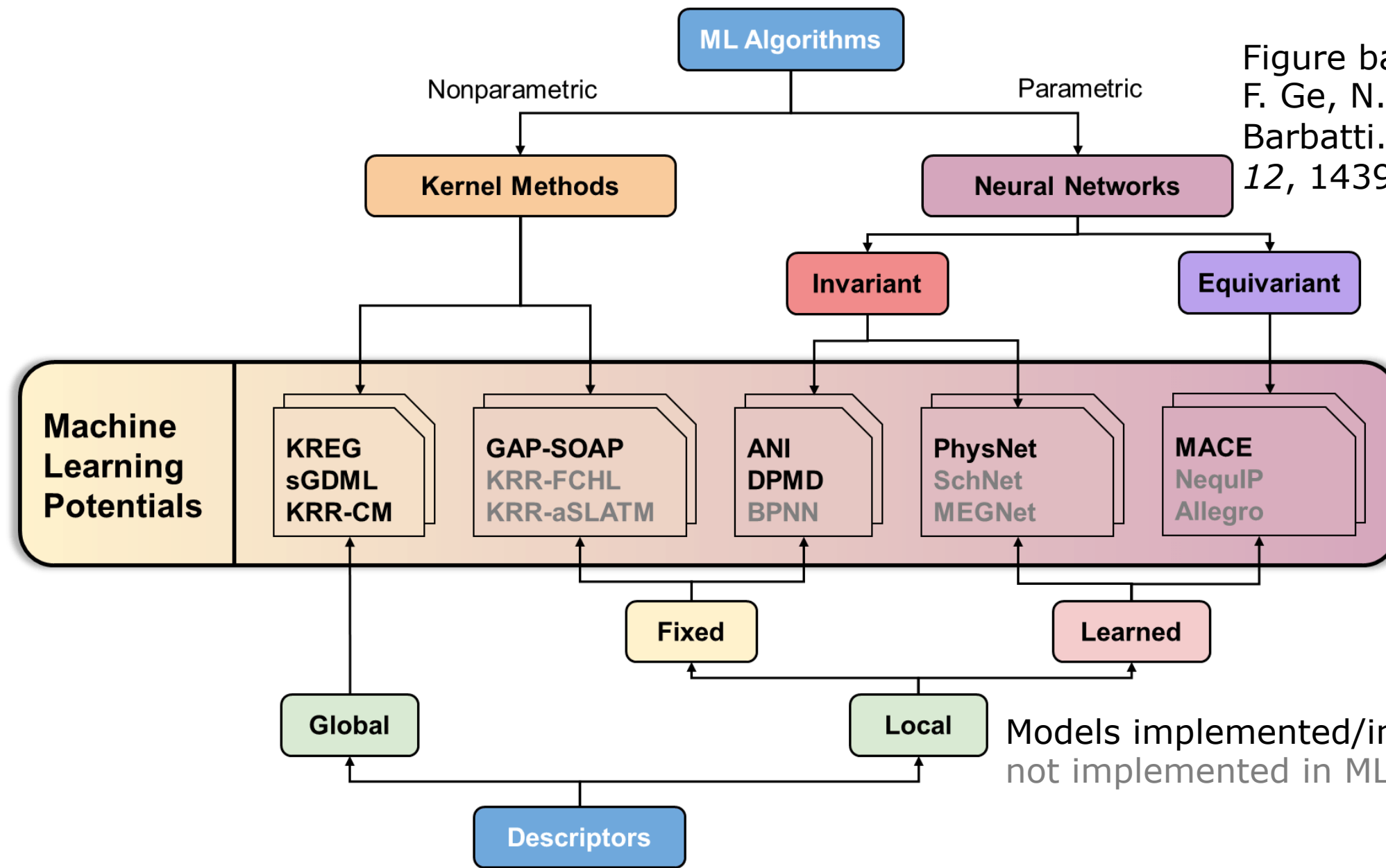


Figure based on M. Pinheiro Jr, F. Ge, N. Ferré, P. O. Dral, M. Barbatti. *Chem. Sci.* **2021**, *12*, 14396–14413



Models implemented/interfaced in MLatom
not implemented in MLatom

Current Work – AIQM1 Landau-Zener Surface Hopping

Research System: CH_2NH_2^+

Number of Electrons: 16

TSH Package: MLatom

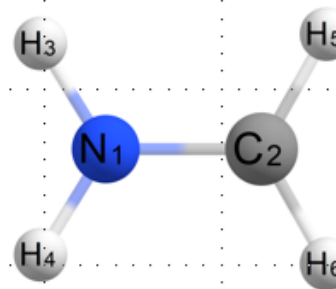
QC Calculation Package: Columbus

Reference Method: SA-3-CASSCF(12,8)/6-31G(d)+LZ

Prediction Method: AIQM1(GUGA-CI)+LZ

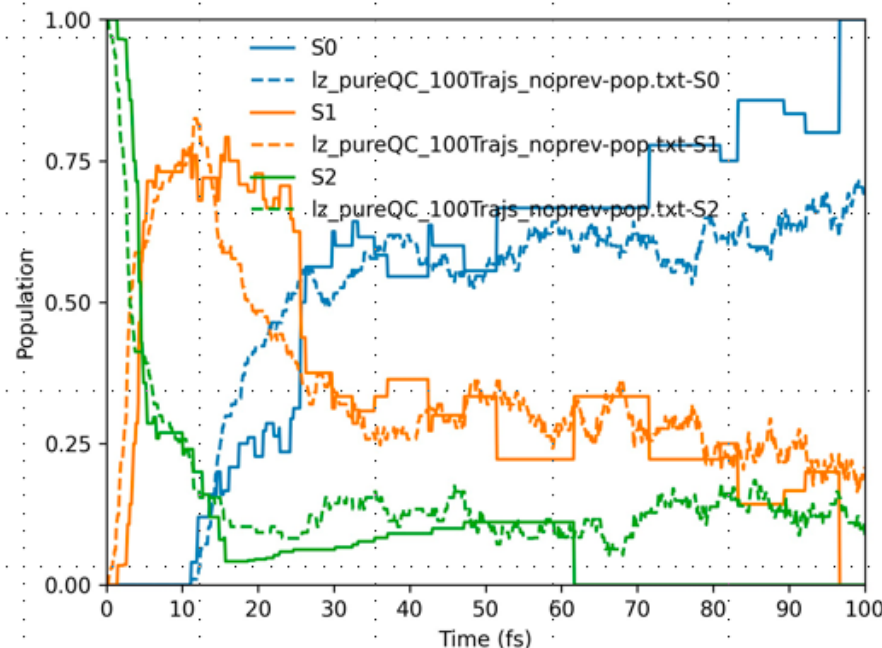
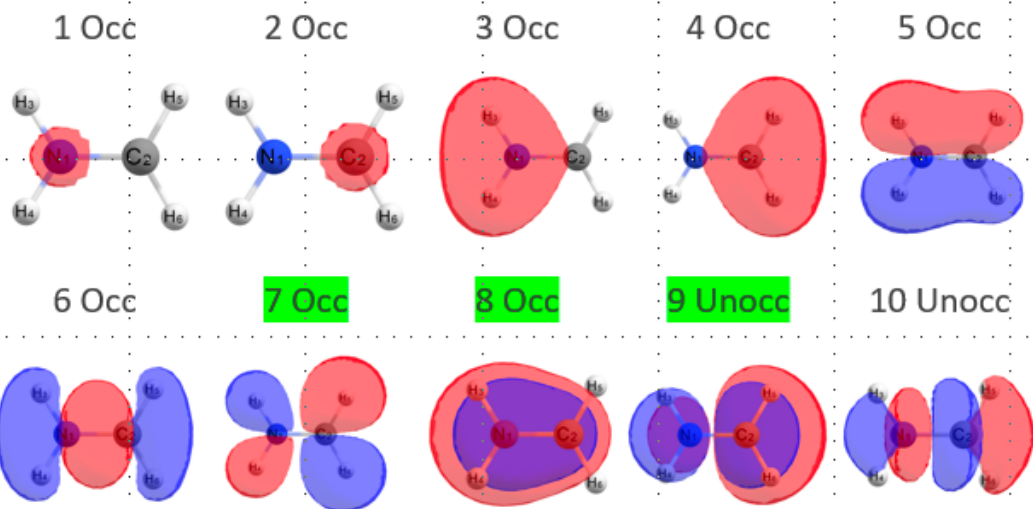
AIQM1 GUGA-CI Active Space: Orb7-Orb9 (4,3)

(small, ultrafast dynamics, classical photochemistry model system)



