

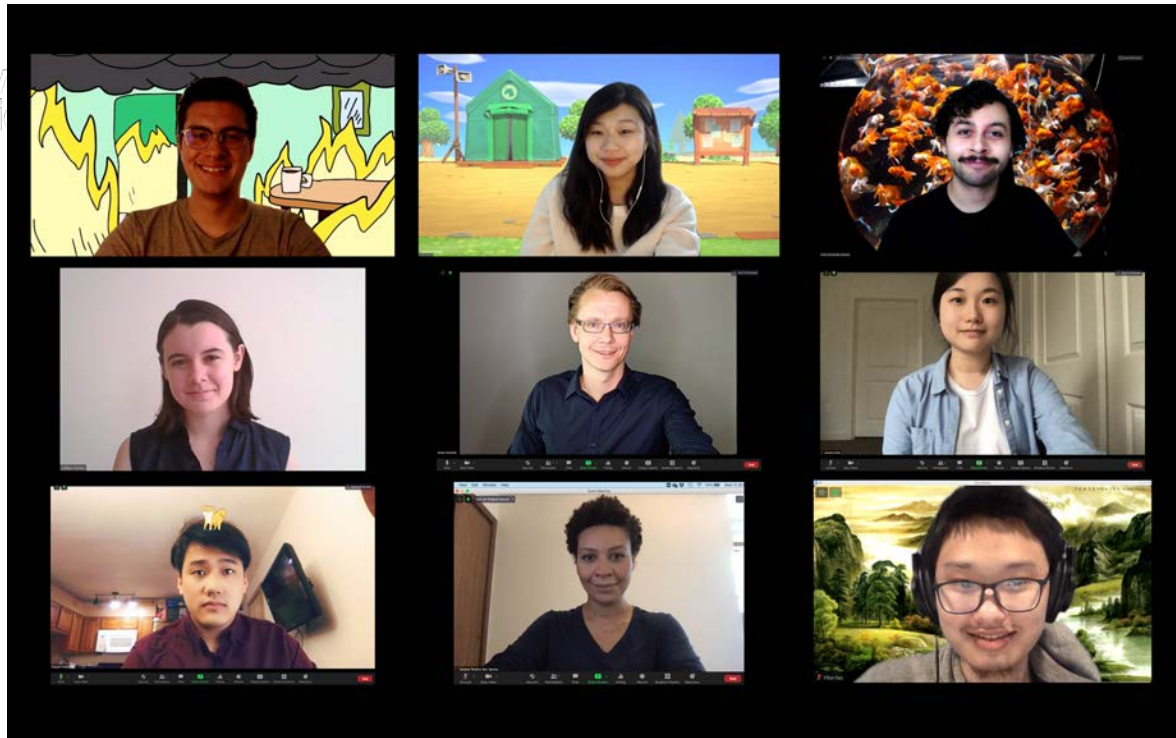
# *Electron and ion dynamics in materials due to particle radiation and optical excitation*



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Vista Online Seminars, 4/14/2021



Schleife  
Group

Department of Materials  
Science and Engineering

# Acknowledgments



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- James Stewart



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ACI-1238993

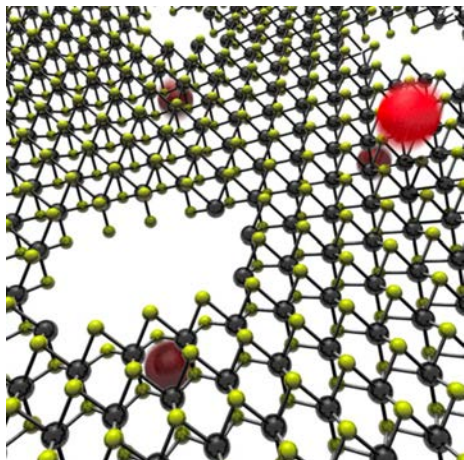


DOE INCITE:  
DE-AC02-06CH11357

# Motivation: Materials manipulation and characterization



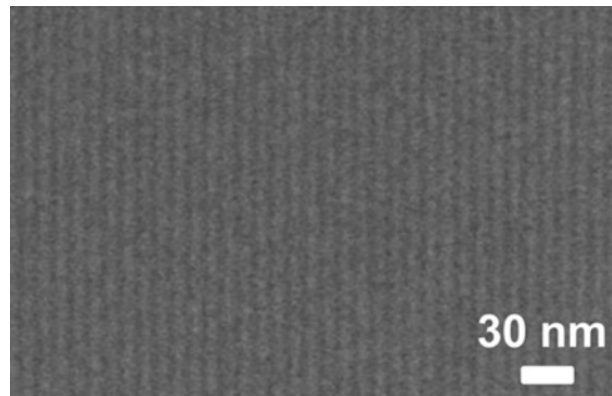
## Precise defects:



- Swift heavy ions
- **Highly charged ions**
- Qbit applications

J. Phys. Chem. Lett. 2019, 10, 904–910

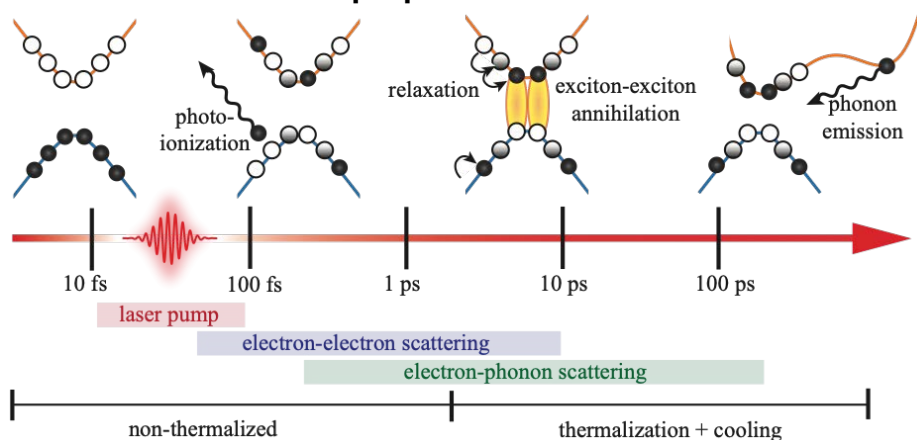
## Helium microscopy:



- Insulating samples
- Secondary electrons
- Also: TEM

ACS Nano 2014, 8, 2, 1538–1546

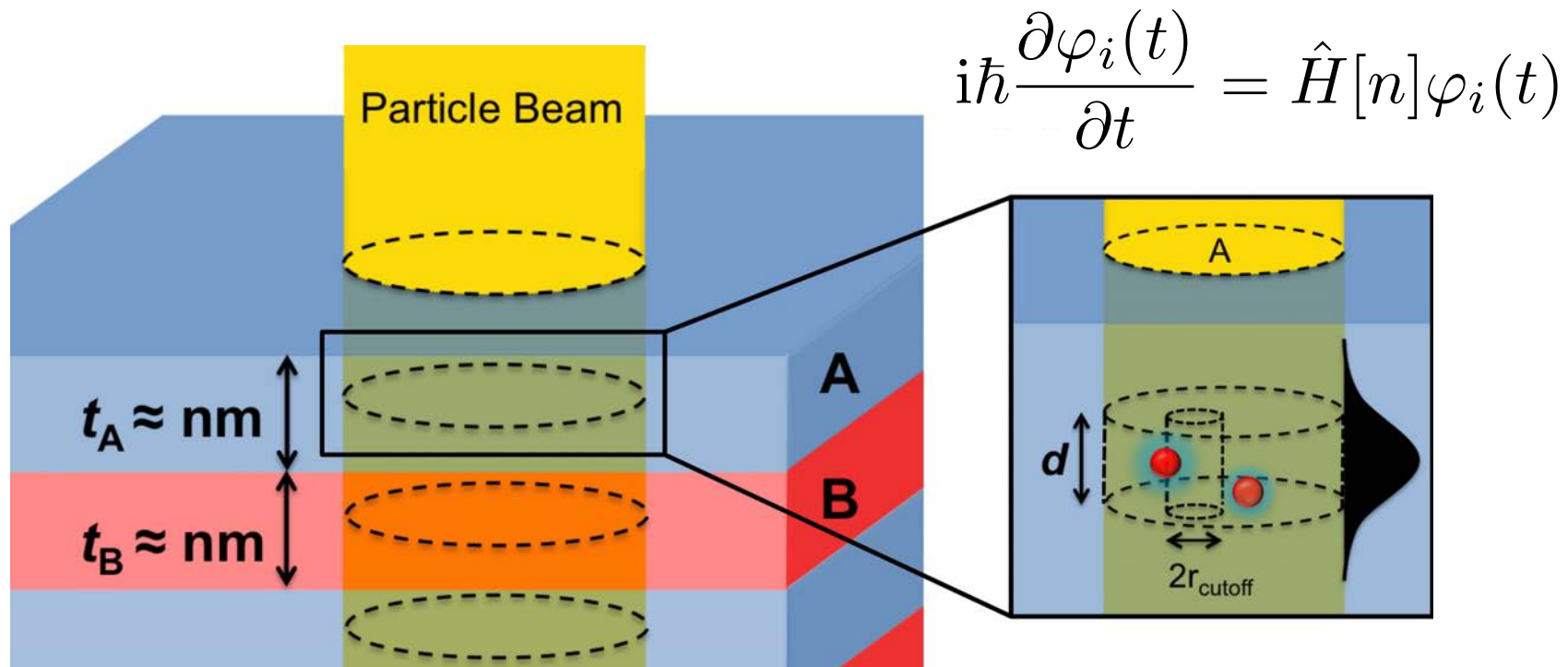
## Fundamental material properties:



