

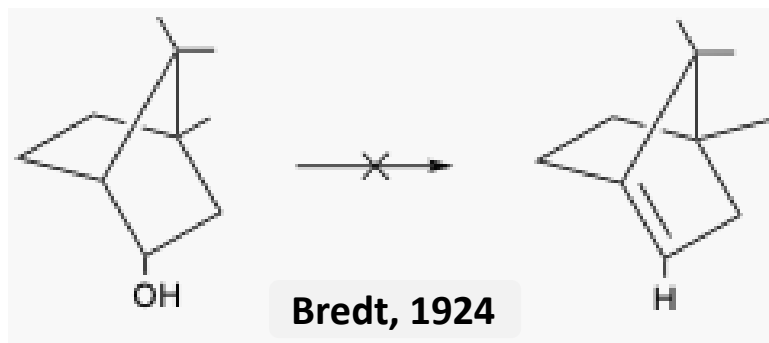
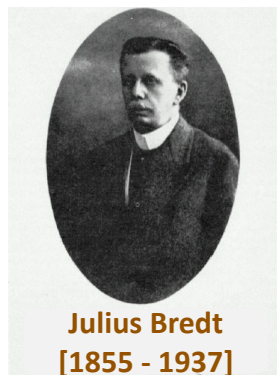
Meseret Simachew Bezabih

Strain-driven photochemical reactivity of a small molecule

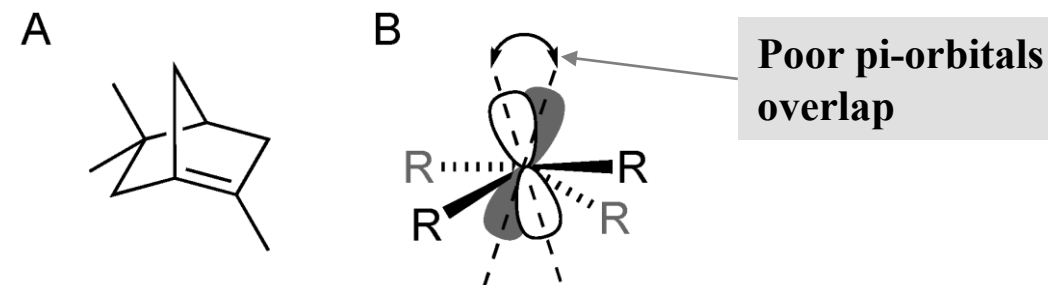
Laboratory of computational photochemistry and photobiology

Center for Photochemical Sciences

- Bridgehead olefins are a sub-class of polycyclic compounds containing a C=C double bond at the bridgehead position of a bicyclic system.