Lina Zhang

Lina Zhang, Pavlo O. Dral, *et al.*, unpublished



data set	ODM2	B3LYP/ 6-31G*	ω B97X/ 6-31G*	ω B97X-D/ 6-31G*	ω B97X/ def2-TZVPP	ω B97X-D4/ def2-TZVPP	ANI- 1ccx	AIQM1 @DFT*	AIQM1 @DFT	AIQM1	CCSD(T)* /CBS
	energies, kcal/mol										
CHNO	2.64	6.71	4.10	3.84	3.21	2.76	—	2.49	2.12	0.87	—
G3/99	3.04	8.53	3.46	3.22	4.18	3.20	—	2.83	2.06	0.88	—
ISOMERS44 (ΔH_f)	1.16	8.08	3.57	3.53	4.52	3.78	—	3.00	2.27	0.42	—
ISOMERS44 (ΔH_r)	0.70	2.29	1.45	1.31	1.19	1.10	1.68	0.95	0.89	0.50	—
IsoL6/11	1.48	5.26	3.83	3.36	1.75	1.64	1.46	1.65	1.55	0.62	0.47
HC7/11	5.37	6.44	16.90	13.98	6.83	7.10	2.53	8.89	9.16	1.43	1.57

Ground-state properties of neutral, closed-shell compounds
(heats of formation, reaction enthalpies, and ZPVE-exclusive reaction energies)

Torsion	0.74	0.55	0.30	0.29	0.20	0.19	0.23	0.23	0.23	0.19	0.05
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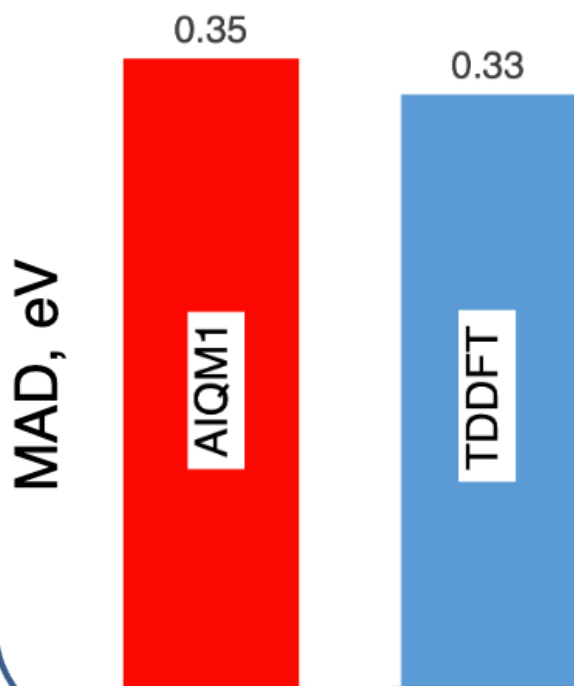
	bond lengths, Å										
CHNO	0.015	0.006	0.008	0.007	0.010	0.010	0.011	0.010	0.010	0.007	—
MGHBL9	0.023	0.007	0.006	0.005	0.002	0.002	0.047	0.011	0.011	0.004	—
MGNHBL11	0.026	0.006	0.003	0.002	0.008	0.008	0.004	0.008	0.008	0.002	—

	bond angles, °										
CHNO	2.04	0.70	0.68	0.64	0.68	0.68	1.00	0.77	0.77	0.70	—

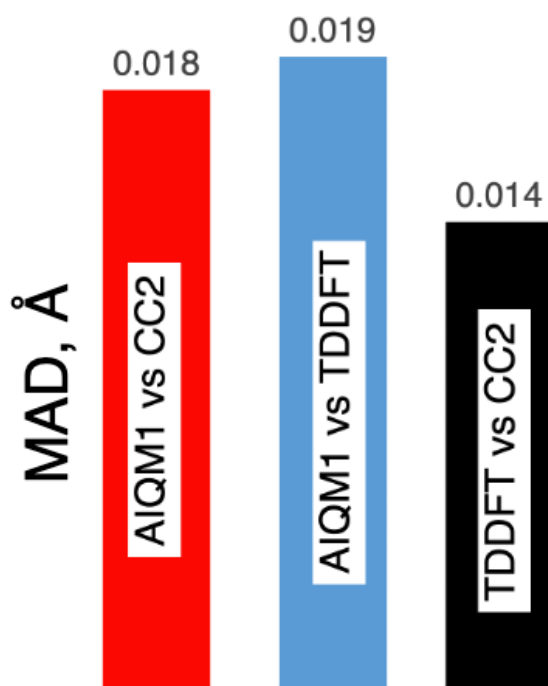
	dihedral angles, °										
CHNO	4.07	5.20	4.68	6.10	7.12	7.11	5.86	2.14	2.14	2.31	—

data set	ODM2	B3LYP/ 6-31G*	ω B97X/ 6-31G*	ω B97X-D/ 6-31G*	ω B97X/ def2-TZVPP	ω B97X-D4/ def2-TZVPP	ANI- 1ccx	AIQM1 @DFT*	AIQM1 @DFT	AIQM1	CCSD(T)* /CBS
	excitation energies, eV										
Thiel's set	0.35	0.32	0.45	0.36	0.36	0.36	—	0.35	0.35	0.35	—

a Thiel's set benchmark



b ExGeom benchmark



TDDFT:
Linear-response TD B3LYP/TZVP

c bond length \AA

C=O

C(=O)C

	1n π^*	3n π^*	3 $\pi\pi^*$	1n π^*
exp.	1.323	1.307	1.423	1.320
AIQM1	1.339	1.304	1.608	1.342
TDDFT	1.296	1.298	—	1.304
CC2	1.361	1.343	1.469	1.387