- Initial excitation triggers non-adiabatic electron-ion dynamics
- Early stages of radiation damage?
- Radiation hardness of materials

The 2021 Ultrafast Spectroscopic Probes of Condensed Matter Roadmap

# Motivation: Materials manipulation and characterization



- Interesting physics: Non-adiabatic electron-ion dynamics
- Exciting applications: Materials modification, Ion implantation for Qbits

C.W. Lee and A. Schleife; Nano Lett. **19**, 3939-3947 (2019)

## Time-dependent Kohn-Sham equations:

$$i\hbar \frac{\partial \varphi_i(t)}{\partial t} = \hat{H}[n] \varphi_i(t) = \left[ \hat{T} + v_{\text{ext}}(\mathbf{r}, t) + v_{\text{H}}[n](\mathbf{r}) + v_{\text{XC}}[n](\mathbf{r}) \right] \varphi_i(t)$$

- Periodic systems: Plane-wave expansion of wave functions:  $\psi_i(\mathbf{r}, t) = \frac{1}{\sqrt{\Omega}} \sum_{\mathbf{G}} C_i(\mathbf{G}, t) e^{i\mathbf{G} \cdot \mathbf{r}}$
- Electron-ion interaction: Norm-conserving pseudopotentials
- Exchange-correlation: Time-dependent local-density approximation
- Computationally challenging: Highly parallel implementation
- Excellent strong scaling: Qbox/Qb@ll code
  
- Compute forces at each time step and update positions of the atoms

 Ehrenfest molecular dynamics

 Problem: Integrating the equations of motion: Real-time TDDFT

# Numerical Integrator and Parallel Scaling

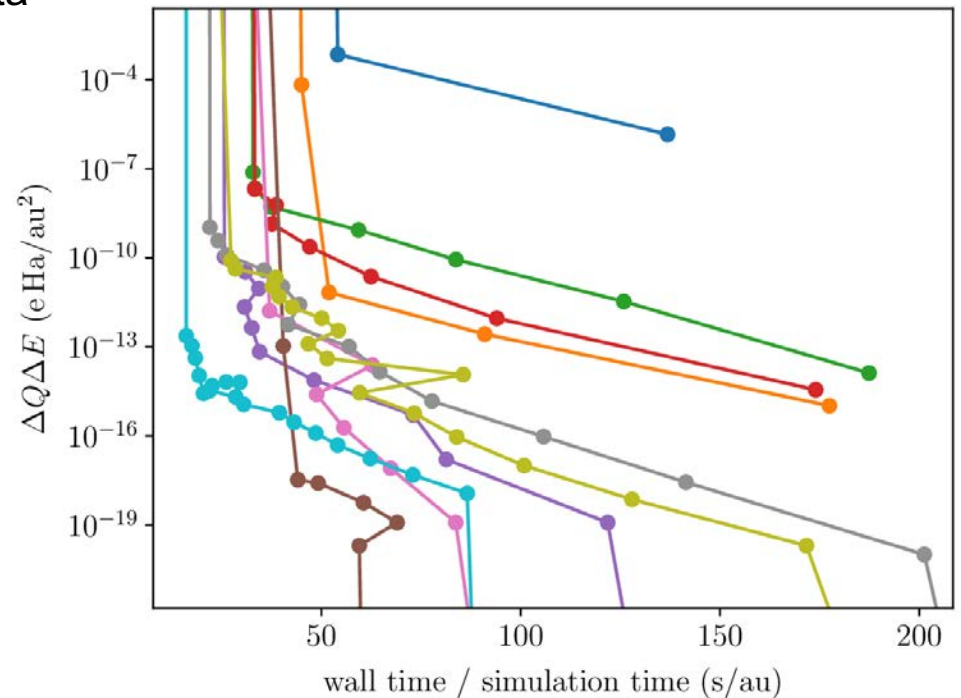
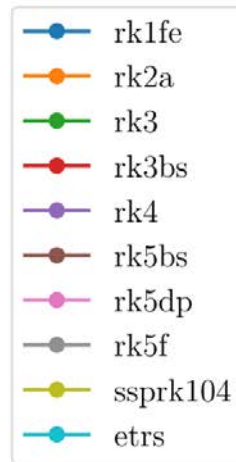


- Enforced Time-Reversal Symmetry (ETRS) Method

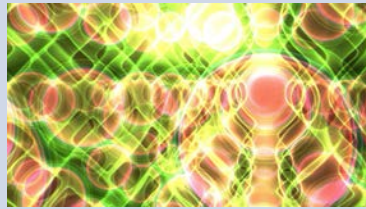
- Implicit propagator: Depends on result of the equation (via density)

$$|\psi(t + \Delta t)\rangle = \left[ \exp\left(-i\frac{\Delta t}{2}\hat{H}(n(t + \Delta t))\right) \times \exp\left(-i\frac{\Delta t}{2}\hat{H}(n(t))\right) \right] |\psi(t)\rangle$$

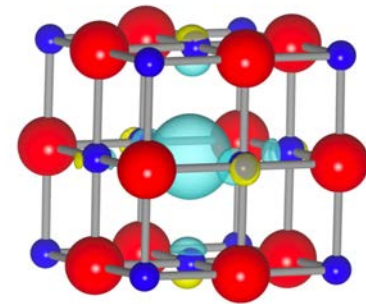
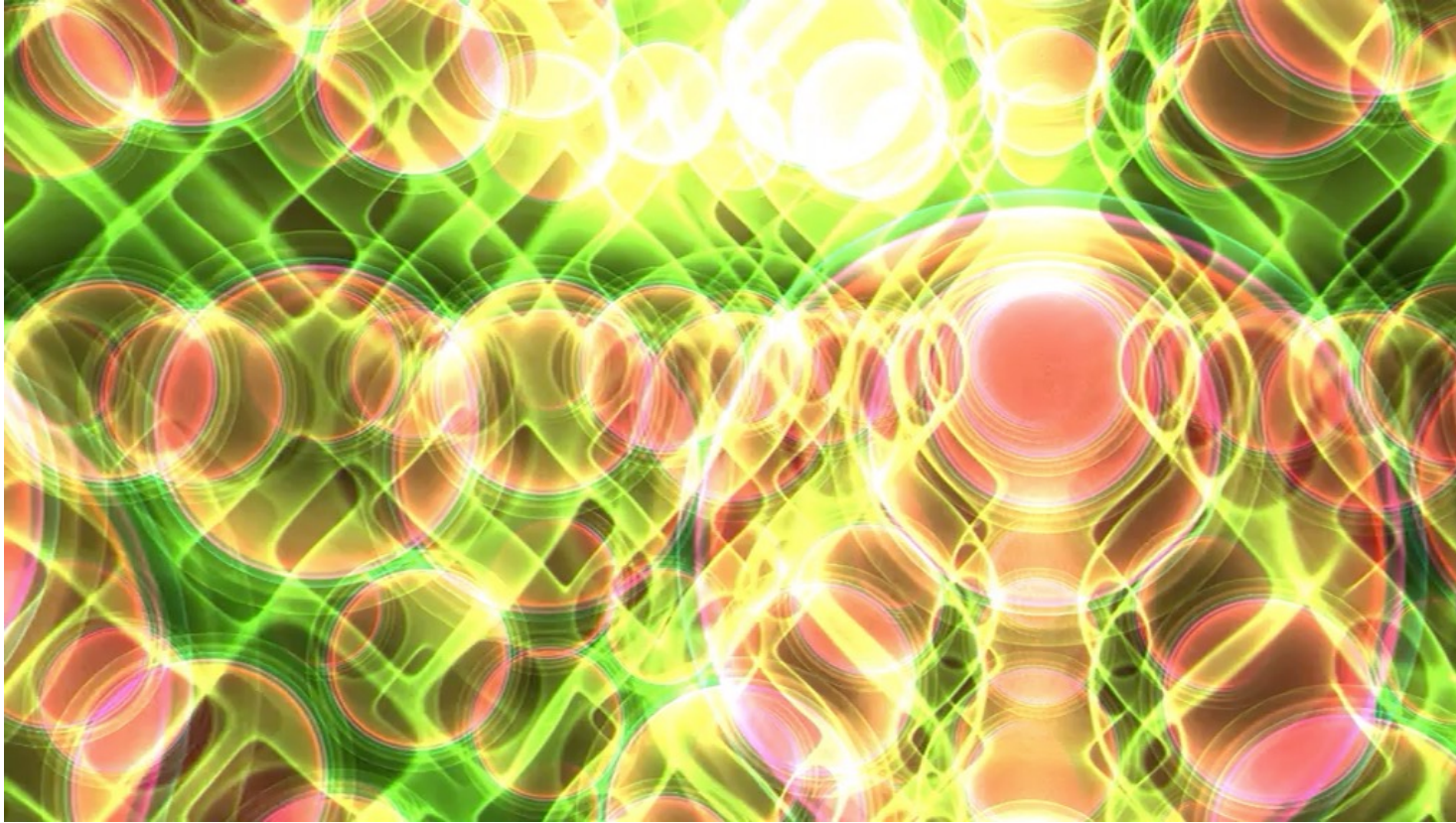
- Excellent conservation of energy and orthogonality
- Also tried variety of additional Runge-Kutta based schemes via PETSc library