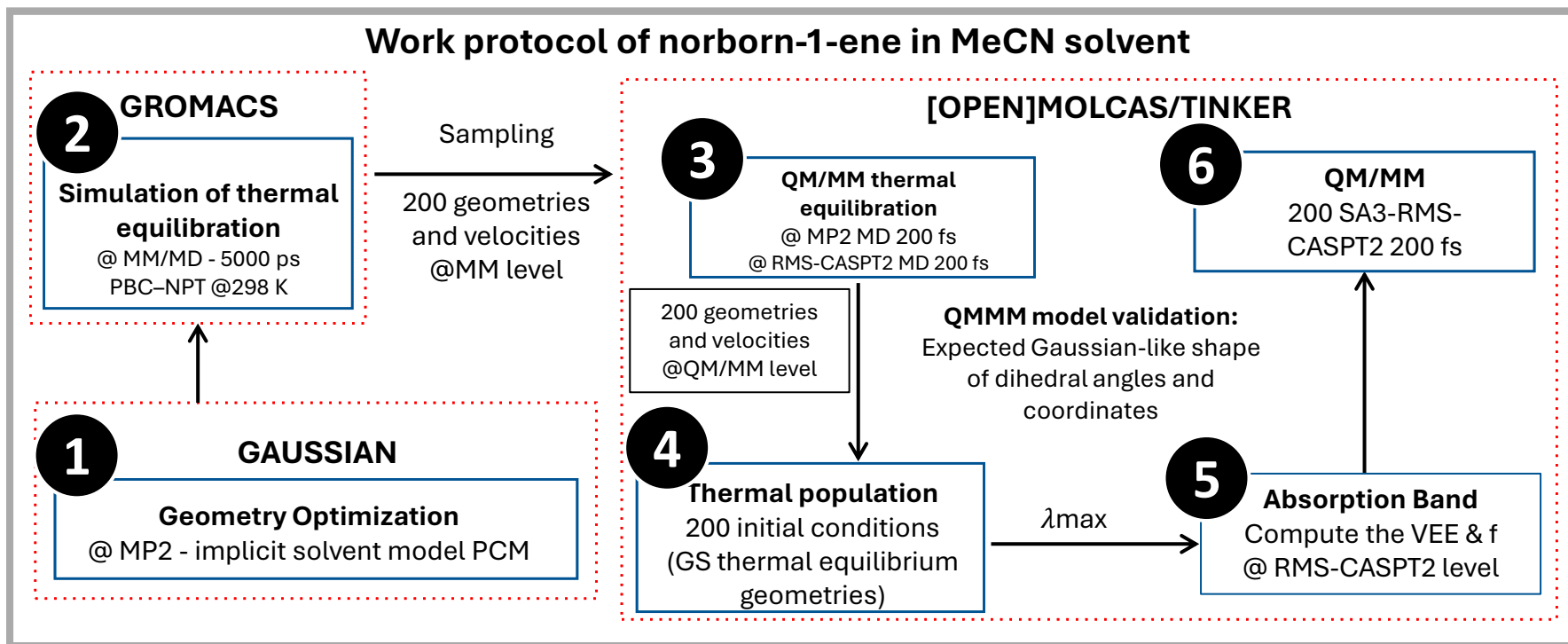
- Bredt's rule:** Double bonds at the bridgehead position in a bicyclic molecules of ring size <8 cannot synthesize.



(A) A typical bridgehead olefins considered as too strained