AIQM1 also predicts fluorescence quenching

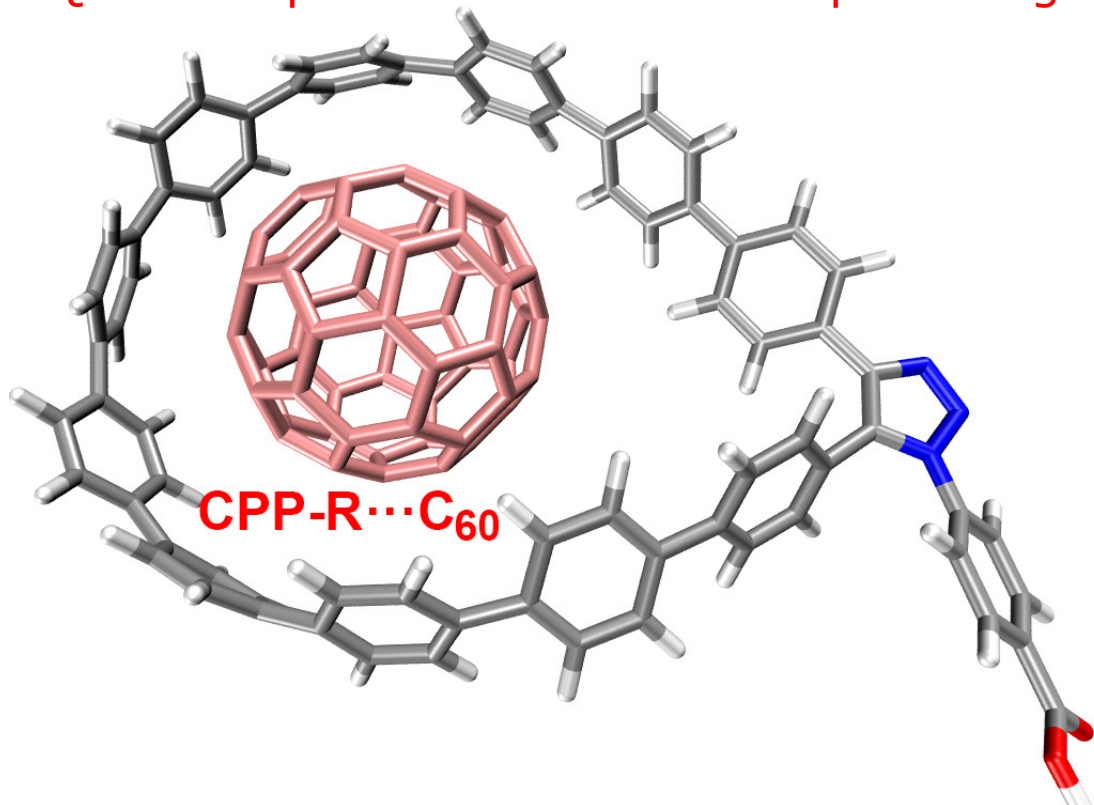
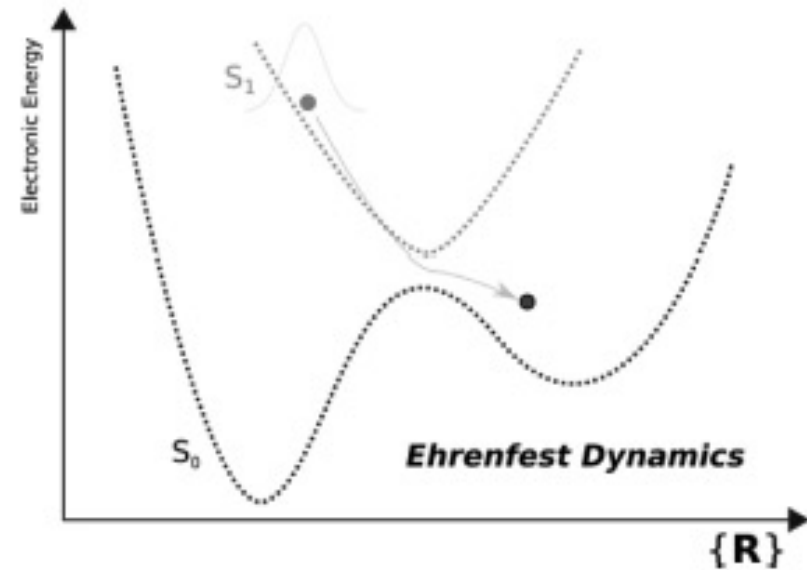
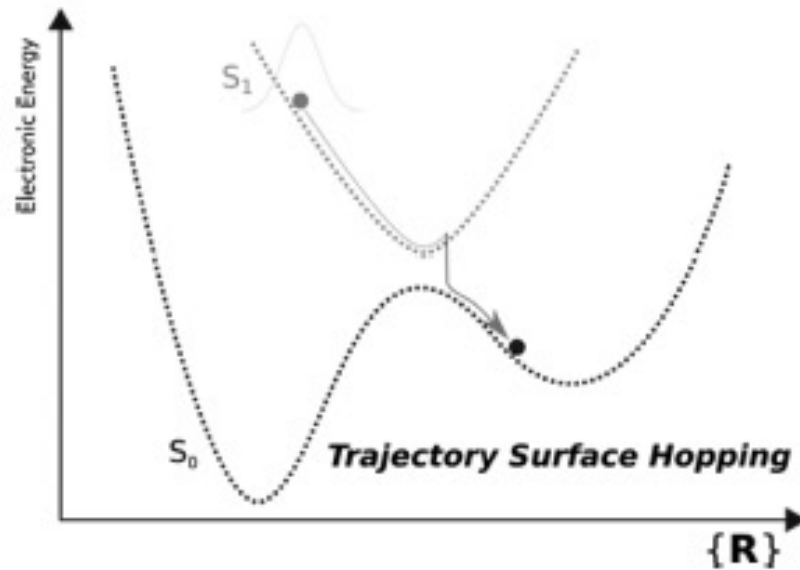
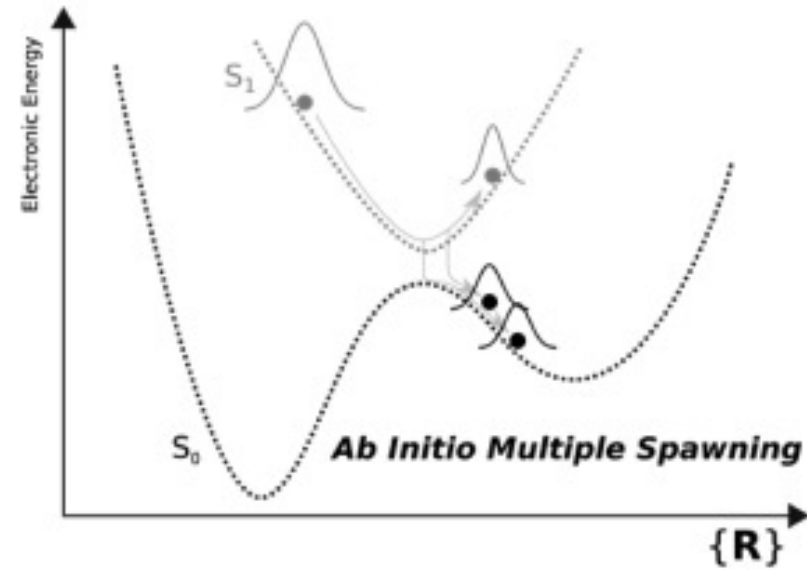
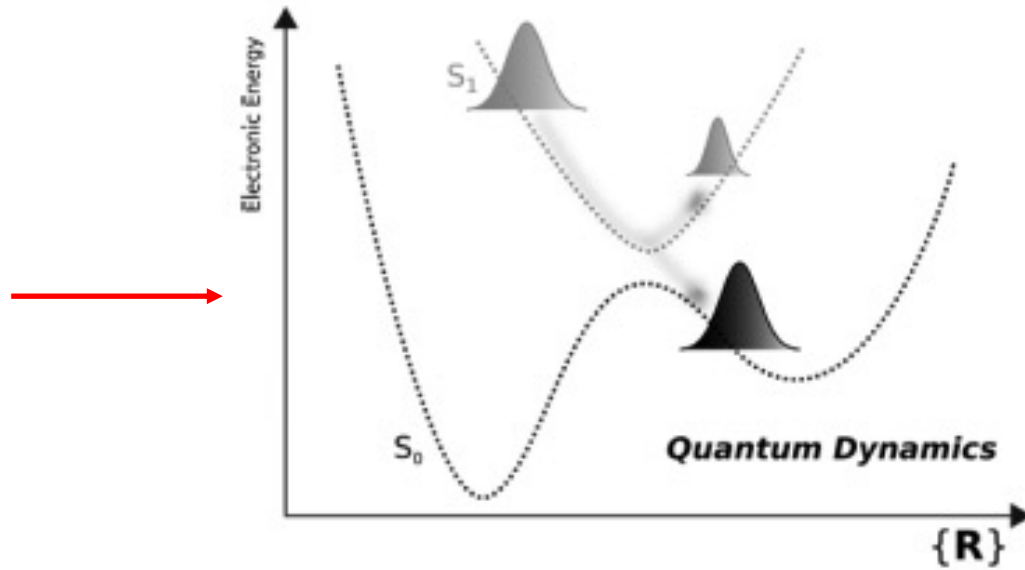


Table S9. Emission energy and oscillator strengths f of free molecules and their complexes with C_{60} and C_{70} at AIQM1/CIS in vacuum (S_1 to S_0 transition).

Species	f	Energy (eV)
3	0.750	3.11
4	0.751	3.12
5	0.750	3.12
6	0.750	3.12
7	0.748	3.12
3 \supset C_{60}	0.000	2.58
4 \supset C_{60}	0.000	2.58
5 \supset C_{60}	0.000	2.58
6 \supset C_{60}	0.000	2.58
7 \supset C_{60}	0.000	2.59
M-3 \supset C_{70}	0.000	2.10
M-4 \supset C_{70}	0.000	2.09
M-5 \supset C_{70}	0.000	2.10
M-6 \supset C_{70}	0.000	2.10
M-7 \supset C_{70}	0.000	2.10

AIQM1 can be useful for aggregation-induced emission, photocatalysis

T. A. Schaub, A. Zieleniewska, R. Kaur, M. Minameyer, W. Yang, C. M. Schüßlbauer, L. Zhang, M. Freiberger, L. N. Zakharov, T. Drewello, P. O. Dral, D. Guldi, R. Jasti. Tunable Macrocylic Polyparaphenylene Nanolassos via Copper-Free Click Chemistry. *Chem. Eur. J.* **2023**, 29, e202300668



- Treat both nuclei and electrons quantum mechanically
- Treat the system and environment
- Computationally fast enough for real systems

$$\hat{H} = \hat{H}_S + \hat{H}_{\text{env}} + \hat{H}_{S-\text{env}} [+ \hat{H}_{\text{reorg}}]$$

- \hat{H}_S Hamiltonian of the system
- \hat{H}_{env} Hamiltonian of environment (bath)
- $\hat{H}_{S-\text{env}}$ Hamiltonian of system-environment (system-bath) interaction
- \hat{H}_{reorg} the reorganization terms

$$\frac{d}{dt} \rho(t) = \frac{i}{\hbar} [\hat{H}, \rho(t)]$$

Different integrators of Liouville–von Neumann equation, ρ – the density matrix

- hierarchical equations of motion (HEOM)
- the local thermalising Linblad master equation (LTLME)
- ...