Kang, Schleife *et al.*; Comput. Mater. Sci. **160**, 207 (2019)

	Proton irradiation	Laser irradiation
Bulk target material (+defects)	MgO (Cheng-Wei) 	MgO (Yifan)
Surface target material	Aluminum (Alina)	Aluminum (Yifan)

# Hot-electron mediated ion diffusion: Oxygen vacancies in MgO



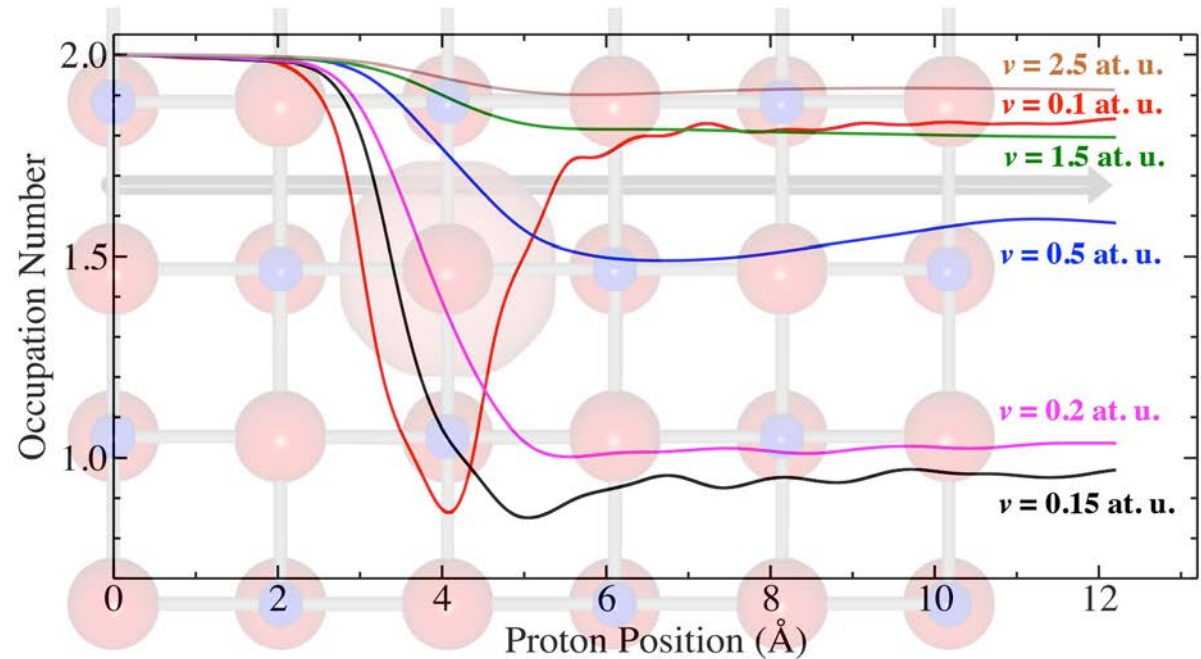
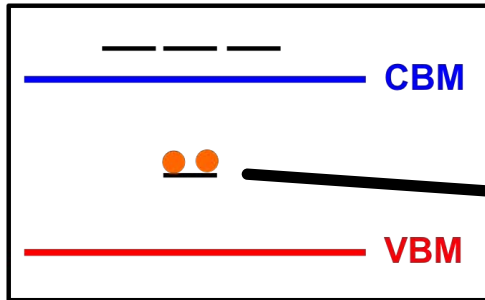
- Excited-electron contribution to diffusion?

C.W. Lee and A. Schleife; *Mater. Today* **21**, 925-927 (2018)

C.W. Lee and A. Schleife; *Nano Lett.* **19**, 3939-3947 (2019)



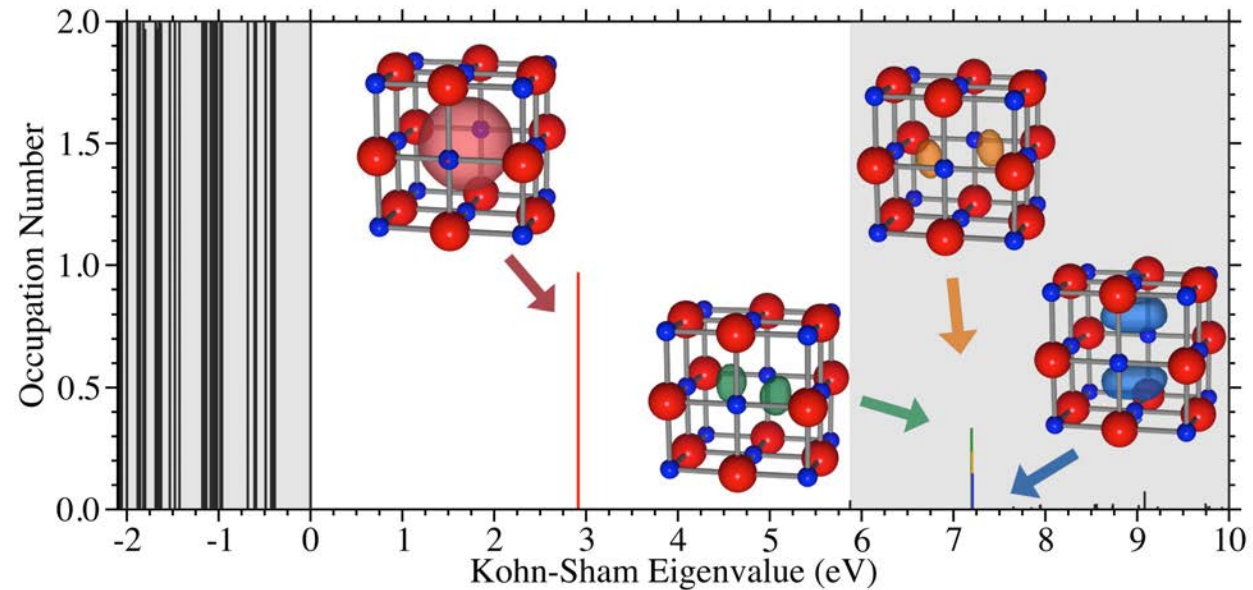
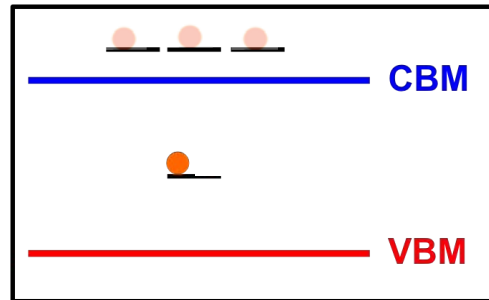
# Excited electrons: Oxygen vacancy in MgO



- Ultrafast electron dynamics and evolution of vacancy charge state
- Strong velocity dependence
- Largest number of electrons is excited for  $v=0.15$  at. u.
- Distribution of excited electrons?