to exist. (B) The twisting of one p-orbital relative to the other as required to form a C=C bond in a strained bridgehead alkene.

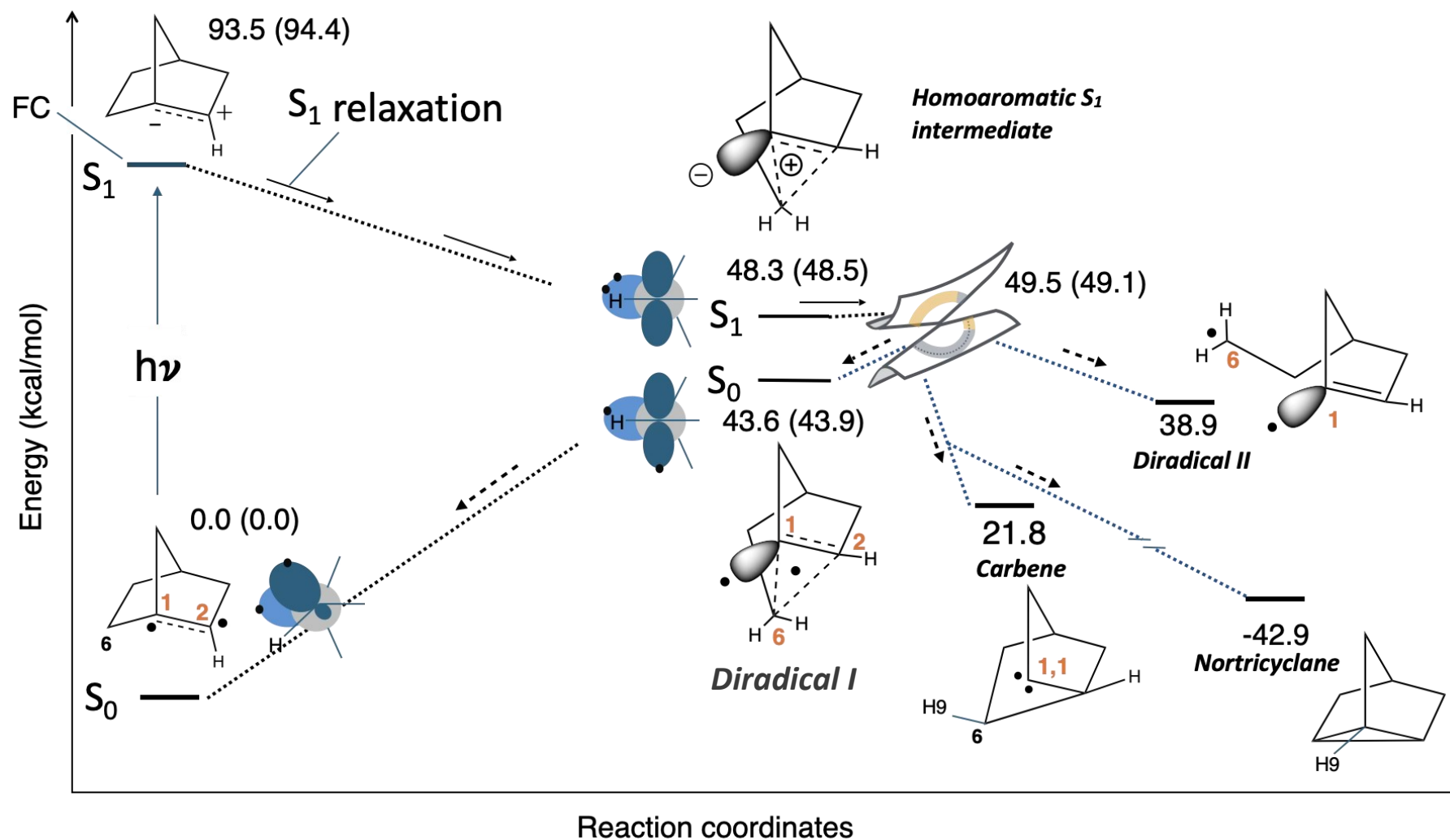
Why a computational study on norborn-1-ene?