$$\rho(t) = f[\rho(t - \Delta t)]$$

dynamics

dynamics propagation is

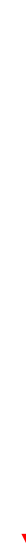
- computationally expensive

$$\rho(t) = f[\rho(t - \Delta t)]$$

dynamics propagation is

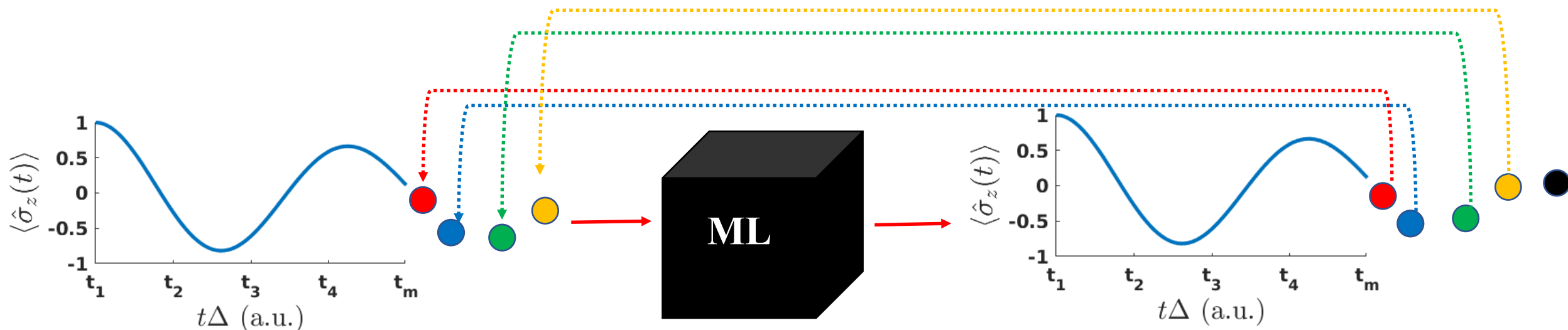
- ~~computationally expensive~~

dynamics



ML dynamics

$$\rho(t) = f^{\text{ML}}[\rho(t - \Delta t)]$$



$$\rho(t) = f^{\text{ML}}[\rho(t - \Delta t)]$$

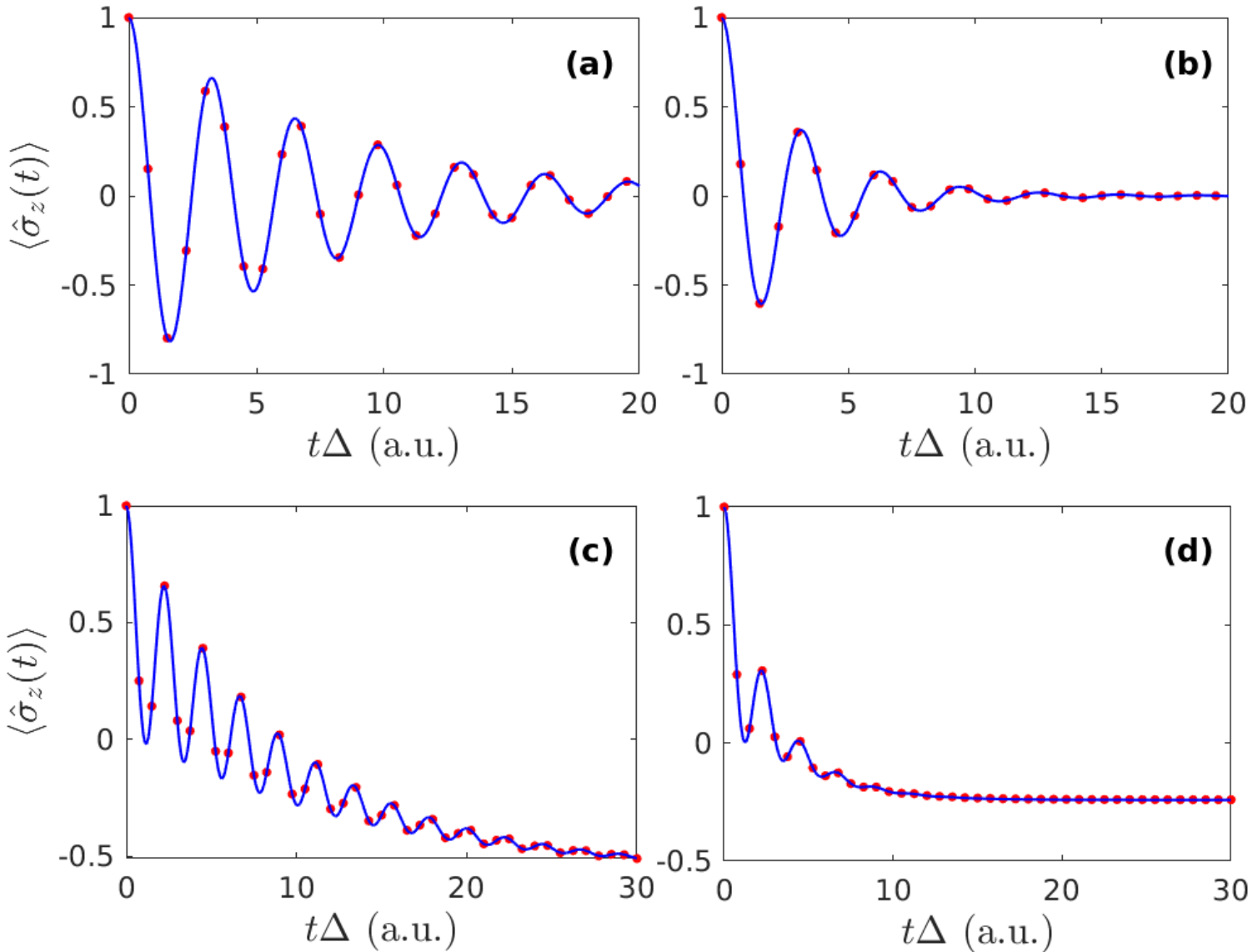


Arif Ullah

Spin-boson Hamiltonian:

$$\hat{H} = \frac{1}{2} \varepsilon \hat{\sigma}_z + \frac{1}{2} \Delta \hat{\sigma}_x + \sum_k \omega_k \hat{b}_k^\dagger \hat{b}_k + \hat{\sigma}_z \sum_k c_k (\hat{b}_k^\dagger + \hat{b}_k)$$

A. Ullah, P. O. Dral. Speeding up quantum dissipative dynamics of open systems with kernel methods. *New J. Phys.* **2021**, 23, 113019