C.W. Lee and A. Schleife; Nano Lett. **19**, 3939-3947 (2019)

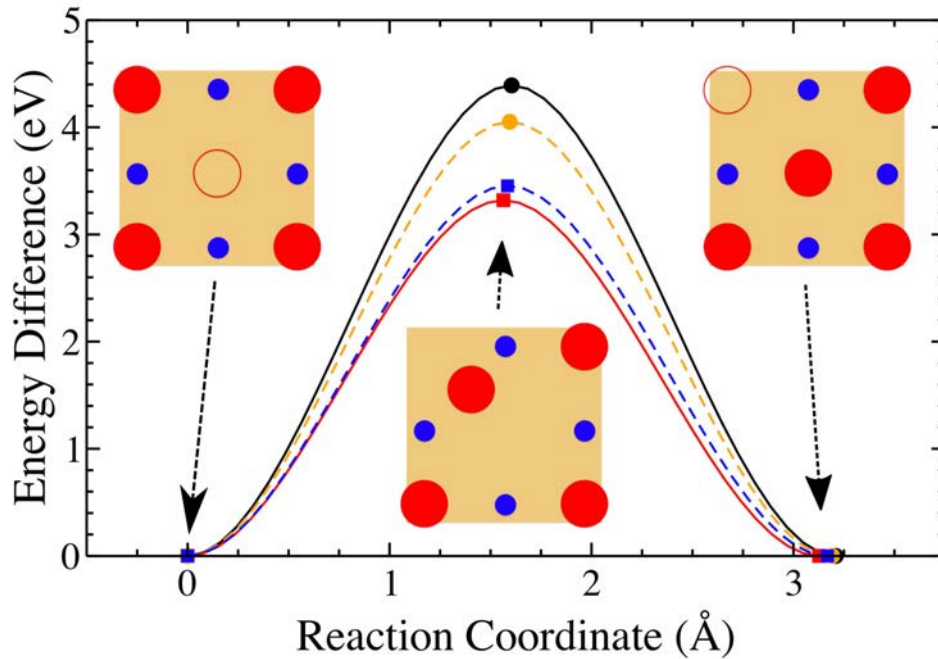
# Excited electrons: Oxygen vacancy in MgO



- Occupation numbers after proton has passed cell once
- Increase of electronic stopping when defect is present ( $v=0.15$  at. u.)
- Found clear influence of the mid-gap oxygen-vacancy related level
- About one electron removed due to excitation
- 0.72 electrons in three localized vacancy-related states
- Influence on ion dynamics? (Problem: Time scale much slower)

C.W. Lee and A. Schleife; Nano Lett. **19**, 3939-3947 (2019)

# Hot-electron mediated ion dynamics

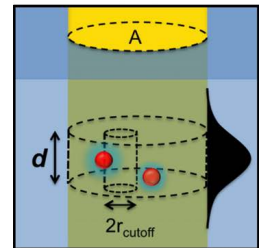


$$D = \frac{1}{6} f Z_f Z_m l^2 C_d \Gamma$$

geometry     fixed

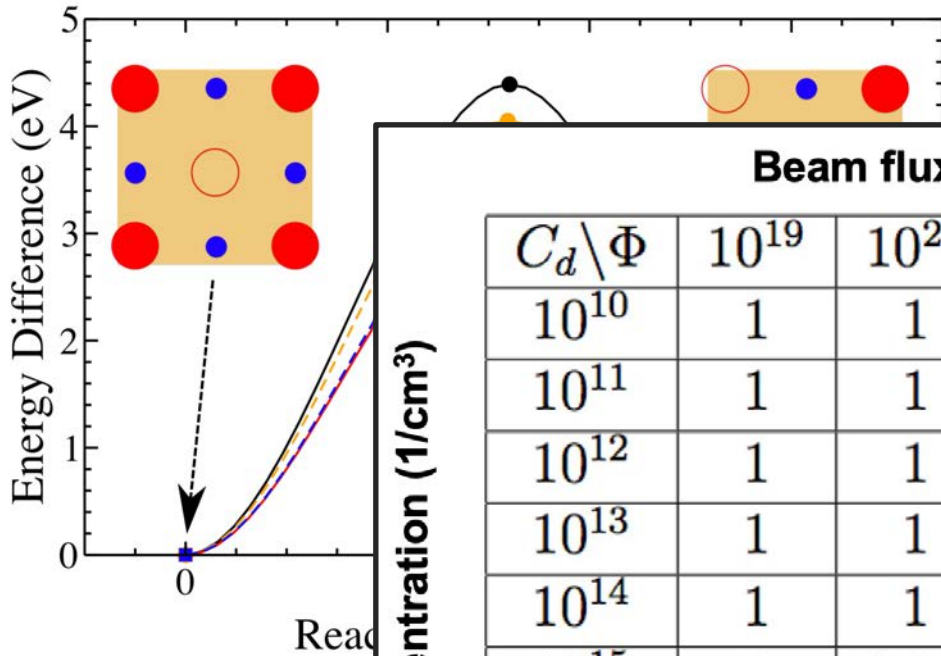
$$\Gamma = \nu^* e^{-\Delta E_m / k_B T}$$

- Compare: **Ground-state DFT (black)**, **Mermin DFT (orange, T=9211 K)**, **fixed charge state (red)**, and **Ehrenfest MD (blue)**
- Small effect of change in attempt frequency (less than 20 percent)
- Significant reduction of barrier by about 0.94 eV
- Example: For T=900 K, increase of D by about  $10^5$
- Estimate: Enhance diffusion within depth of 117 - 156 nm



C.W. Lee and A. Schleife; Nano Lett. **19**, 3939-3947 (2019)

# Hot-electron mediated ion dynamics



**Beam flux ( $\text{m}^{-2} \text{s}^{-1}$ )**

$C_d \backslash \Phi$	$10^{19}$	$10^{20}$	$10^{21}$	$10^{22}$
$10^{10}$	1	1	1	1
$10^{11}$	1	1	1	1
$10^{12}$	1	1	1	1
$10^{13}$	1	1	1	1
$10^{14}$	1	1	1.05	1.50
$10^{15}$	1	1.05	1.50	6.03
$10^{16}$	1.05	1.50	6.03	51.2
$10^{17}$	1.50	6.03	51.2	501
$10^{18}$	6.03	51.2	501	4790
$10^{19}$	51.2	501	4790	33500

**Defect Concentration ( $1/\text{cm}^3$ )**

**Achieved by thermochemically reduced MgO**

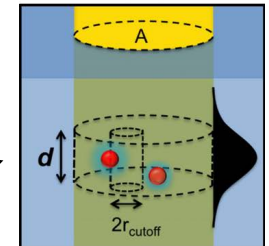
- Compare: **Ground state (red)**, and
- Small effect of
- Significant red
- Example: For
- Estimate: Enhance diffusion within depth of 117 - 156 nm

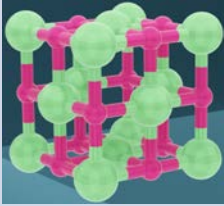
$$\gamma_m l^2 C_d \Gamma$$

fixed

$$E_m/k_B T$$

K), fixed charge



	Proton irradiation	Laser irradiation
Bulk target material (+defects)	MgO (Cheng-Wei)	MgO (Yifan) 
Surface target material	Aluminum (Alina)	Aluminum (Yifan)

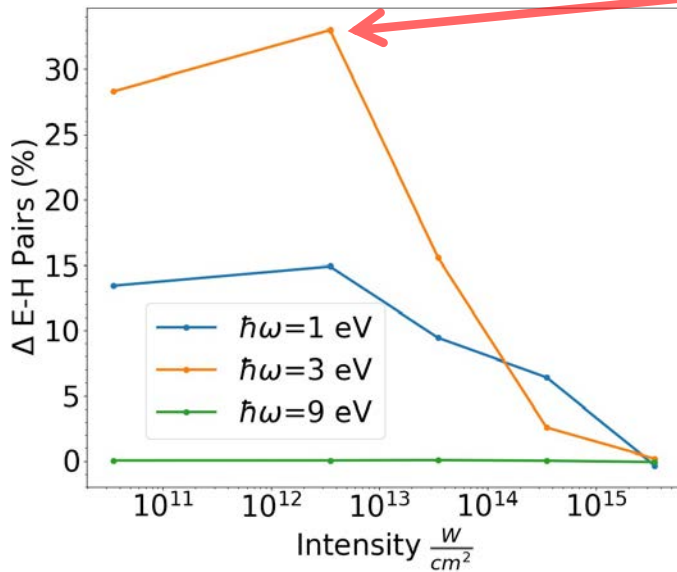
# Laser excitation: Oxygen vacancy in MgO



$$\Delta E-H = \frac{E-H_{\text{Oxygen Vacancy}} - E-H_{\text{Perfect Bulk}}}{E-H_{\text{Perfect Bulk}}}$$

Low Intensity:  $\Delta E-H$  is most significant at 3 eV.