- No photochemistry studied before
- The distorted C=C bond makes it to absorb photon at the longer wavelength
- Size of the molecule allow us to use an accurate quantum chemical gradients available

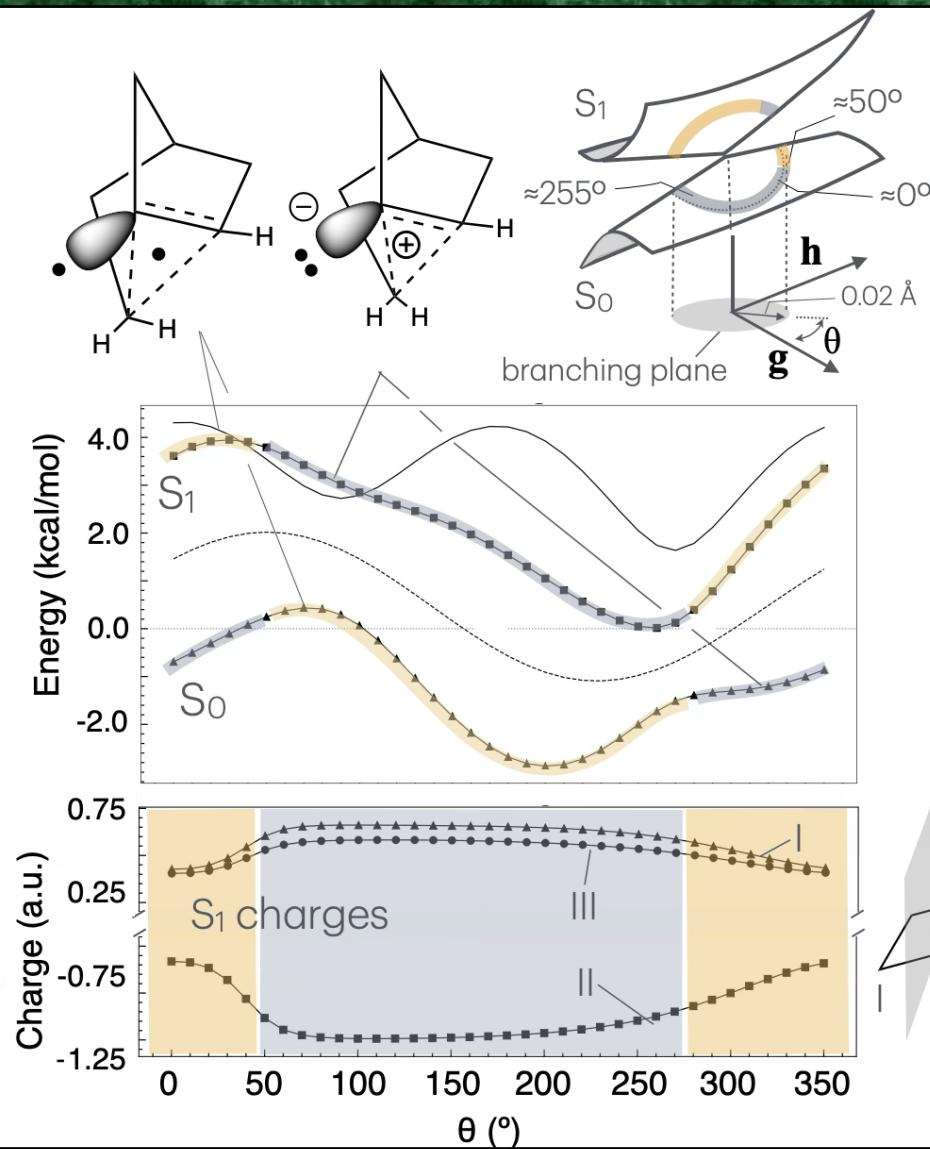


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- Blanco A. (2023), Impact of vibrational mode coupling on the isomerization of natural and synthetic molecular switches, Ph.D. dissertation, Pp. 48.