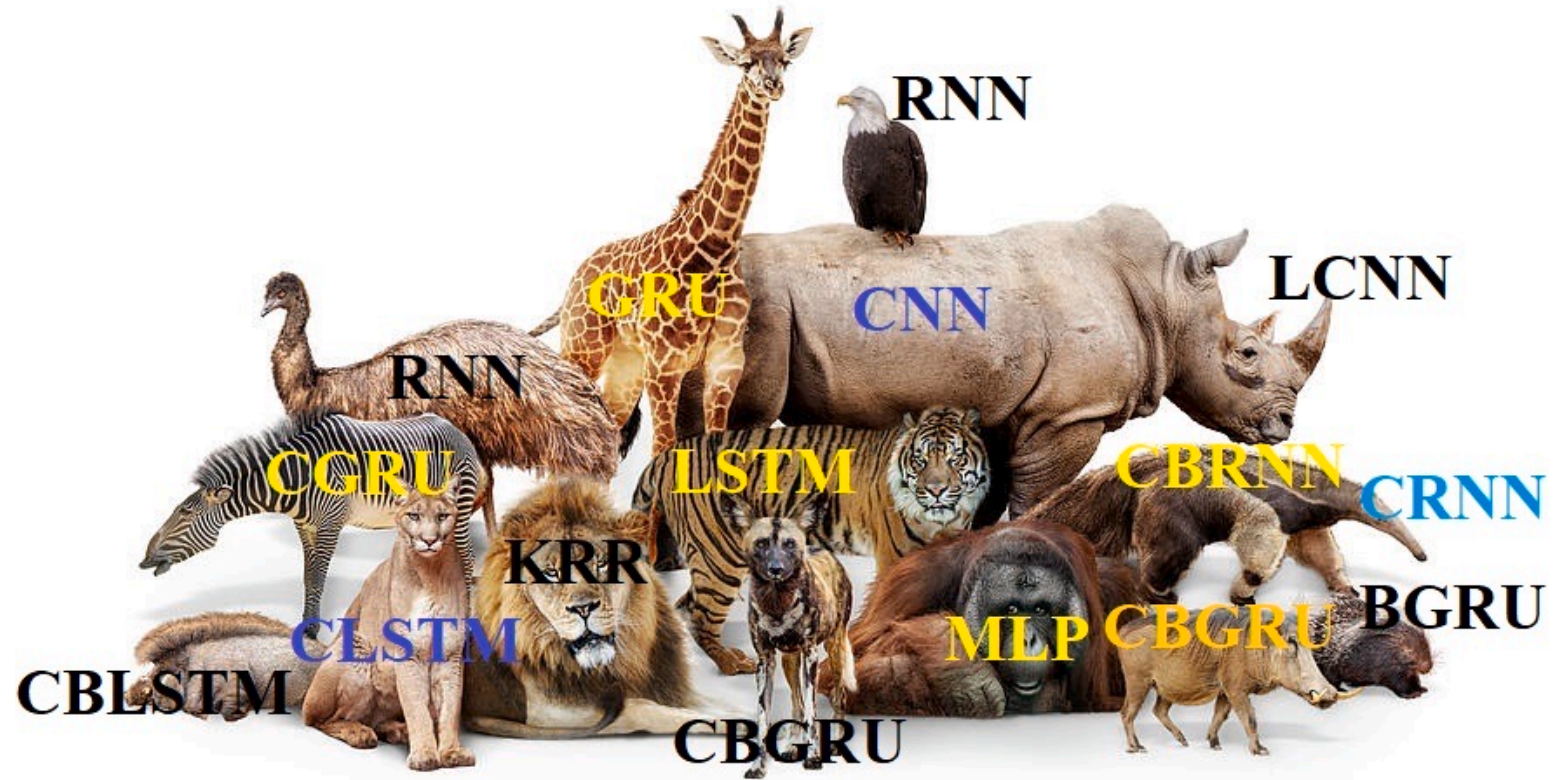


Test (unseen) trajectories for parameters not used in training trajectories

$$\rho(t) = f^{\text{ML}}[\rho(t - \Delta t)]$$

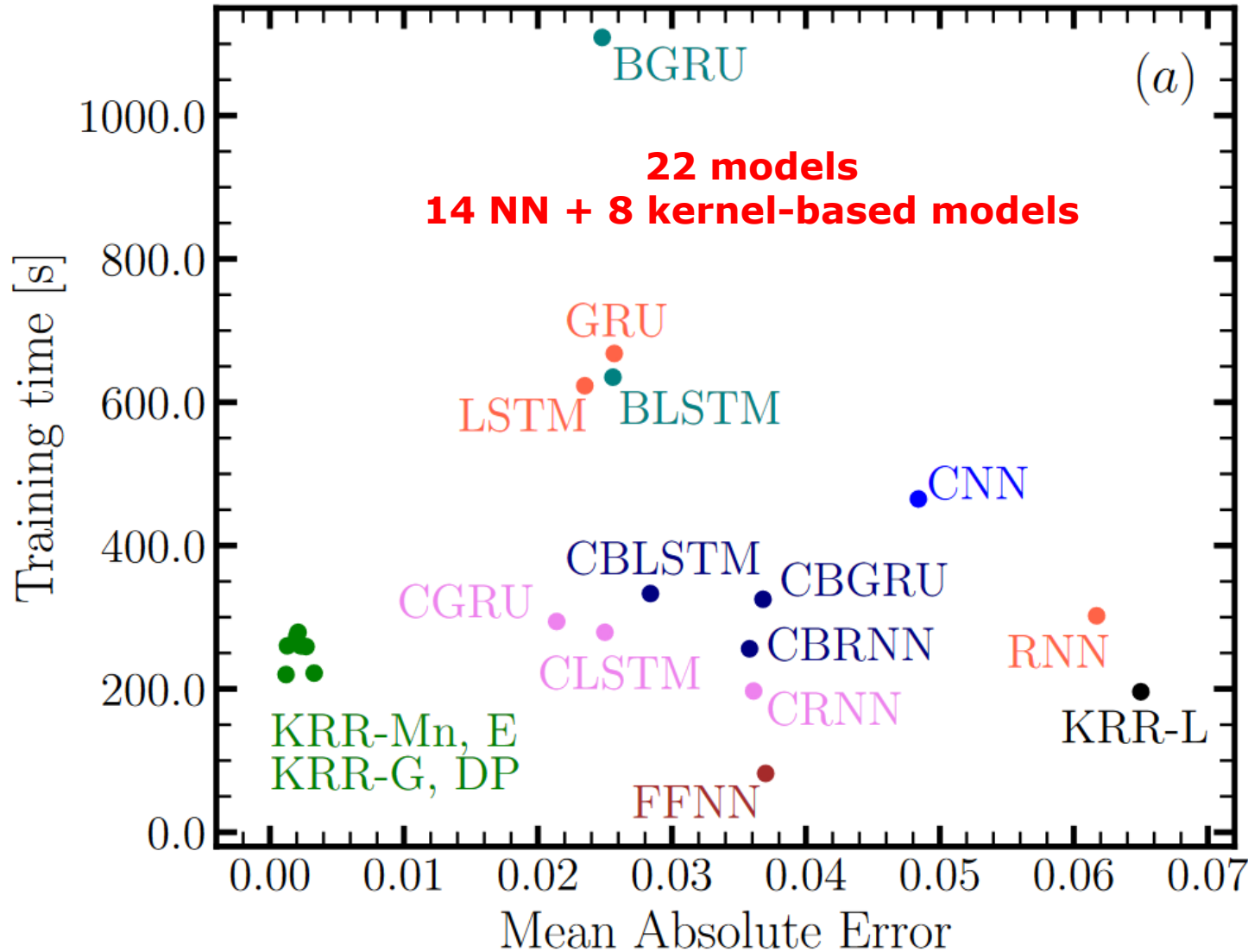
Many ways to do it:

- different algorithms
- different properties to learn (ρ or population)
- different systems, data sets...



- L. E. Herrera Rodriguez, A. A. Kananenka. **Convolutional Neural Networks** for Long Time Dissipative Quantum Dynamics. *J. Phys. Chem. Lett.* **2021**, 12, 2476–2483
- K. Lin, J. Peng, F. L. Gu, Z. Lan. Simulation of Open Quantum Dynamics with Bootstrap-Based **Long Short-Term Memory Recurrent Neural Network**. *J. Phys. Chem. Lett.* **2021**, 12, 10225–10234
- A. Ullah, P. O. Dral. Speeding up quantum dissipative dynamics of open systems with **kernel methods**. *New J. Phys.* **2021**, 23, 113019

Good ML method for quantum dynamics?



Alexei
Kananenka



Arif Ullah

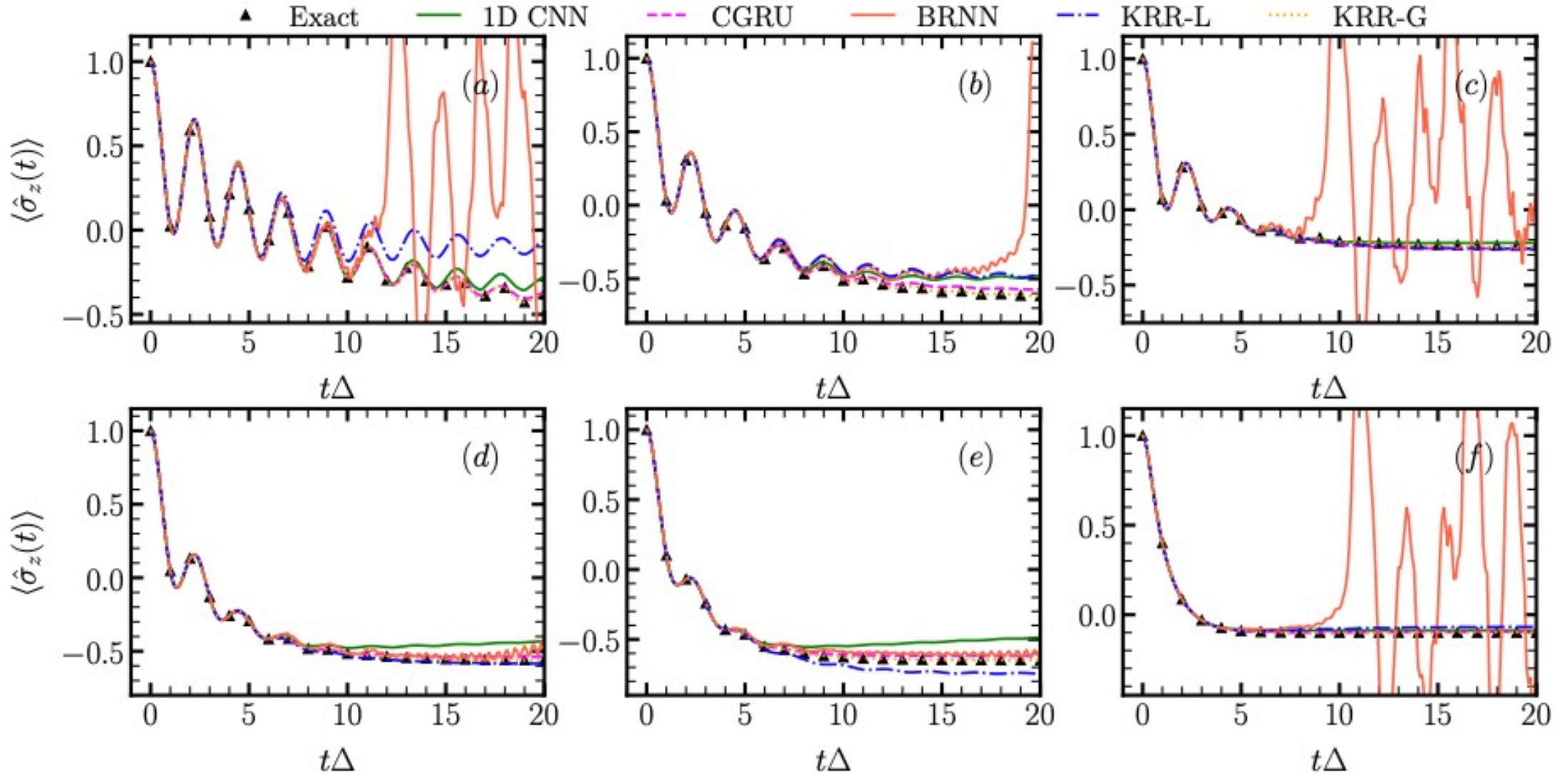


Luis Eduardo
Herrera
Rodríguez



Kennet
Julian R.
Espinosa

Good ML method for quantum dynamics?