- Single photon excitation from the mid-gap defect state

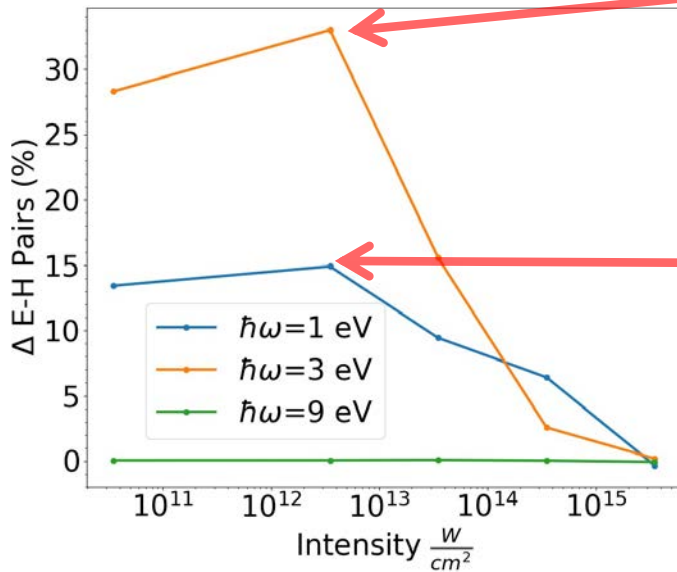


Definition of electron-hole pair: 
$$n_{eh}(t) = 2 \sum_i^{occ.} \left( 1 - \sum_j^{occ.} |\langle \phi_j | \psi_i(t) \rangle|^2 \right)$$

# Laser excitation: Oxygen vacancy in MgO



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Low Intensity:  $\Delta E-H$  is most significant at 3 eV.

- Single photon excitation from the mid-gap defect state

$\Delta E-H$  is reduced compared to  $\hbar\omega=3\text{eV}$ :

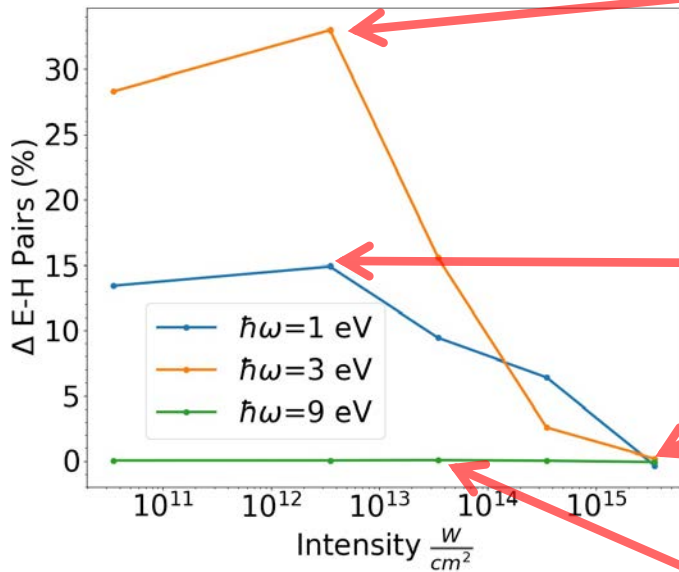
- Multiphoton excitation is needed for mid-gap defect state as well

Definition of electron-hole pair: 
$$n_{eh}(t) = 2 \sum_i^{occ.} \left( 1 - \sum_j^{occ.} |\langle \phi_j | \psi_i(t) \rangle|^2 \right)$$

# Laser excitation: Oxygen vacancy in MgO



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- Single photon excitation from the mid-gap defect state

$\Delta E-H$  is reduced compared to  $\hbar\omega=3\text{eV}$ :

- Multiphoton excitation is needed for mid-gap defect state as well

High Intensity:  $\Delta E-H$  is insignificant for all frequencies

High Frequency:  $\Delta E-H$  is insignificant for all intensities

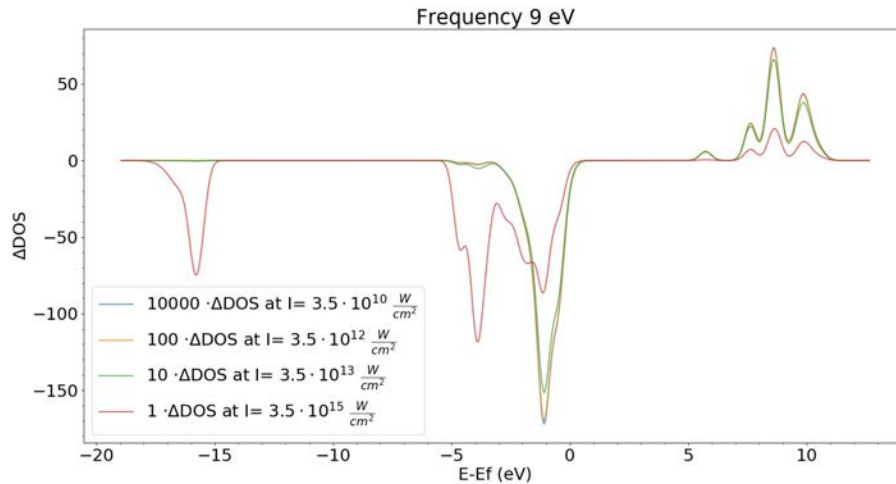
Definition of electron-hole pair: 
$$n_{eh}(t) = 2 \sum_i^{occ.} \left( 1 - \sum_j^{occ.} |\langle \phi_j | \psi_i(t) \rangle|^2 \right)$$



# Laser excitation: Oxygen vacancy in MgO

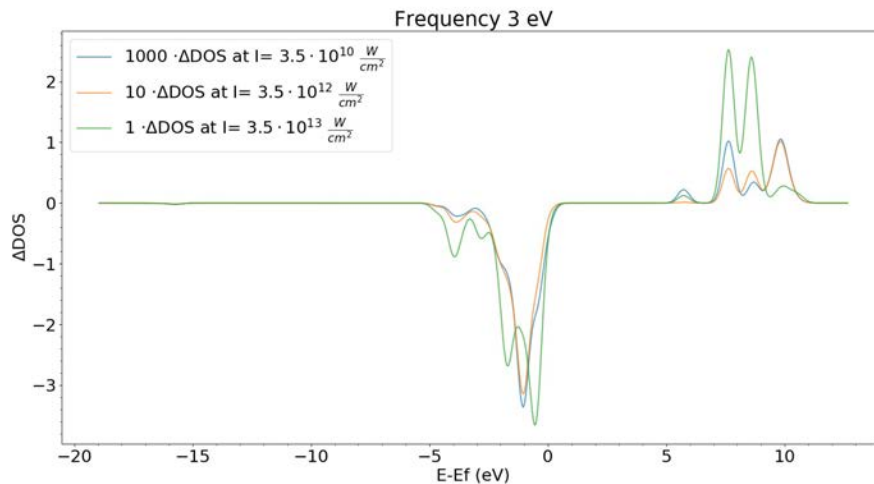


## Occupation change: 9 eV laser excitation



- Comparison with ground state at the end of first laser period
- Non-linear effects disappear if intensity decreases
- Strong dependence on frequency

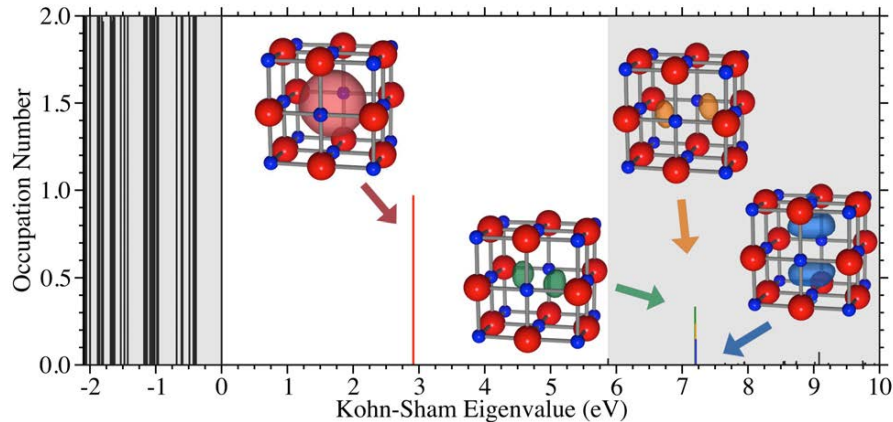
## Occupation change: 3 eV laser excitation



# Laser excitation: Oxygen vacancy in MgO

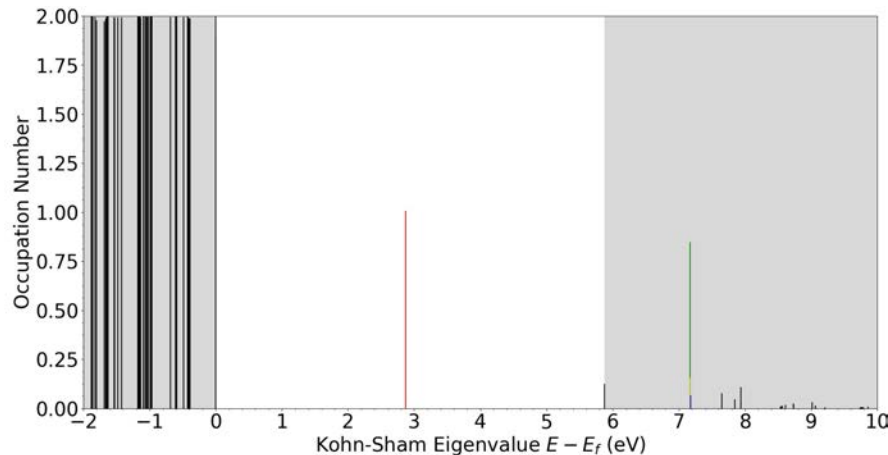


## Previous figure: Proton irradiation

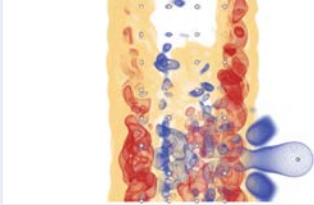


- By tuning laser parameters, we obtain the distribution of occupation number comparable to proton irradiation:  $I=7.3 \times 10^{12}$  W/cm<sup>2</sup> and  $\hbar\omega=4.5$  eV