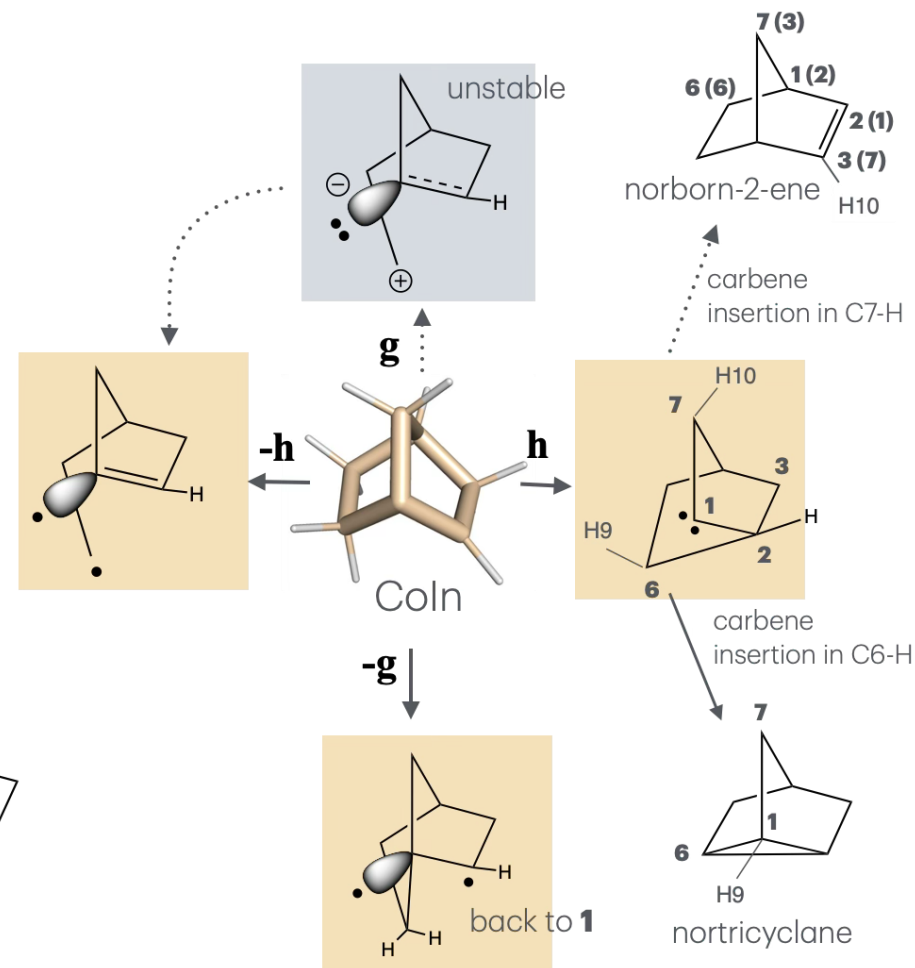
Potential energy surface

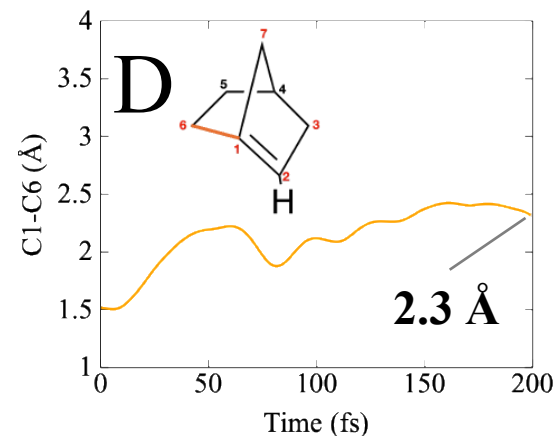
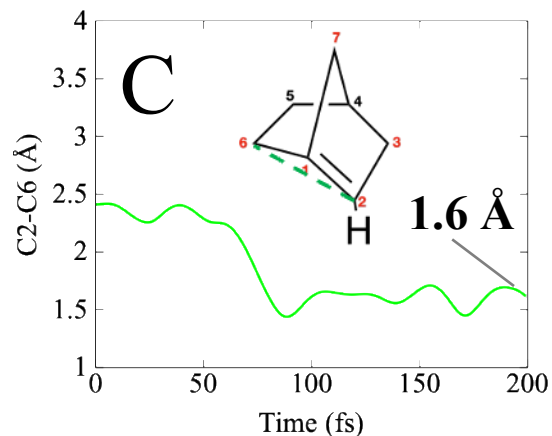
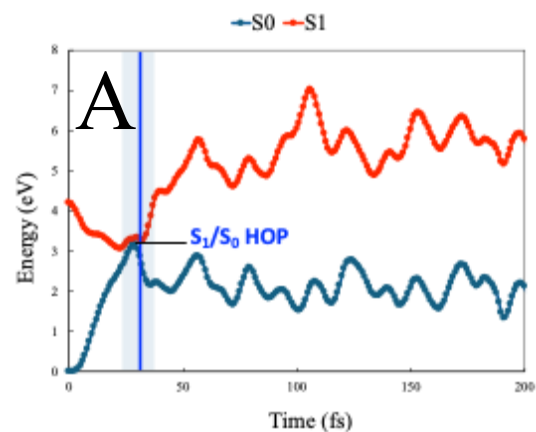