$$\rho(t) = f[\rho(t - \Delta t)]$$

dynamics propagation is

- ~~computationally expensive~~

dynamics



ML dynamics

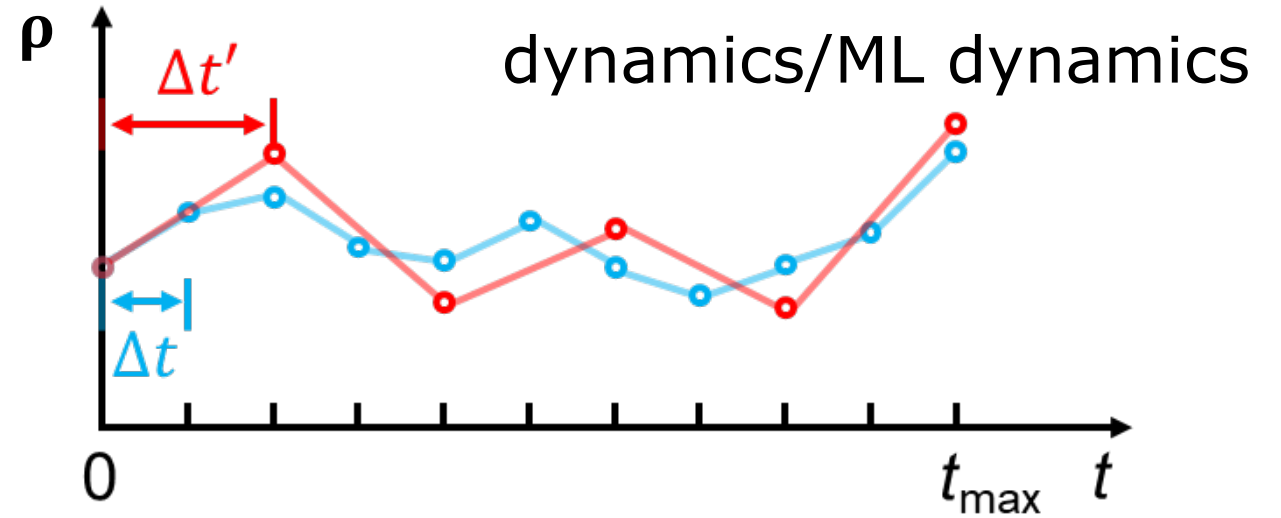
$$\rho(t) = f^{\text{ML}}[\rho(t - \Delta t)]$$

Can we do better?

$$\rho(t) = f[\rho(t - \Delta t)]$$

dynamics propagation is

- ~~computationally expensive~~
- recursive (iterative)



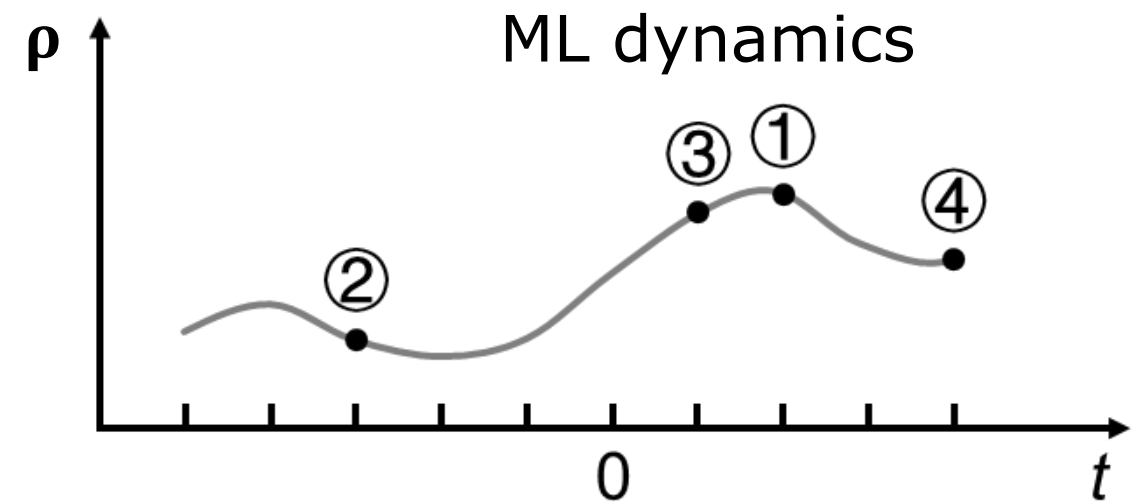
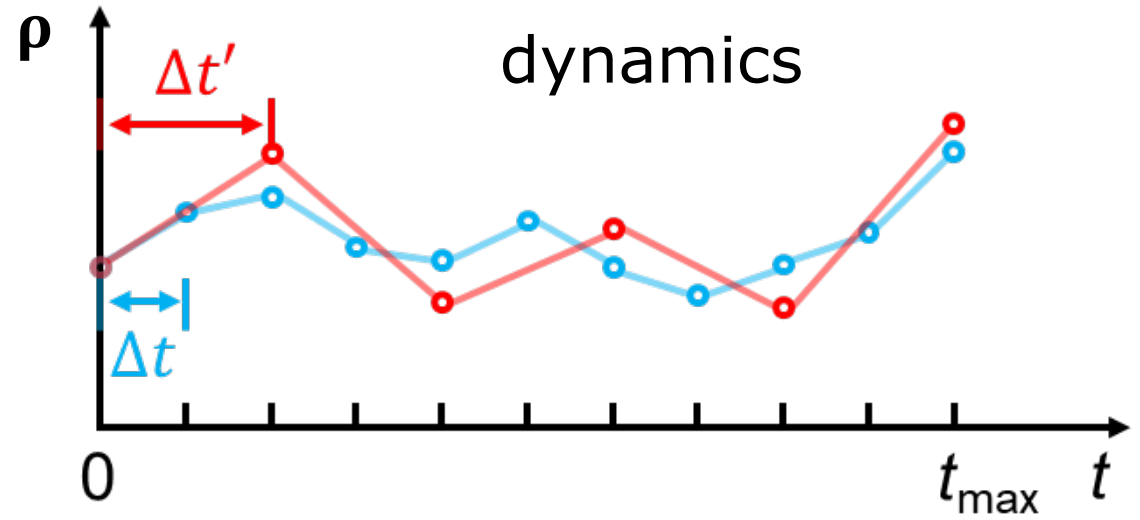
Can we do better?

~~$$\rho(t) = f[\rho(t - \Delta t)]$$~~

dynamics propagation is

- ~~• computationally expensive~~
- ~~• recursive (iterative)~~

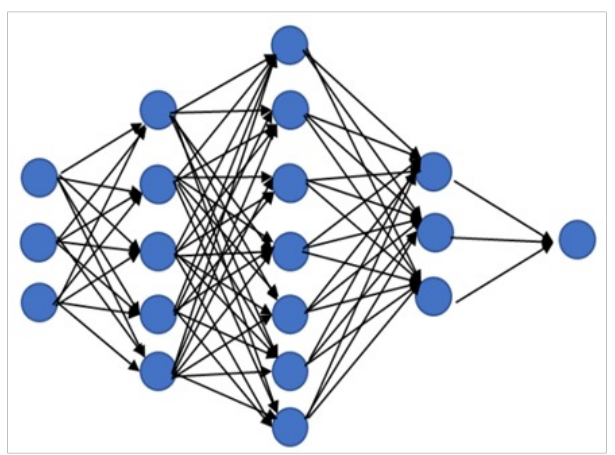
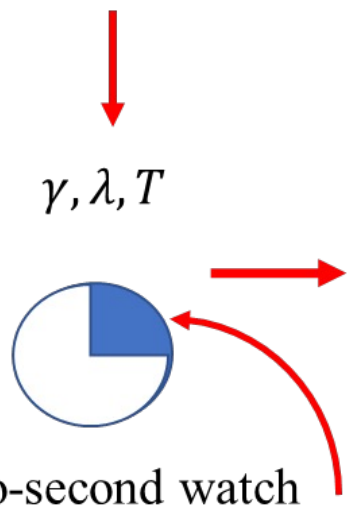
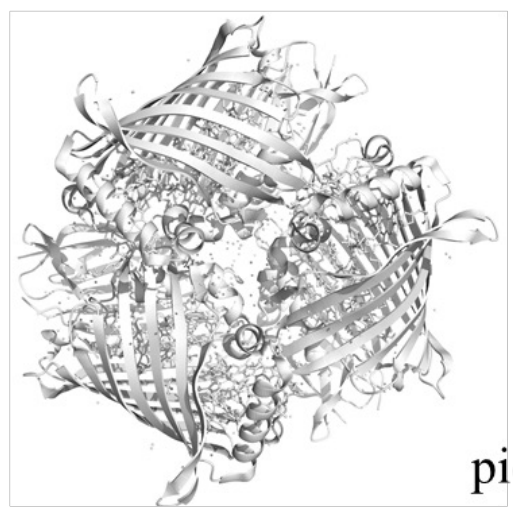
$$\rho(t) = f[t; \text{other parameters}]$$