## Comparison: Laser irradiation



- Currently: Estimate the change of migration barrier during the laser irradiation
- Currently: Keldysh analysis

	Proton irradiation	Laser irradiation
Bulk target material (+defects)	MgO (Cheng-Wei)	MgO (Yifan)
Surface target material	Aluminum (Alina) 	Aluminum (Yifan)

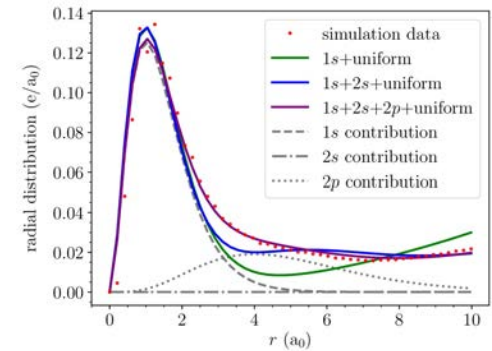
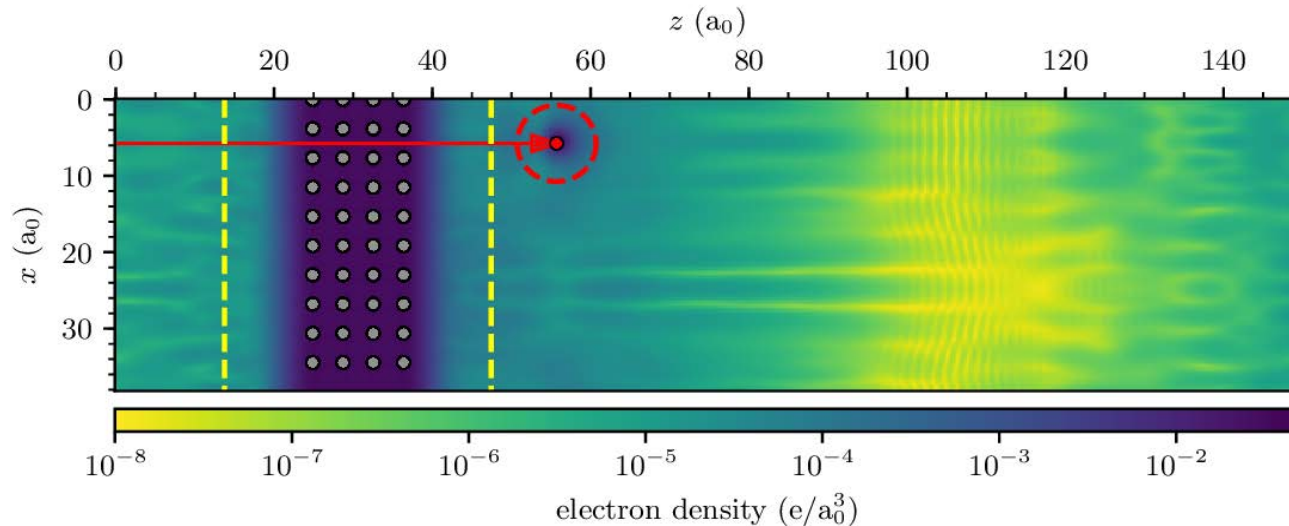
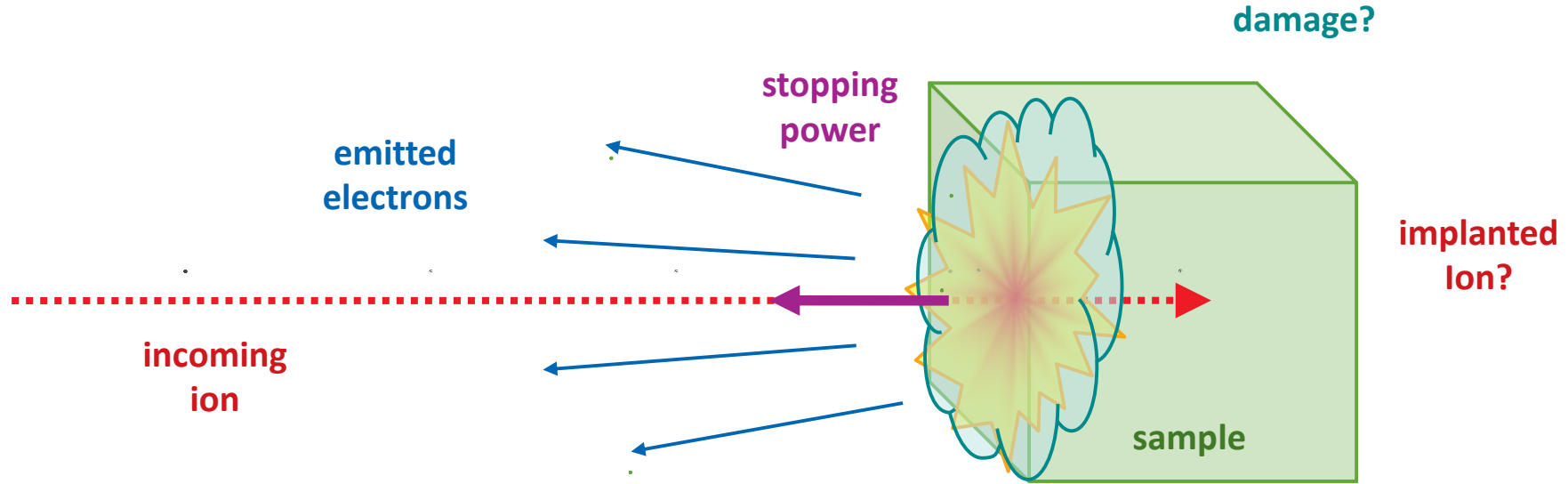
# What happens near the surface?



- Interesting physics: Pre-equilibrium regime near surface poorly understood, Extreme case of 2D materials largely unexplored
- Exciting applications: Materials modification, Defects for Qbits

Kononov, Schleife, PRB **102**, 165401 (2020)

# Proton irradiation of aluminum Sheets



Kononov, Schleife; PRB **102**, 165401 (2020)

# Aluminum Sheets: Pre-equilibrium stopping



Stopping power  $S = dE/dz$

- energy transfer per depth
- drag force on projectile

Higher in sheets than bulk!

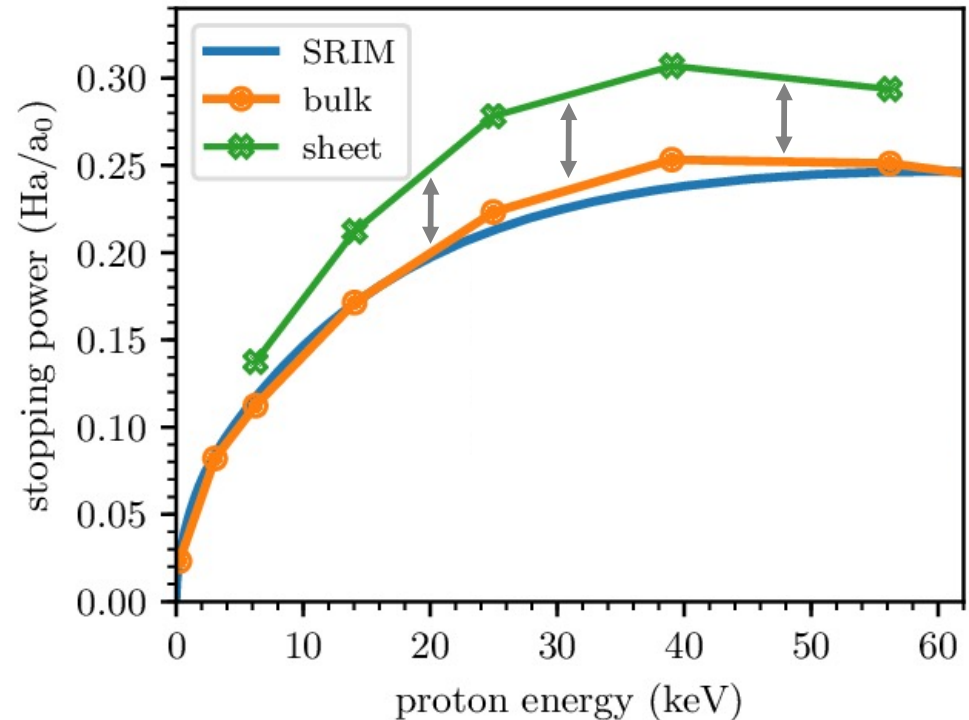
- even for thicker sheets

Cause of pre-equilibrium stopping?