A



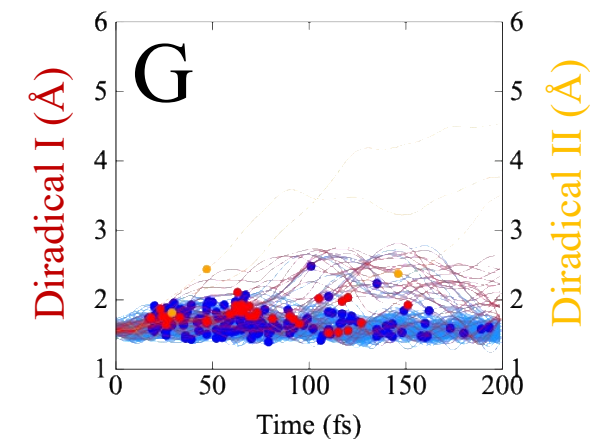
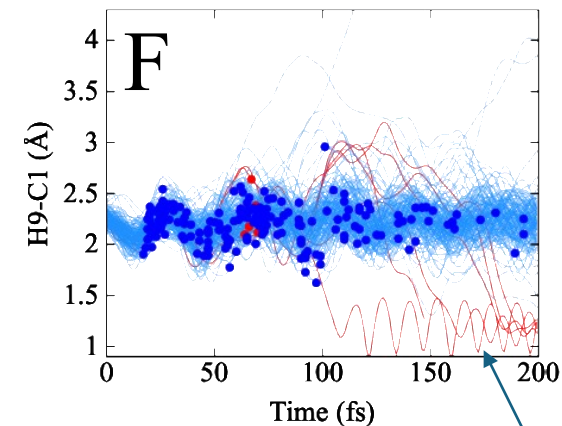
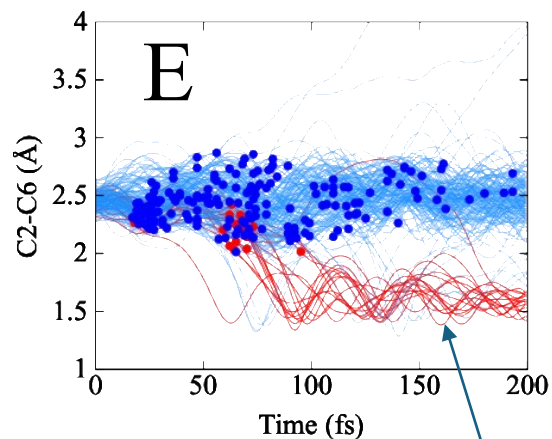
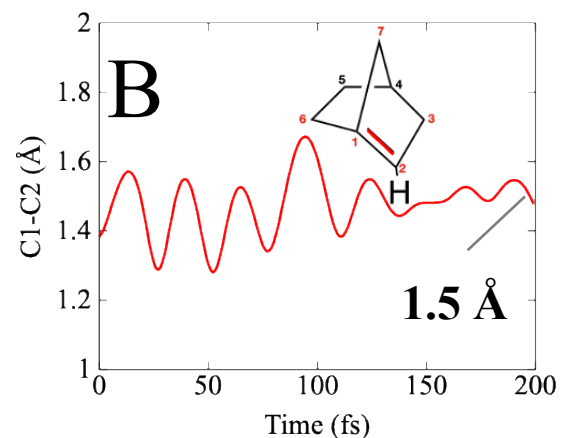
B





Key:

- S_2/S_1 CI – Unreactive
- S_1/S_0 CI – Productive

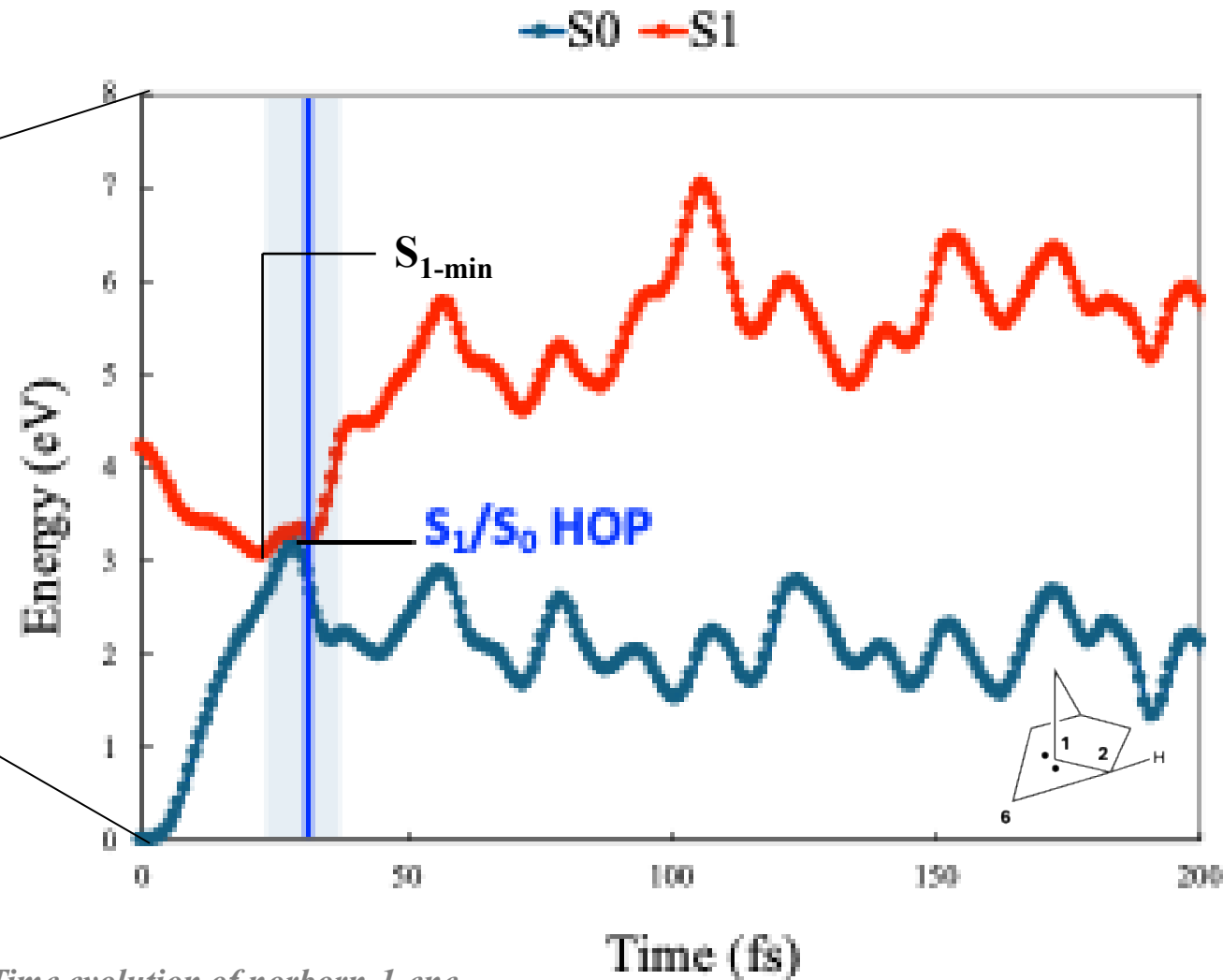
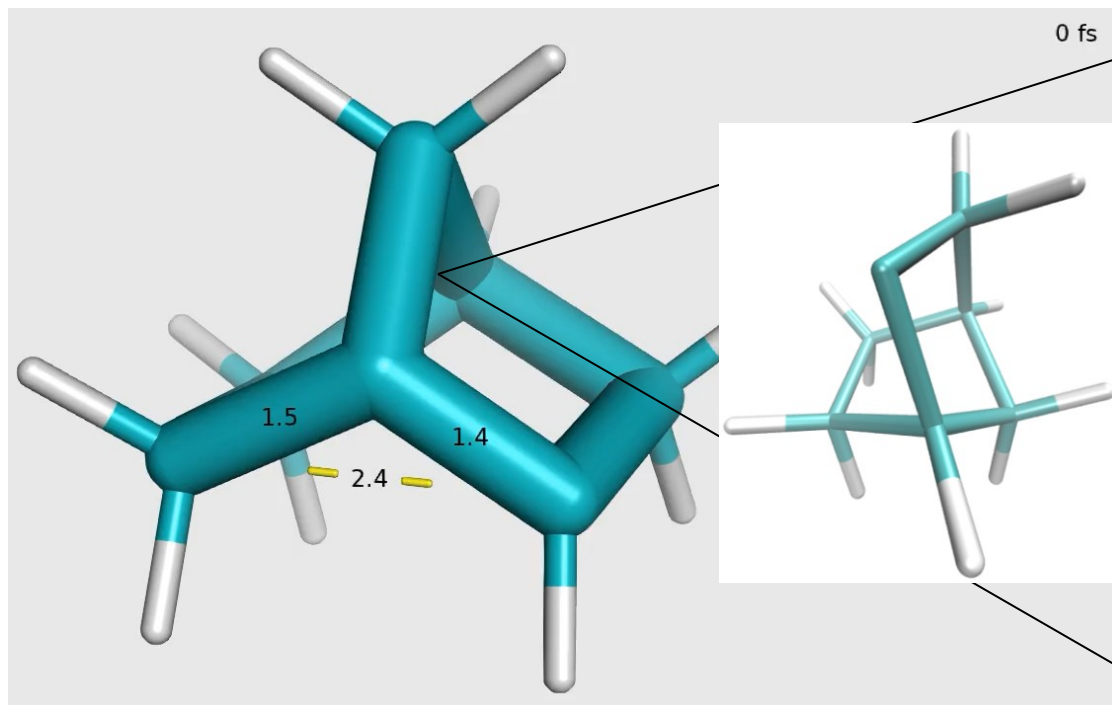