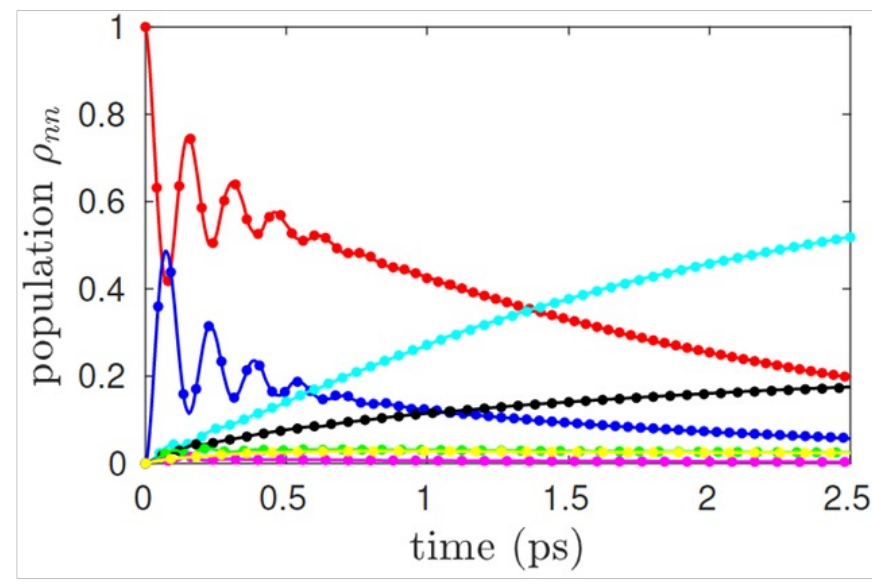
γ = characteristic frequency
 λ = reorganization energy
 T = temperature

$$\rho(\text{time}) = f[\text{time}; \text{simulation parameters}]$$

PDB code: 3ENI



2.5ps

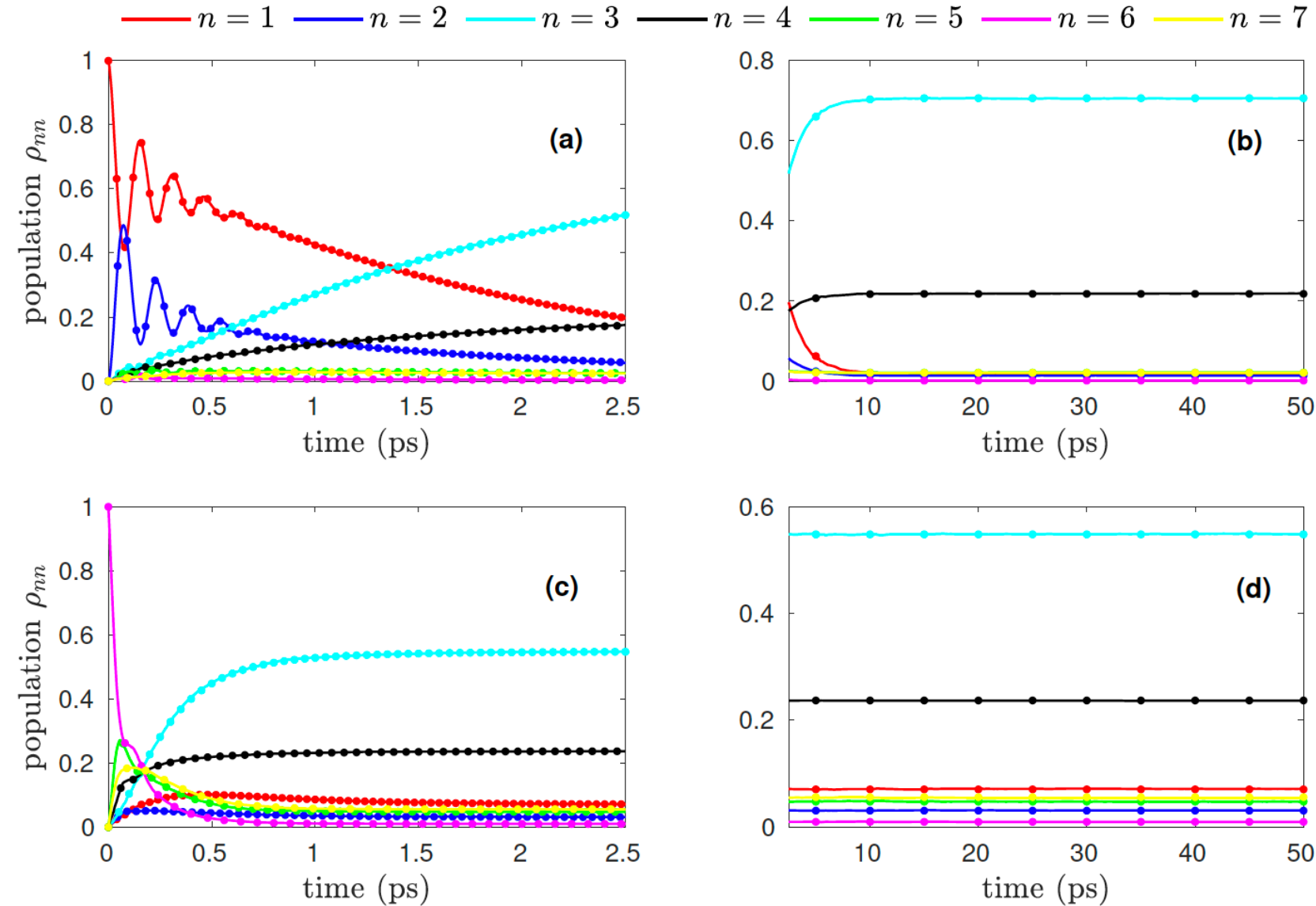


Dots: Reference
Line: AI-QD

7-sites Fenna–Matthews–Olson (FMO) complex

A. Ullah, P. O. Dral. Predicting the future of excitation energy transfer in light-harvesting complex with artificial intelligence-based quantum dynamics. *Nat. Commun.* **2022**, *13*, 1930

AI-QD vs reference trajectories



Test (**unseen**) trajectories for parameters not used in training trajectories

Predictions of 0.57M trajectories up to 1 ns

Can we do even better?

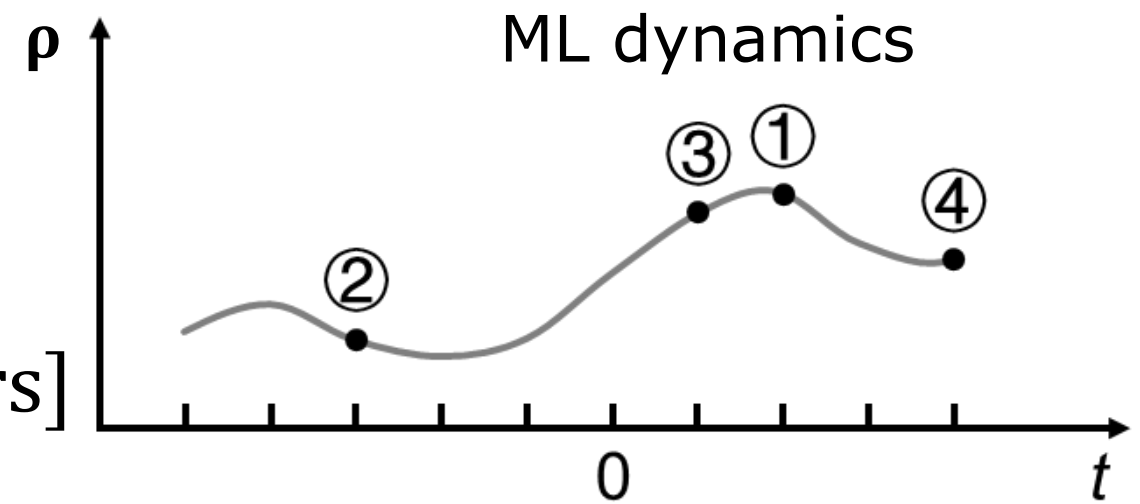
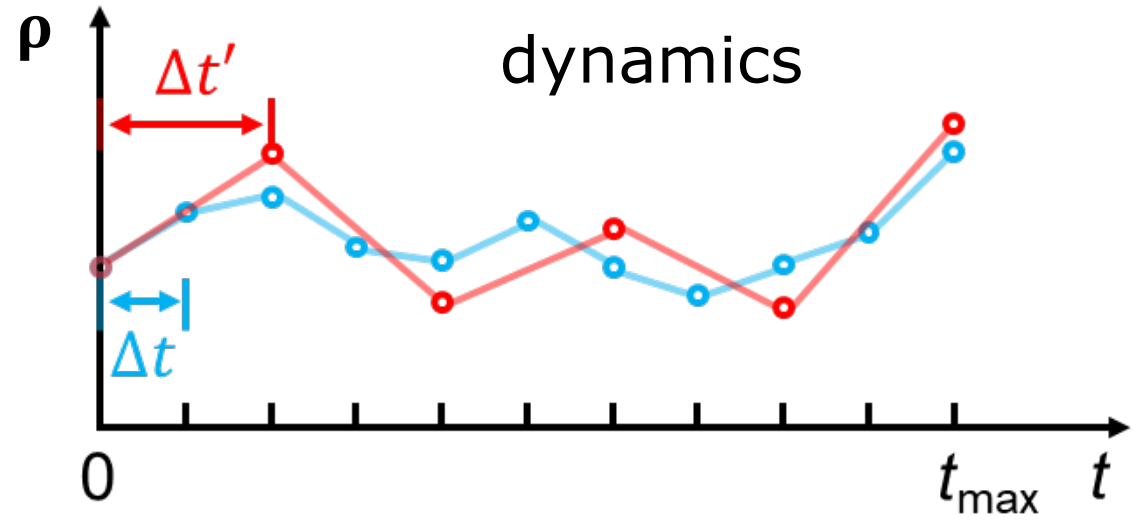
~~$\rho(t) = f[\rho(t - \Delta t)]$~~