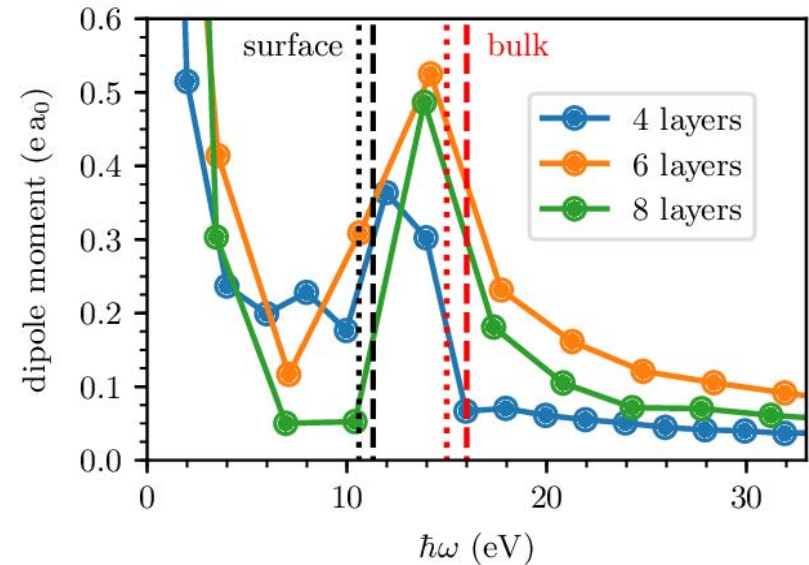
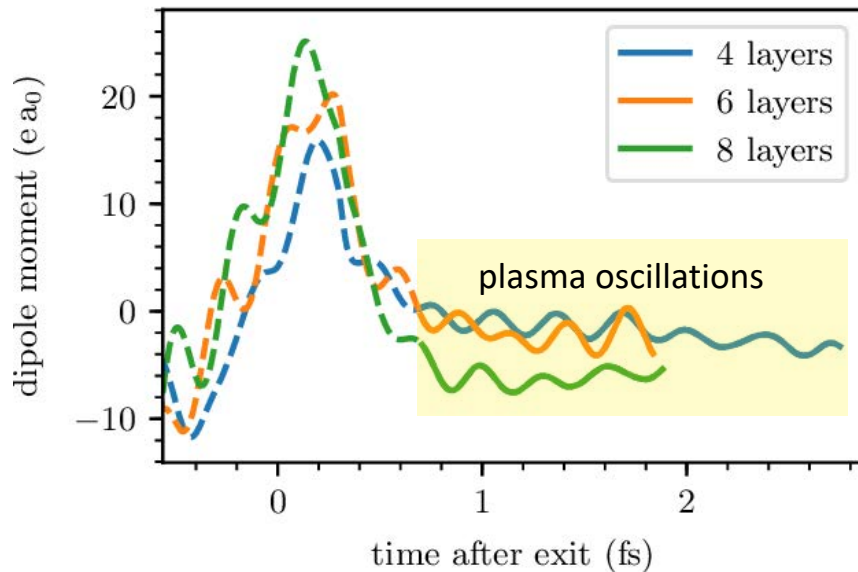
- projectile charge?  $S \propto Z^2$

- polarized sheet?  $S \propto n$

- surface plasmons?  $S = \frac{dE_e}{dz} + \frac{dE_{bp}}{dz} + \frac{dE_{sp}}{dz}$

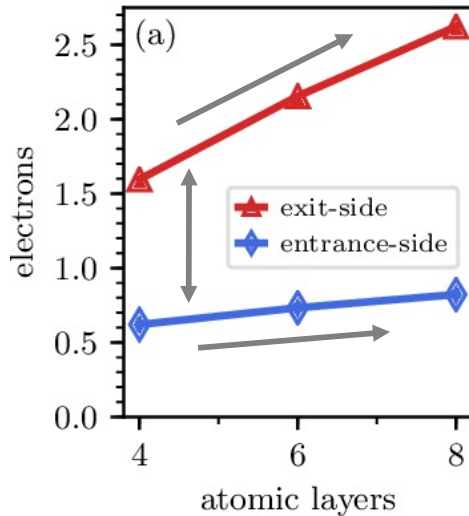


# Aluminum Sheets: Pre-equilibrium stopping



- Surface plasmon modes: most likely source of enhanced stopping power in sheets
- Analyzed plasmonic behavior in out-of-plane dipole moment
- Density oscillations below bulk plasma frequency

# Proton irradiation of aluminum Sheets



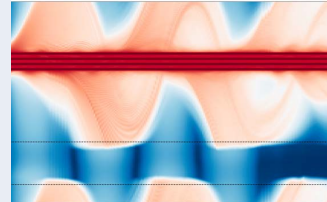
- More secondary-electron emission from exit-side
- Emitted electron yields increase with sheet thickness
- Extrapolated to thick foils by fitting to model:

$$\gamma(d) = \gamma_{eq}(1 - e^{-d/\lambda})$$

- Extrapolated entrance-side yield of 0.92 agrees with 1.09 from experiment
- Determined escape depth  $\lambda$

	entrance-side	exit-side
$\gamma_{eq}$	0.92	4.5
$\lambda$ (nm)	0.73	1.8



	Proton irradiation	Laser irradiation
Bulk target material (+defects)	MgO (Cheng-Wei)	MgO (Yifan)
Surface target material	Aluminum (Alina)	Aluminum (Yifan) 

# Aluminum Sheets: Laser excitation



- Electron emission?
- Coulomb explosion?
- Dependence on laser parameters?

- Used a smaller cell of 72 atoms

- Absorbing boundary/potential:  $V_{cap} = -i \cdot \eta \sin^2 \left( \frac{(x-R) \cdot \pi}{2 \cdot dR} \right)$

- 150  $a_B$  vacuum (absorber 53  $a_B$  from either surface)

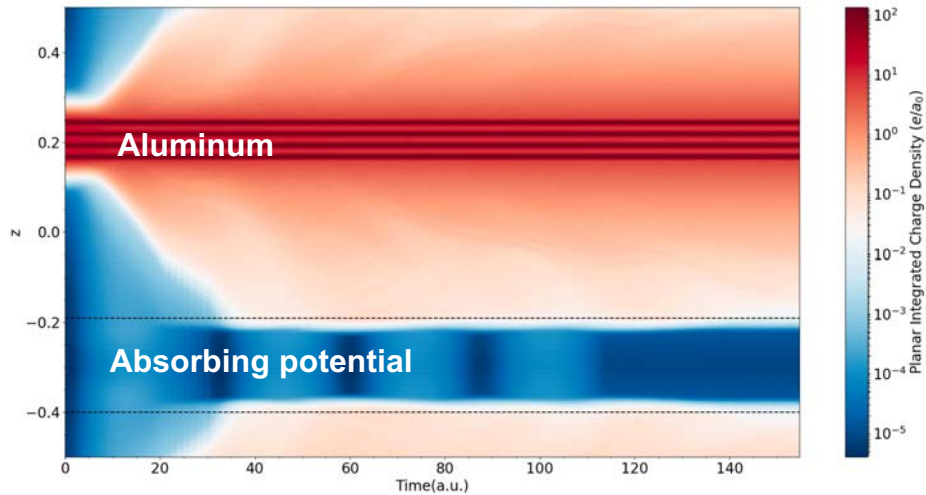
10.1140/epjb/e2015-50808-0

- Vector potential for electric field (implemented with Xavier Andrade)

# Aluminum Sheets: Laser excitation



Electric field in Al plane (x direction)