C1=C2 bond length

Carbene

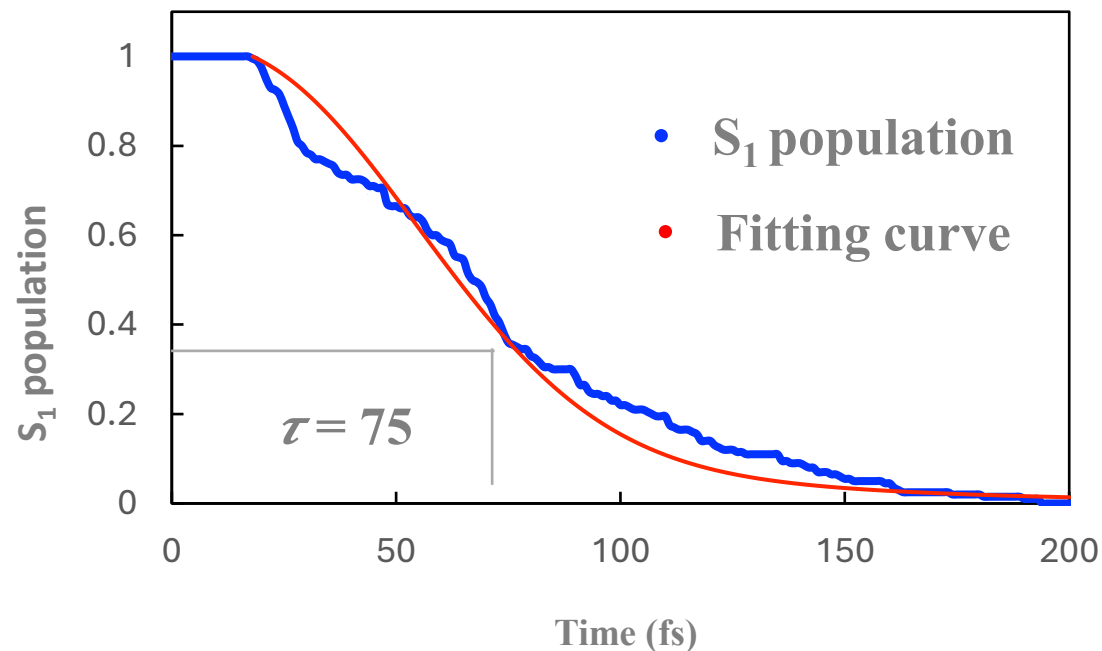
Nortricyclane

Representative photoproduct from trajectory



The movie shows the carbene product followed by the CoIn structure

Time evolution of norborn-1-ene



Quantum Efficiency

$$\Phi_{\text{photochem}} = \frac{\text{Number of photoproduct}}{\text{Number of total trajectories}}$$

a_1 = weight of gaussian decay component

y_0 = fitting parameter

t_1 = latency time

t_2 = decay time of gaussian component

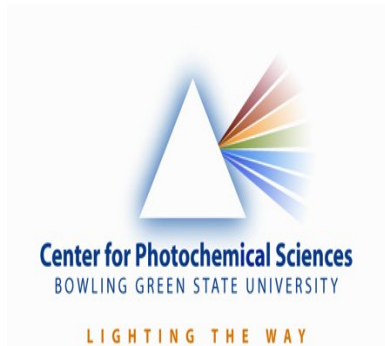
t_3 = decay time of exponential component

$$f(x) = a_1 e^{-\left(\frac{t-t_1}{t_2}\right)^2} + y_0 + ((1 - a_1) - y_0) e^{-\left(\frac{t-t_1}{t_3}\right)}$$

$$\tau = t_1 + a_1 + t_2 + (1 - a_1 - y_0)t_3$$

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