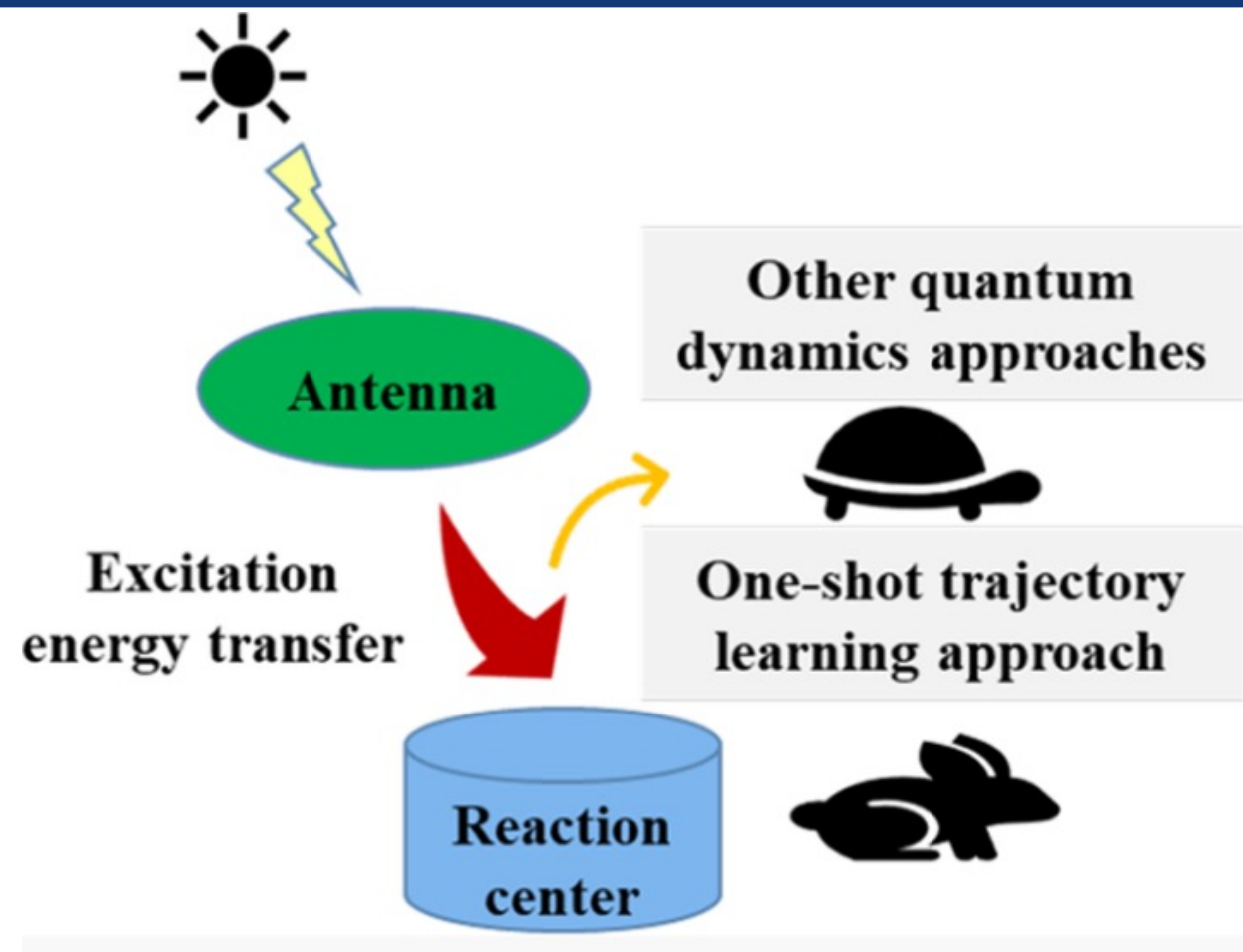
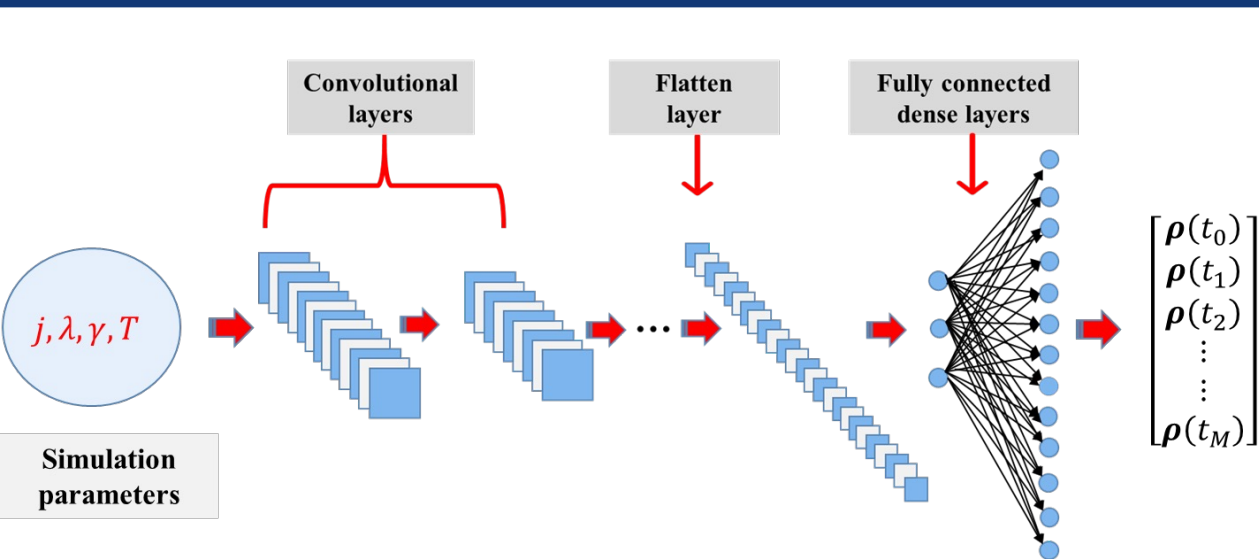
dynamics propagation is

- ~~computationally expensive~~
- ~~recursive (iterative)~~

~~$\rho(t) = f[t; \text{other parameters}]$~~

$\{\rho(t_k)\}_{k=0}^M = f[\text{other parameters}]$

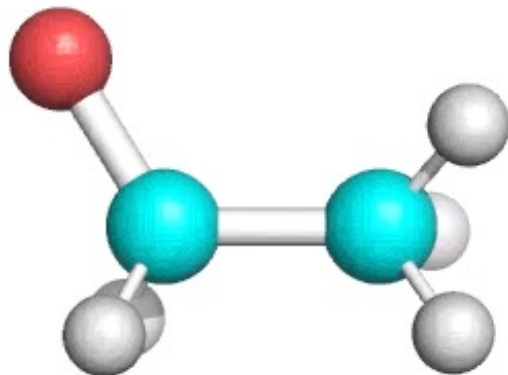




$$\{\rho(t_k)\}_{k=0}^M = f[\text{other parameters}]$$

- **10 ps long dynamics in just 70 ms**
- good for massive simulation in parameter space

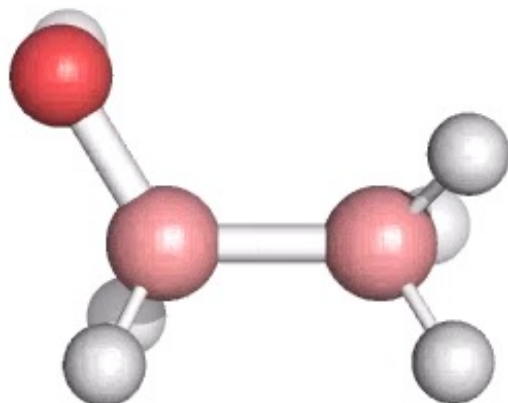
3D MD



Very slow

The direct learning of molecular dynamics with 4D-spacetime GICnet models

4D-A²I



0.05 fs

Very fast, e.g., 1 ps trajectory (time step 0.05 fs) within 1 minute



Fuchun Ge

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