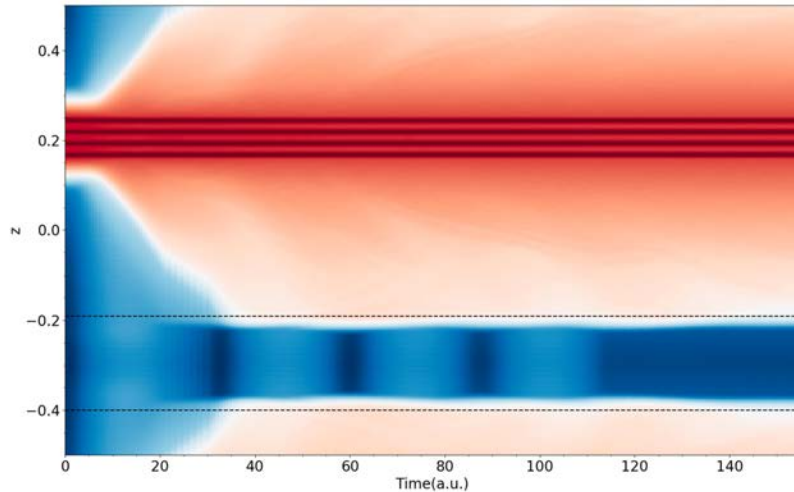


- Field:  $I=10^{15}$  W/cm<sup>2</sup>, 3 eV

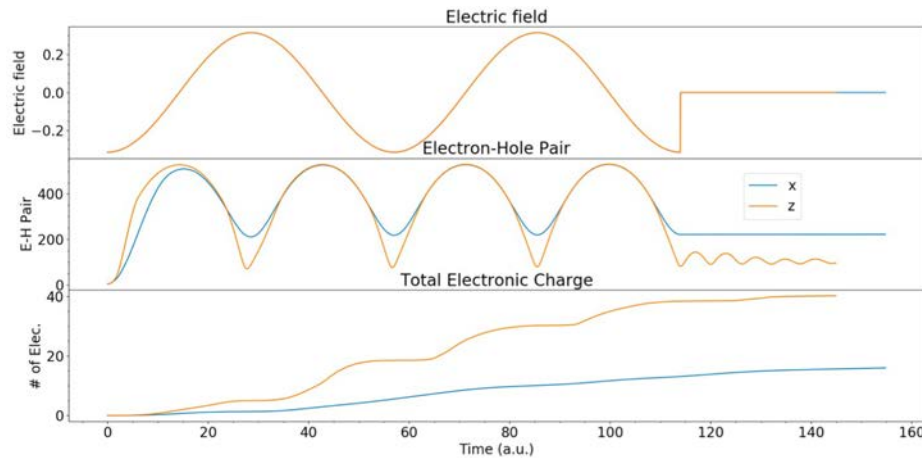
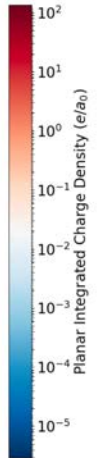
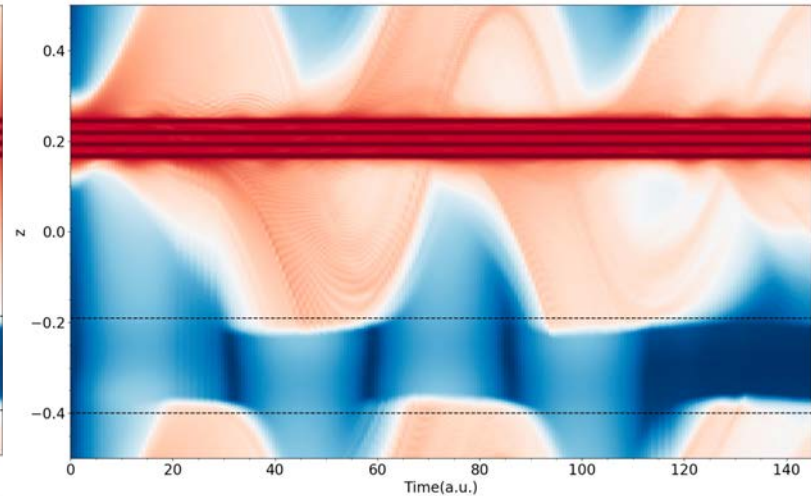
# Aluminum Sheets: Laser excitation



Electric field in Al plane (x direction)

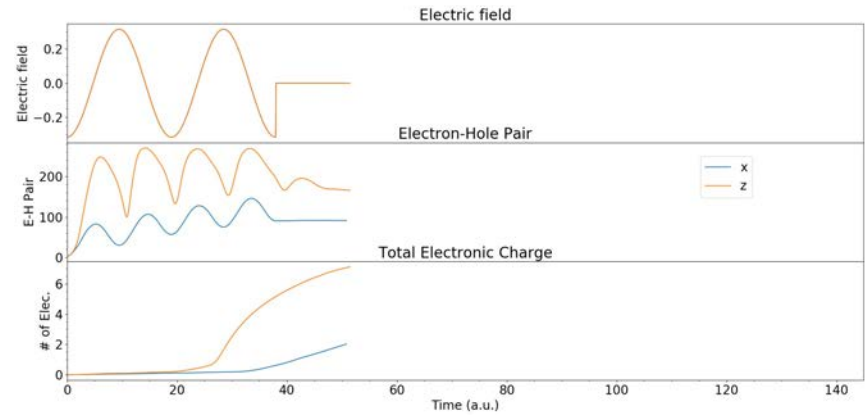
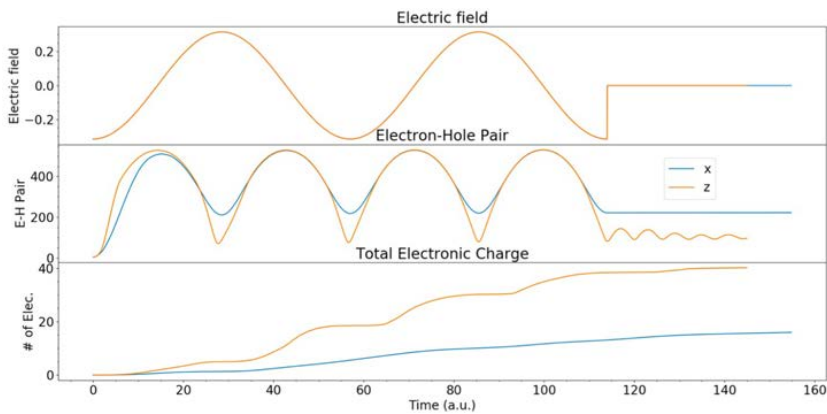
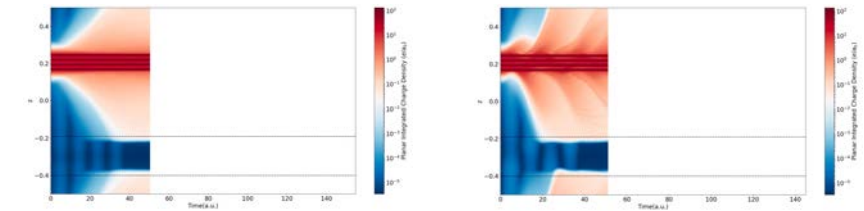
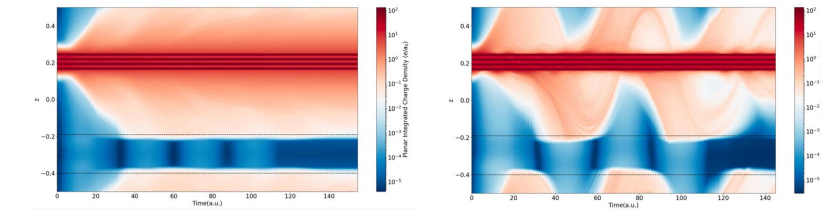


Electric field perpendicular to Al plane (z direction)

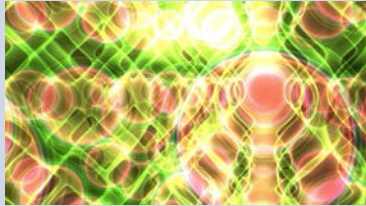
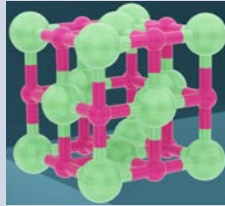
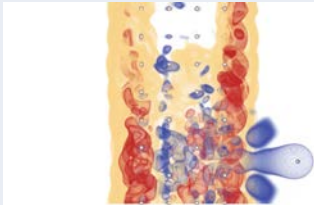
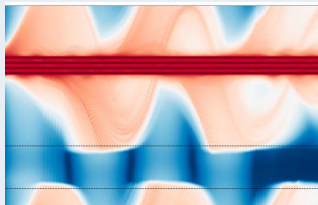


- Field:  $I=10^{15}$  W/cm<sup>2</sup>, 3 eV

# Aluminum Sheets: Laser excitation



- higher laser frequency leads to emission of fewer electrons
- more materials response for laser along z
- Force for field along z follows electric field
- Force for field along x: possible indication for Coulomb explosion
- Field:  $I=10^{15}$  W/cm<sup>2</sup>, 3 eV (left), 9 eV (right)

	Proton irradiation	Laser irradiation
Bulk target material (+defects)	MgO (Cheng-Wei) 	MgO (Yifan) 
Surface target material	Aluminum (Alina) 	Aluminum (Yifan) 

C.W. Lee and A. Schleife; Nano Lett. **19**, 3939-3947 (2019)

C. Lee, J. A. Stewart, R. Dingreville, S. M. Foiles, and A. Schleife, Phys. Rev. B **102**, 024107 (2020)

A. Kononov, A. Schleife, Phys. Rev. B **102**, 165401 (2020)

- Accurate parameter-free description achievable
- Accuracy vs. computational cost vs. parameter space
- Fully exploit modern trends in high-performance computing
- Exciting potential for materials manipulation and characterization